

UNKNOWN STAR

Similar Ques:- Oct 2023

No. 167

Date 09.05.2025

- ① On 23rd August 1992 in DR $34^{\circ}30'S$, $003^{\circ}30'W$ at PM at ship, the sextant altitude of a star through a break in the cloud was measured as $45^{\circ}26'$ when GMT was 23^d 18^h 17^m 20^s. If I.E was 2' on the arc, HE = 10m, and the true bearing of the star was $291^{\circ}(T)$. Identify the star.

GMT: 23^d 18^h 17^m 20^s

GHA γ (23^d 18^h): $242^{\circ}16.6'$

Increment (17^m 20^s): $4^{\circ}20.7'$

GHA γ : $246^{\circ}37.3'$

Long (W): $003^{\circ}30'W$ long W, GHA best

LHA γ : $243^{\circ}7.3'$

Sextant Altitude: $45^{\circ}26'$

IE (ON): $(-)$ 2'

Observed altitude: $45^{\circ}24'$

RZ = Latitude

Dip (HE = 10m): $(-)$ 5.6'

PZ = $90 - \text{Lat}$

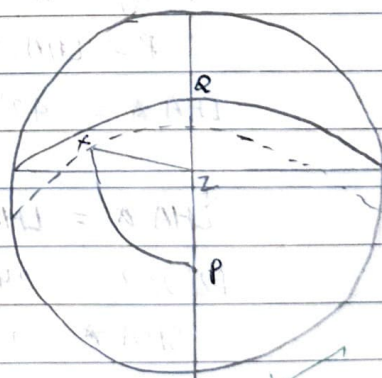
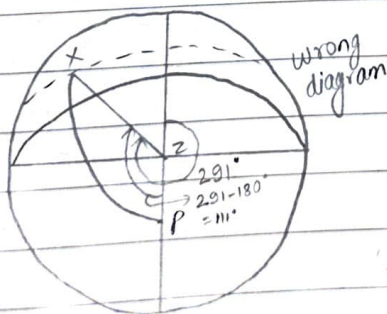
Apparent altitude: $45^{\circ}18.4'$

PX = $90 - \text{dec}$

Total corⁿ: $(-)$ 1.0'

True altitude: $45^{\circ}17.4'$

TZD: $44^{\circ}42.6'$



$$LZ = 291^{\circ} - 180^{\circ} = 111^{\circ}$$

$$PZ = 90^{\circ} - \text{lat}$$

$$= 90^{\circ} - 34^{\circ}30'$$

$$= 55^{\circ}30'$$

$$ZX = 90^{\circ} - \text{T. alt}$$

$$= 90^{\circ} - 45^{\circ}17.4'$$

$$= 44^{\circ}42.6'$$

Since PX value is less than 90°

This diagram is correct

& name dec 's'

$$\cos Z = \cos PX \cdot \cos PZ + \sin PX \cdot \sin PZ \cdot \cos ZX$$

$$\sin PZ \cdot \sin ZX$$

$$\cos Z = \cos PX \cdot \cos PZ + \sin PX \cdot \sin PZ \cdot \cos ZX$$

$$\cos Z \cdot \sin PZ \cdot \sin ZX = \cos PX \cdot \cos PZ \cdot \cos ZX$$

$$\cos PX = \cos Z \cdot \sin PZ \cdot \sin ZX + \cos PZ \cdot \cos ZX$$

$$\cos PX = \cos 111^\circ \cdot \sin 55^\circ 30' \cdot \sin 44^\circ 42.6' + \cos 55^\circ 30' \cdot \cos 44^\circ 42.6'$$

$$\cos PX = 0.19475$$

$$PX = 78^\circ 46.2'$$

$$\text{Declination} = 90^\circ - PX$$

$$= 90^\circ - 78^\circ 46.2'$$

$$= 11^\circ 13.8' S \text{ (refer to nautical almanac)}$$

$$\cos P = \cos ZX - \cos PZ \cdot \cos PX$$

$$\sin PZ \cdot \sin PX$$

$$\cos P = \cos 44^\circ 42.6' - \cos 55^\circ 30' \cdot \cos 78^\circ 46.2'$$

$$\sin 55^\circ 30' \cdot \sin 78^\circ 46.2'$$

$$\cos P = 0.74271$$

$$P = 42^\circ 02.2'$$

Body west of meridian (decide from brg)

$$P = LHA^\star$$

$$LHA^\star = 42^\circ 02.2'$$

$$LHA^\star = LHA + SHA^\star$$

$$42^\circ 02.2' = 243^\circ 7.3' + SHA^\star$$

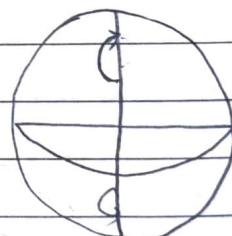
$$SHA^\star = 158^\circ 54.9'$$



check on 23rd August

i.e. SPICA

Ans



In N Hemisphere
LHA is measured westward
clockwise

In S Hemisphere,
anticlockwise

GMT: 14203H 56M 58S
 LT(W): 09H 02M 48S (GMT best)
 LMT: 13d

No. 169

Date 09.05.2025

② ON 13th SEPT 1992 PM at ship in DR 46° 30' N 135° 42' W. The sextant altitude of an unknown star when bearing 072°(C) was 23° 57.1'. AT GMT 03H 56M 58S. Identify the unknown star. I.E = 2.9' OFF THE ARC, H.E: 31m.

