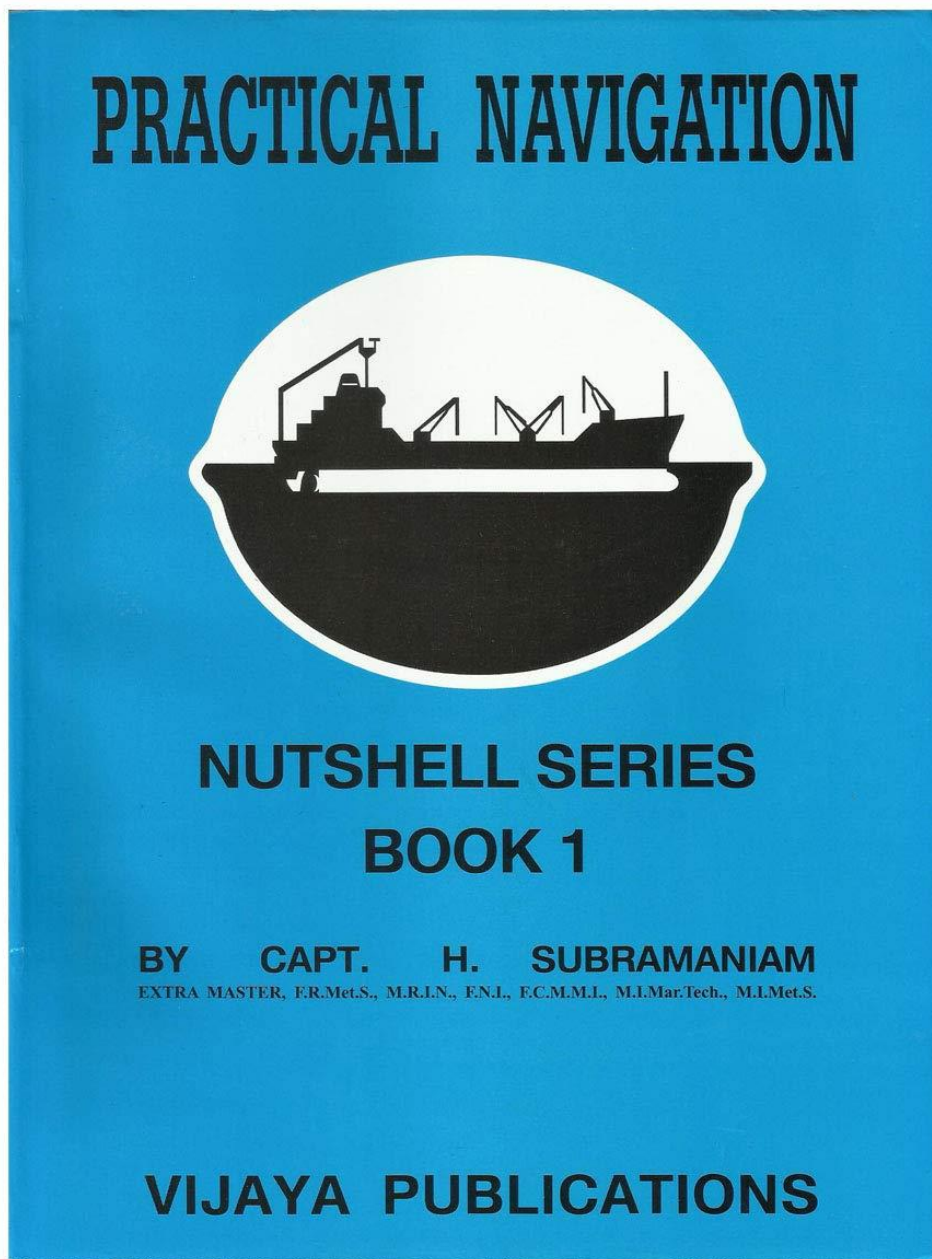


PRACTICAL NAVIGATION BOOK SOLUTION



By : Anupam Singh Rajput

 : SMART MARINER (Please subscribe)

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SECTION - II - PRACTICAL NAVIGATION (140 MARKS)

Q. NO. 4 is compulsory. Attempt any 3 questions out of remaining four.

Q

4. STAGGERED/SIMULTANEOUS PLOTS (35 MARKS)

5. LONG BY CHRON SUN/MOON (35 MARKS)

6. INTERCEPT METHOD (35 MARKS)

7. COMPASS ERROR BY ABC TABLE &/OR ERROR BY AMPLITUDE &/OR TIMES OF RISING/SETTING/MERIDIAN PASSAGE/MERIDIAN ALTITUDE OF SUN (35 MARKS)