GHA Y (13d 03h) : 38° 20.7'

Increment (56M 58S) : 14° 16.8'

GHA Y : 52° 37.5'

Long (W) : 135° 42' Long W, GHA best

LHA Y : 276° 55.5'

$\lambda_9 - \text{CP} = 000000000$

Sextant altitude : 23° 57.1'

IE(OFF) : (+) 2.9'

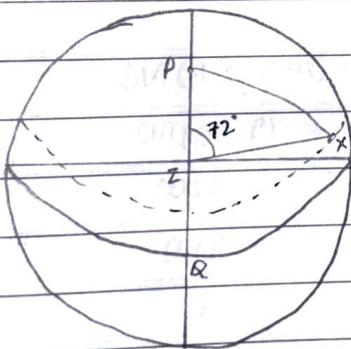
Observed altitude : 24° 00.0'

Dip(HE - 31m) : (-) 29.8' $\times 5200 = 1520$

Apparent altitude : 23° 50.2'

Total corr : (-) 2.2' $\times 200 = 420$

True altitude : 23° 48.0'



$$LZ = 72^\circ$$

$$PZ = 90^\circ - \text{lat} \quad \text{A.H.U.} + \text{Y.A.H.U.} = \text{A.H.U.}$$

$$= 90^\circ - 46^\circ 30'$$

$$= 43^\circ 30'$$

$$ZX = 90^\circ - \text{T. alt}$$

$$= 90^\circ - 23^\circ 48'$$

$$= 66^\circ 12'$$

$$\cos Z = \cos PX \cdot \cos PZ + \sin PX \cdot \sin PZ \cdot \cos ZX$$

$$\sin PZ \cdot \sin ZX$$

$$\cos Z \cdot \sin PZ \cdot \sin ZX = \cos PX - \cos PZ \cdot \cos ZX$$

$$\cos PX = \cos Z \cdot \sin PZ \cdot \sin ZX + \cos PZ \cdot \cos ZX$$

$$\cos PX = \cos 72^\circ \times \sin 43^\circ 30' \cdot \sin 66^\circ 12' + \cos 43^\circ 30' \cdot \cos 66^\circ 12'$$

$$\cos PX = 0.487345$$

$$PX = 60^\circ 50'$$

$$\text{Declination} = 90^\circ - PX$$

$$= 90^\circ - 60^\circ 50'$$

$$= 29^\circ 10' (N) \rightarrow \text{bcz } PX \text{ is less than } 90^\circ \text{ (refer diagram)}$$

$$\cos P = \cos ZX - \cos PZ \cdot \cos PX$$

$$\sin PZ \cdot \sin PX$$

$$\cos P = \cos 66^\circ 12' - \cos 43^\circ 30' \cdot \cos 60^\circ 50'$$

$$\sin 43^\circ 30' \cdot \sin 60^\circ 50'$$

$$\cos P = 0.083$$

$$P = 85^\circ 13.5'$$

body east of meridian

$$LHA = 360^\circ - P$$

$$LHA \star = 360^\circ - 85^\circ 13.5'$$

$$= 274^\circ 46.4'$$

$$LHA \star = LHA Y + SHA \star$$

$$LHA Y + SHA \star = LHA \star$$

$$274^\circ 46.4' = 276^\circ 55.5' + SHA \star$$

$$SHA \star = 357^\circ 50.9'$$

↓

check 14 August

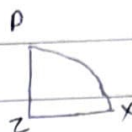
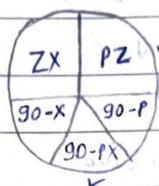
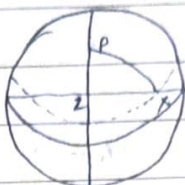
i.e. ALPHERATZ

③ On 29th Nov 1992 in Lat $57^{\circ} 04.4' N$, the star alioth was on the prime vertical, east of the meridian and at the same time another star bore SOUTH with true altitude of $47^{\circ} 32.4'$. Identify the unknown star.

Solⁿ:On 29th Nov,Lat : $57^{\circ} 04.4' N$ SHA Alioth: $166^{\circ} 34.4'$ Dec Alioth: $55^{\circ} 59.6' N$ In ΔPZX ,

$$LZ = 90^{\circ}$$

Using Napier's rule



$$PZ = 90^{\circ} - \text{lat}$$

$$= 90^{\circ} - 57^{\circ} 04.4'$$

$$= 32^{\circ} 55.6'$$

$$PX = 90^{\circ} - \text{dec}$$

$$= 90^{\circ} - 55^{\circ} 59.6'$$

$$= 34^{\circ} 0.4'$$

$$\sin(\text{mid part}) = \tan(\text{adj}) \times \tan(\text{adj})$$

$$\sin(90-P) = \tan PZ \times \tan(90-PX)$$

$$\cos P = \tan 32^{\circ} 55.6' \times \tan(90 - 34^{\circ} 04')$$

$$\cos P = 0.95985$$

$$P = 16^{\circ} 17.5'$$

body east of meridian

$$LHA = 360^{\circ} - P$$

$$LHA \star = 360^{\circ} - 16^{\circ} 17.5'$$

$$= 343^{\circ} 42.5'$$

$$LHA \star = LHA Y + SHA \star$$

$$343^{\circ} 42.5' = LHA Y + 166^{\circ} 34.4'$$

$$LHA Y = 177^{\circ} 08.1'$$

2005 20 00

No. 172

Date 09-05-25

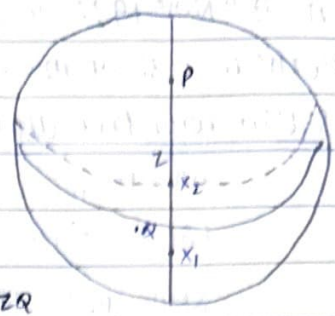
For unknown star:

True alt: $47^{\circ}32'4''$

$ZX_1 \pm 90^{\circ} - T. alt$

$= 90^{\circ} - 47^{\circ}32'4''$

$= 42^{\circ}27'6''$



If we take X_1 , ZX_1 should be more than lat, ZQ

But, ZX_2 is less than lat, ZQ

$42^{\circ}27'6''$

$57^{\circ}04'4''$

Dec, $QX_2 = ZQ - ZX_2$

$= 57^{\circ}04'4'' - 42^{\circ}27'6''$

$= 14^{\circ}36'8'' N$

Since, body is on meridian

$LHA^* = 0^{\circ} \text{ or } 360^{\circ}$

$LHA^* = LHA + SHA^*$

$0^{\circ} \text{ or } 360^{\circ} = 177^{\circ}38'1'' + SHA^*$

$SHA^* = 182^{\circ}21'9''$



on 29th Nov

i.e. Denebola

$\Delta ABC + YAW = \Delta HJ$

$40^{\circ}43'31'' + YAW = 177^{\circ}38'1''$

$YAW = 136^{\circ}54'40''$

⑤ On 13th Oct in Lat $63^{\circ}44.3'N$, star Vega bore $270^{\circ}(T)$ and at the same time an unknown star bore North with altitude $13^{\circ}08'$. Identify the star.

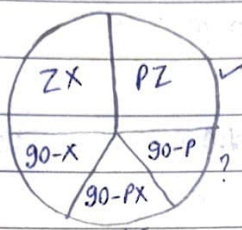
Solⁿ: For Vega: On 13th Oct

Lat $63^{\circ}44.3'N$

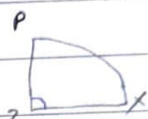
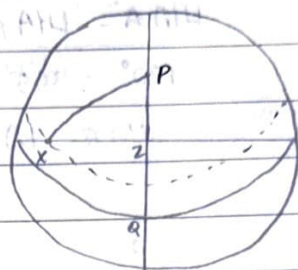
SHA Vega: $80^{\circ}49.5'$

Dec Vega: $38^{\circ}46.9'N$

In ΔPZX ,



$$LZ = 90^{\circ}$$



$$\begin{aligned} PZ &= 90^{\circ} - \text{Lat} = 90^{\circ} - 63^{\circ}44.3' \\ &= 26^{\circ}15.7' \end{aligned}$$

$$\sin(\text{mid part}) = \tan(\text{adj}) \times \tan(\text{adj})$$

$$\sin(90 - P) = \tan PZ \times \tan(90 - PX)$$

$$\cos P = \tan 26^{\circ}15.7' \times \tan 38^{\circ}46.9'$$

$$\cos P = 0.39644$$

$$P = 66^{\circ}38.6'$$

body west of meridian

$$LHA = P$$

$$LHA = 66^{\circ}38.6'$$

$$LHA^* = LHA_Y + SHA^*$$

$$66^{\circ}38.6' = LHA_Y + 80^{\circ}49.5'$$

$$LHA_Y = 345^{\circ}49.1'$$

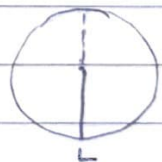
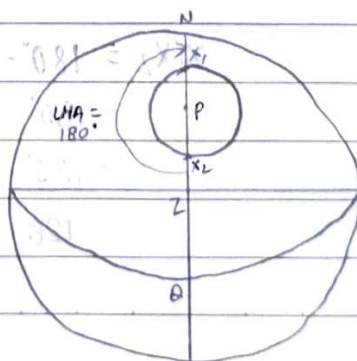
For unknown star,

$$\text{Latitude, } NP = 63^{\circ}44.3'N$$

$$NX_1 = 13^{\circ}08'$$

cannot be NX_2

bcz if $NP = 63^{\circ}44.3'$
so $13^{\circ}08'$ is NX_1



$$PX_1 = NP - NX_1$$

$$= 63^\circ 49' 13'' - 13^\circ 08'$$

$$= 50^\circ 36' 3''$$

* $LHA = 180^\circ$ bcz bore north in NH

$$LHA \star = LHA Y + SHA \star$$

$$180^\circ = 345^\circ 49' 1'' + SHA \star$$

$$SHA \star = 194^\circ 10' 9''$$

↓
Dubhe

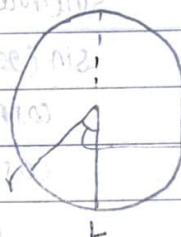
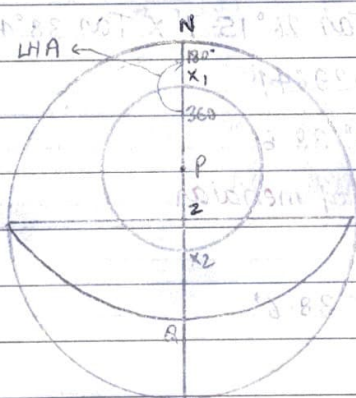
- ④ During morning twilight an unknown star bore south will altitude $40^\circ 20'$. During evening twilight AT LST $03h 34m 24s$, The same star bore north with altitude $13^\circ 08'$. Identify the star.

Soln:-

$$LST = 3h 34m 24s$$

$$(150) \text{ NOT } 1 \text{ hr } = 15.041^\circ \text{ (approx)}$$

$$\text{i.e. } 53^\circ 44.8' \text{ i.e. } LHA Y$$



$$LHA Y = 53^\circ 44.8'$$

$$S \star ANZ + YAHU = A AHU$$

$$NX_1 = 13^\circ 08' + YAHU = 53^\circ 44.8'$$

$$SX_1 = 40^\circ 20' + YAHU = 53^\circ 44.8'$$

$$X_1 X_2 = 180^\circ - (NX_1 + SX_2)$$

$$= 180^\circ - (13^\circ 08' + 40^\circ 20')$$

$$= 180^\circ - 53^\circ 28'$$

$$= 126^\circ 32'$$

$$PX_1 \text{ or } PX_2 = \frac{X_1 X_2}{2}$$

$$= \frac{126^\circ 32'}{2}$$

$$= 63^\circ 16'$$

$$\text{Declination} = 90^\circ - PX_1 \text{ or } PX_2$$

$$= 90^\circ - 63^\circ 16'$$

$$= 26^\circ 44' (N) \rightarrow \text{pole is N}$$

that, mean lat is N
in circumpolar, lat & dec same name

At LST, star bore north i.e. at X_1

$$\text{So, LHA} = 180^\circ$$

$$\text{LHA} \star = \text{LHA} Y + \text{SHA} \star$$

$$180^\circ = 53^\circ 44.8' + \text{SHA} \star$$

$$\text{SHA} \star = -126^\circ 15.2'$$

By referring in Nautical Almanac

$$\text{SHA} \star = -126^\circ 15.2' = \star (111)$$

$$\& \text{Dec} = 26^\circ 44'$$

we find $\star \text{ALH2} + \text{YAH1} = \star \text{ALH}$

$$\star = \text{ALPHECCA}$$

- ⑦ On 10th October 1992 in position long $085^\circ 20' \text{E}$, during morning twilight a unknown star bore south with altitude $65^\circ 19.6'$. About 12 hours later at GST 20h 18m 37s same star bore south again with altitude $06^\circ 0.4'$. Find the latitude of the observer and identify the unknown star.

$$\text{GST : } 20\text{h } 18\text{m } 37\text{s}$$

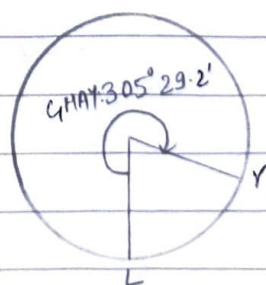
$$1\text{hr} = 15.041^\circ$$

$$\therefore 305^\circ 29.2' \text{ i.e. GHAY}$$

$$\text{GHAY : } 305^\circ 29.2'$$

$$\text{Long (E) : } 085^\circ 20'$$

$$\text{LHA} Y : 030^\circ 49.2'$$



$$SX_1 = 65^\circ 19.6'$$

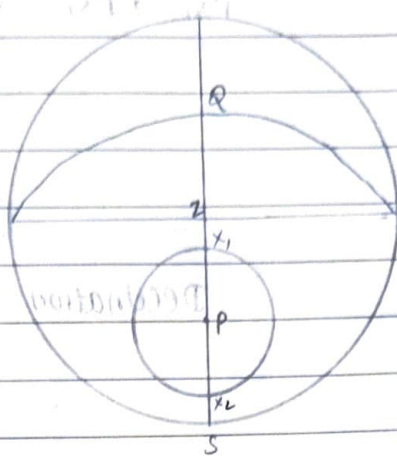
$$SX_2 = 06^\circ 0.4'$$

$$SX_1 = SX_2 + X_1 X_2$$

$$X_1 X_2 = SX_1 - SX_2$$

$$= 65^\circ 19.6' - 06^\circ 0.4'$$

$$= 59^\circ 19.2'$$



$$PX_1 \text{ or } PX_2 = \frac{X_1 X_2}{2}$$

$$= \frac{59^\circ 19.2'}{2}$$

$$= 29^\circ 39.6'$$

$$= 29^\circ 39.6'$$

$$\angle AMZ + \angle PMZ = \angle AMP$$

$$\text{Declination, } QX_1 = 90^\circ - PX_1$$

$$= 90^\circ - 29^\circ 39.6'$$

$$= 60^\circ 20.4' \text{ (S)} \rightarrow \text{bez pole is S}$$

Lat & dec same name

$$\text{LHA } \star = 180^\circ$$

$$\text{LHA } \star = \text{LHA } Y + \text{SHA } \star$$

$$180^\circ = 030^\circ 49.2' + \text{SHA } \star$$

$$\text{SHA } \star = 149^\circ 10.8'$$

$$\text{Star} = \text{Hadar}$$

Ans

APR 2012
 (9) For a stationary observer on 30th November 1992, the true altitude of an unknown star when bearing south was $14^{\circ} 11.2'$. 1 hour 7 min later the true altitude of star Betelgeuse when bearing North was $47^{\circ} 25.5'$. Identify the unknown star.

Soln: For Betelgeuse, ON 30 NOV

$$\text{SHA} : 271^{\circ} 17.6'$$

$$\text{Dec} : 7^{\circ} 24.4' \text{ N}$$

$$\text{PX}_1 \text{ or } \text{PX}_2 = 90^{\circ} - \text{dec} = 82^{\circ} 35.6'$$

If we make this diagram,

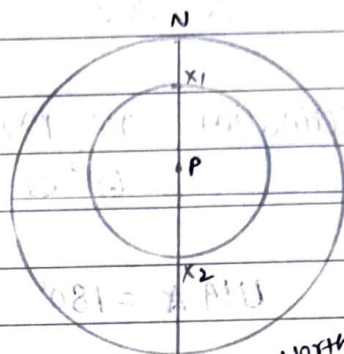
as given bearing N, so if $\text{NX}_1 = 47^{\circ} 25.5'$

$$\& \text{PX}_1 = 82^{\circ} 35.6'$$

$$\text{Lat, NP} = \text{NX}_1 + \text{PX}_1$$

$$= 47^{\circ} 25.5' + 82^{\circ} 35.6' = 130^{\circ} 1.1'$$

$$= 130^{\circ} 1.1' \quad \text{X Not possible}$$



Bearing NORTH

$$\text{NX} = 47^{\circ} 25.5'$$

$$\text{RX} = 7^{\circ} 24.4'$$

$$\text{Lat, ZQ} = 90^{\circ} - (\text{NX} + \text{RX})$$

$$= 90^{\circ} - (47^{\circ} 25.5' + 7^{\circ} 24.4')$$

$$= 35^{\circ} 10.1'$$

$$\text{LHA} \star = 360^{\circ}$$

$$\text{LHA} \star = \text{LHA Y} + \text{SHA} \star$$

$$\text{LHA Y of betelgeuse} = \text{LHA} \star - \text{SHA} \star$$

$$= 360^{\circ} - 271^{\circ} 17.6'$$

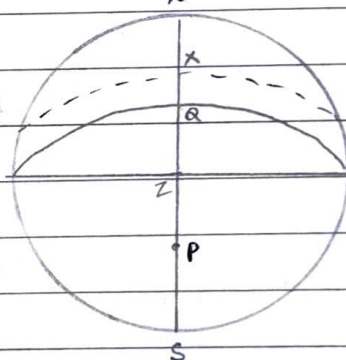
$$\text{LHA Y (betelgeuse)} = 88^{\circ} 42.4'$$

$$\rightarrow 16^{\circ} 47.7'$$

$$(1 \text{ hr } 7 \text{ min} \times 15.041^{\circ})$$

$$\text{LHA Y (UNKNOWN STAR)} = 71^{\circ} 54.7'$$

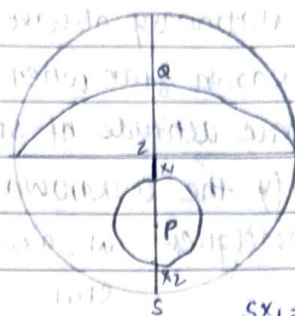
(Subtract
bez unknown
star is
before
betelgeuse)



to subtitled Bearing SOUTH

$$SX_2 = 14^\circ 11.2'$$

$$\text{Lat, SP} = 35^\circ 10.1'S \text{ (from 1st diagram)}$$



$$PX_2 = SP - SX_2$$

$$= 35^\circ 10.1' - 14^\circ 11.2'$$

$$= 20^\circ 58.9'$$

$$SX_1 = 14^\circ 11.2' \text{ (NOT POSSIBLE)}$$

$$SP = 35^\circ 10.1'$$

Hence, SX_2 is possible

$$\text{Declination} = 90^\circ - PX_2$$

$$= 69^\circ 01.1'S$$

$$LHA \star = 180^\circ$$

$$LHA \star = LHA Y + SHA \star$$

$$180^\circ = 71^\circ 54.7' + SHA \star$$

$$SHA \star = 108^\circ 5.3'$$



ATRIA

STAR MAGNITUDE

No. 179

Date 14.05.2025

- Q12 STAR 'A' has a magnitude of -0.8 and it is 30 times brighter than star B. Find the magnitude of star B.

SOIⁿ First check if before 0 or after 0

Case (i) : Before zero

$$\text{FACTOR} = 2.512$$

$$2.512^{0.8} = 2.989$$

wrong - it should be 30

Case (ii) : After zero

$$2.512^{(0.8+x)} = 30$$

$$\log 2.512^{(0.8+x)} = \log 30$$

$$(0.8+x) \log 2.512 = \log 30$$

$$0.8+x = \frac{\log 30}{\log 2.512}$$

$$0.8+x = 3.693$$

$$x = 2.893$$

Ans

$$x = -0.8$$

$$x - (-0.8)$$

$$-1.6 \text{ \& } -3.9$$

$$-1.6 - (-3.9)$$

diff b/w magnitude

$$2.512^x = 30$$

$$x \log 2.512 = \log 30$$

$$x = 3.693$$

Total magnitude $A = B - A$

$$3.693 = B - (-0.8)$$

$$B = 2.893$$

- Q1 In position $38^\circ 12'N$, $119^\circ 38'E$, find the stars of 1st and 2nd magnitude and planets if any crossing observer's meridian 1800 hrs and 1900 hrs ship's time (Time zone: -0800 hrs) on 13 Sep 1992

SOIⁿ Zone time: -0800 hrs

GMT: 1800 hrs & 1900 hrs

GMT: 1000 hrs to 1100 hrs

1000 HRS

$$GHAY (13d 10h) : 142^\circ 38.8'$$

$$Long(E) : 119^\circ 38'$$

$$LHAY : 262^\circ 16.8'$$

$$LHA \star = LHAY + SHA \star$$

$$360 = 262^\circ 16.8' + SHA \star$$

$$SHA \star = 97^\circ 43.2'$$

1100 HRS

$$GHAY (13d 11h) : 157^\circ 41.3'$$

$$Long(E) : 119^\circ 38'$$

$$LHAY : 277^\circ 19.3'$$

$$LHA \star = LHAY + SHA \star$$

$$360 = 277^\circ 19.3' + SHA \star$$

$$SHA \star = 82^\circ 40.7'$$

$$82^\circ 40.7' - 97^\circ 43.2'$$

From almanac, prepare for all 1st & 2nd magnitude star

Note:- Lat & dec same name, always visible & above horizon
 Lat & dec diff name, check if $\text{Lat} + \text{dec} < 90^\circ$ i.e. visible
 $\text{Lat} + \text{dec} > 90^\circ$ NOT visible

20.08.2021		SHA: $82^\circ 40.7' - 97^\circ 43.2'$		No.	Date
MAG	NAME	SHA	DEC	LAT	REMARKS
2.0	KAUS AUSTRALIS	$84^\circ 04.2'$	$34^\circ 23.4'S$	$38^\circ 12' N$	$\text{Lat} + \text{dec} < 90^\circ$ (available)
2.0	SCORPII (θ)	$95^\circ 47.7'$	$42^\circ 59.8'S$	$38^\circ 12' N$	$\text{Lat} + \text{dec} < 90^\circ$ (available)
1.7	Shaula	$96^\circ 43.0'$	$37^\circ 06.0'S$	$38^\circ 12' N$	$\text{Lat} + \text{dec} < 90^\circ$ (available)
	NO PLANETS	AVAILABLE			

Ans: Kaus Australis, Scorpii, Shaula.

- ② On 21st July 1992 PM a ship in DR position $56^\circ 00' N$, $042^\circ 10' W$, Find 1st and 2nd Magnitude star that will cross the observer's inferior meridian and are suitable for observation from end of civil twilight to end of Nautical twilight.

Ans:-

SUNSET $\xrightarrow{\text{horizon}}$ SUNRISE
 end of civil $\xrightarrow{\text{CIVIL}}$ start
 end of nautical $\xrightarrow{\text{NAUTICAL}}$ start

from end of $\xrightarrow{\text{ASTRONOMICAL}}$ starting of astronomical

SUNSET $\xrightarrow{\text{CIVIL}}$ NAUTICAL
 LAT 56° 21h 20m 22h 49m

CIVIL $\xrightarrow{\text{LMT: 21h 20m}}$ NAUTICAL

LMT: 21h 20m LMT: 22h 49m
 LT(W): 02h 48m 40s LT(W): 02h 48m 40s
 GMT: 22D 00h 08m 40s GMT: 22D 01h 37m 40s

GHA Y (22d 00h): $299^\circ 59.8'$ GHA Y (22d 01h): $315^\circ 02.3'$
 Increment (08m 40s): $2^\circ 10.4'$ Increment (37m 40s): $9^\circ 26.5'$
 GHA Y: $302^\circ 10.2'$ GHA Y: $324^\circ 28.8'$
 Long (W): $042^\circ 10.0'$ Long (W): $042^\circ 10.0'$
 LHA Y: $260^\circ 0.2'$ LHA Y: $282^\circ 18.8'$

LHA $\star = \text{LHA Y} + \text{SHA } \star$

LHA $\star = \text{LHA Y} + \text{SHA } \star$

question says inferior meridian $\leftarrow 180^\circ = 260^\circ 0.2' + \text{SHA } \star$ $180^\circ = 282^\circ 18.8' + \text{SHA } \star$
 SHA $\star = 279^\circ 59.8'$ SHA $\star = 257^\circ 41.2'$

SHA: $257^{\circ}41'2'' - 279^{\circ}59'8''$

MAG	NAME	SHA	DEC	LAT	REMARKS
-1.6	SIRIUS	$258^{\circ}47'8''$	$16^{\circ}42'3''S$	$56^{\circ}00'N$	LAT & DEC diff name-body is not circumpolar. NOT AVAILABLE
1.9	ALHENA	$260^{\circ}40'8''$	$16^{\circ}24'4''N$	$56^{\circ}00'N$	SAME NAME BUT LESS THAN 90° NOT CIRCUMPOLAR. NOT AVAILABLE
-0.9	CANOPUS	$264^{\circ}3'6''$	$52^{\circ}41'4''S$	$56^{\circ}00'N$	LAT & DEC DIFF NAME-BODY IS NOT CIRCUMPOLAR. NOT AVAILABLE
2.0	MIRZAM	$264^{\circ}24'5''$	$17^{\circ}57'1''S$	$56^{\circ}00'N$	" "
1.9	ALNITAK	$274^{\circ}54'3''$	$1^{\circ}56'7''S$	$56^{\circ}00'N$	" "
1.8	ALNILAM	$276^{\circ}02'5''$	$1^{\circ}12'3''S$	$56^{\circ}00'N$	" "
1.8	ELNATH	$278^{\circ}32'7''$	$28^{\circ}36'1''N$	$56^{\circ}00'N$	SAME NAME BUT LESS THAN 90° NOT CIRCUMPOLAR. NOT AVAILABLE
1.7	BEUATRIX	$278^{\circ}49'0''$	$6^{\circ}20'6''N$	$56^{\circ}00'N$	" "

Question says: Inferior meridian

body will be visible only when circumpolar

Answer: None of the star is circumpolar, so not suitable

- ⑪ On 15th June 1992 in position Lat: $20^{\circ}N$, Long $075^{\circ}00'E$, which stars and planets of 1st and 2nd magnitude will be within 15° of observer's meridian? which of them can be used for ex-meridian observation? The observation is to be made at the end of PM CIVIL TWILIGHT.

Ans:

SUNSET

Lat $20^{\circ}N$

LMT CIVIL TWILIGHT: 15D 19H 05M

LIT(E): (L) + 05H 00M

GMT CIVIL TWILIGHT: 15D 14H 05M

GHAY (15d 14h): $114^{\circ}06'2''$ Increment (05m 00s): $01^{\circ}15'2''$ GHAY: $115^{\circ}21'4''$ Long(E): $075^{\circ}00'00''$ LHAY: $190^{\circ}21'4''$ LHA $\star = LHAY + SHA \star$ $15^{\circ} = 190^{\circ}21'4'' + SHA \star$ $SHA \star = 184^{\circ}38'6''$ $360^{\circ} \pm 15^{\circ}$

$$\text{SHA } \star = 154^{\circ} 38' 6'' - 184^{\circ} 38' 6''$$

$$1 \text{ hr} = 15^{\circ} 04'$$

MAG	NAME	SHA	DEC	LAT	A Table I	EML Table IV	P	Remarks
1.2	VIRGINIS SPICA	158° 47.7'	11° 07.5'S	20° 00' N	3.51	29 min 7° 16'	10.8°	P > EML, Ex-meridian observation not possible
1.7	URSAE MAJORIS/ AUOTH	166° 34.1'	56° 00.2' N	20° 00' N	1.76	44 min 11° 1.8'	3.1°	P < EML, Ex-meridian observation possible
1.5	MIMOSA	168° 10.3'	59° 39.2'S	20° 00' N	0.95	62 min 15° 32.5'	1.5°	P < EML, Ex-meridian observation possible
1.6	GACRUX	172° 18.4'	57° 04.7'S	20° 00' N	1.03	60 min 15° 04'	2.7°	P < EML, Ex-meridian observation possible
1.1	ACRUX	173° 26.9'	63° 03.9'S	20° 00' N	0.84	66 min	3.8°	P < EML, Ex-meridian observation possible
			NO PLANET AVAILABLE					

① $\text{LHA } \star = \text{LHA } Y + \text{SHA } \star$

FOR SPICA, $\text{LHA } \star = 190^{\circ} 21.4' + 158^{\circ} 47.7'$ LHA 180° to 360°

$= 349^{\circ} 09.1'$ body east of meridian

$P = 360^{\circ} - 349^{\circ} 09.1'$ $P = 360^{\circ} + \text{LHA}$

$= 10^{\circ} 50.9'$

② FOR AUOTH, $\text{LHA } \star = 190^{\circ} 21.4' + 166^{\circ} 34.1'$

$= 356^{\circ} 55.5'$

$P = 360^{\circ} - 356^{\circ} 55.5'$

$= 3^{\circ} 4.5'$

③ FOR MIMOSA, $\text{LHA } \star = 190^{\circ} 21.4' + 168^{\circ} 10.3'$

$= 358^{\circ} 31.7'$

$P = 360^{\circ} - 358^{\circ} 31.7'$

$= 1^{\circ} 28.3'$

④ FOR GACRUX, $\text{LHA } \star = 190^{\circ} 21.4' + 172^{\circ} 18.4'$ LHA 0° to 180°

$= 2^{\circ} 39.8'$ body west of meridian

$P = \text{LHA}$

$P = 2^{\circ} 39.8'$

⑤ FOR ACRUX, $\text{LHA } \star = 190^{\circ} 21.4' + 173^{\circ} 26.9'$

$= 3^{\circ} 48.3'$

$P = 3^{\circ} 48.3'$

- ⑧ On 29th Nov 92 in DR $32^{\circ}00'N$ $066^{\circ}34'E$, find the first and second magnitude stars suitable for ex-meridian observation at the beginning of civil twilight in the morning

Solⁿ:

LMT CIVIL TWILIGHT: 29D 06H 15M 36S

LT(E): (-) 04H 26M 16S

GMT CIVIL TWILIGHT: 29D 01H 49M 20S

GHAY (29d 01h): $83^{\circ}10.3'$ Increment (49m 20s): $12^{\circ}22.0'$ GHAY: $95^{\circ}32.3'$ Long(E): (+) $66^{\circ}34.0'$ LHAY: $162^{\circ}06.3'$

If no ex-meridian limit given in question,

Take max^m ex-meridian limit i.e. $71m \times 15.041^{\circ}$ $17^{\circ}47.9'$ $LHA \star = 360^{\circ} \pm 17^{\circ}47.9'$ $LHA \star = LHAY + SHA \star$ $LHA \star = LHAY + SHA \star$ $17^{\circ}47.9' = 162^{\circ}06.3' + SHA \star$ $342^{\circ}12.1' = 162^{\circ}06.3' + SHA \star$ $SHA \star = 215^{\circ}41.6'$ $SHA \star = 180^{\circ}5.8'$ $SHA \star = 180^{\circ}5.8' - 215^{\circ}41.6'$

MAG	NAME	SHA	DEC	LAT	A Table I	EML Table IV	P	REMARKS
2.0	DUBHE	$194^{\circ}10.6'$	$61^{\circ}47.0'N$	$32^{\circ}00'N$	1.58	$47m$ $11^{\circ}47'$	3.7°	$P < EML$, Ex meridian observation possible
1.3	REGULUS	$207^{\circ}59.9'$	$12^{\circ}00'N$	$32^{\circ}00'N$	4.76	$23m$ $5^{\circ}46'$	10.1°	$P > EML$, Ex meridian observation not possible
NO PLANET AVAILABLE								

① For dubhe, $LHA \star = LHAY + SHA \star$ $= 162^{\circ}06.3' + 194^{\circ}10.6'$ $= 356^{\circ}16.9'$ $P = 360^{\circ} - 356^{\circ}16.9'$ $= 3^{\circ}43.1'$ ② Regulus $= 162^{\circ}06.3' + 207^{\circ}59.9' = 10^{\circ}06.2'$ $P = 10^{\circ}06.2'$