8. POLARIS/COMPUTATION OF ALTITUDE/EX-MERIDIAN (35 MARKS)

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CHAPTER 27: LOP BY THE SUN

Exercise-28 (Azimuth sun)

① If chron time is given & its error is given, then this is how we get GMT

Chron	01h 08m 10s	OR (+12)	13h 08m 10s
Error slow-	(+) 02m 12s		(+) 02 12s
GMT	01h 10m 22s	this or this?	13h 10m 22s
LIT(W)	(+) 03h 09m 12s	so we find LMT As this is a SUN problem, so sun will not there at 22h, it is at 10h	(-) 03h 09m 12s
LMT	22h 01m 10s	SO GMT IS	13d 10h 01m 10s

GMT = 13d 13h 10m 22s

Q. NO ①

Chron	04h 01m 52s	OR	16h 01m 52s
Chron slow-(+)	04m 20s		(+) 04m 20s
GMT	20d 04h 06m 12s	OR	16h 06m 12s
LIT(E)-(+))	04h 38m 48s		04h 38m 48s
LMT	20d 08h 45m 00s		20h 45m 00s

GMT = 20d 04h 06m 12s

GHA (20d 04h)	238° 24' 6"	DEC (20d 04h)	20° 35' 9" N
Increment (06m 12s)	1° 33' 0"	d(0.5)	0.1'
GHA Sun	239° 57' 6"	Declination sun	20° 36' 0" N
Long (E)	(+) 69° 42' 0"		
LHA Sun	309° 39' 6"	Lat	44° 31' N

$P = 360^\circ - LHA$
 $P = 360^\circ - 309^\circ 39' 6"$
 $P = 50^\circ 20' 4"$

$A = \frac{\tan lat}{\tan P}$

$B = \frac{\tan dec}{\sin P}$

$A = \frac{\tan 44^\circ 31'}{\tan 50^\circ 20' 4"}$

$B = \frac{\tan 20^\circ 36'}{\sin 50^\circ 20' 4"}$

$A = 0.815$ (S) named opp to lat expect when LHA is b/w 090 to 270

$B = 0.488$ (N) same as declination

$c = A \pm B$ (same name add, diff name subtract)
 $C = 0.815 - 0.488$
 $C = 0.327 S$



$$\tan AZ = \frac{1}{\cos lat}$$

$$\tan AZ = 1$$

$$0.327 \times \cos 44^\circ 31'$$

$$\tan AZ = 4.289$$

$$AZ = 76.8^\circ \text{ (E)}$$

same as LHA is 180° - W
LHA is 180° - E

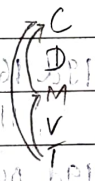
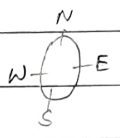
$$T AZ = 103.2^\circ (180 - 76.8)$$

$$C AZ = 100^\circ$$

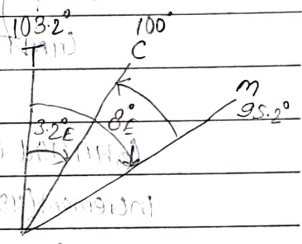
$$C Error = 3.2^\circ E$$

$$V = 8^\circ E$$

$$D = 4.8^\circ W$$



we know T & C



$$21.8 \times 100 = (100) \sin 32^\circ$$

$$100 \sin 32^\circ = 64.28$$

$$21.8 \times 100 = (100) \sin 8^\circ$$

$$100 \sin 103.2^\circ = (100) \sin 100^\circ$$

$$100 \sin 103.2^\circ = 98.48$$

bcz E & less in right

②

GPS = 22d 10h 09m 38s

$$GHA \text{ Sun } (22d 10h) = 331^\circ 51.4'$$

$$Dec (22d 10h) = 0^\circ 5.6' N$$

$$\text{Increment } (09m 38s) = 2^\circ 24.5'$$

$$d(1.0) = 0.2'$$

$$GHA \text{ Sun} = 334^\circ 15.9'$$

$$\text{Declination Sun} = 0^\circ 5.8' N$$

$$\text{Long (E)} = (+) 85^\circ 40.0'$$

$$\text{Lat} = 18^\circ 20' N$$

$$LHA \text{ Sun} = 259^\circ 55.9'$$

$$P = 59^\circ 55.9'$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 18^\circ 20'}{\tan 59^\circ 55.9'}$$

$$B = \frac{\tan 0^\circ 5.8'}{\sin 59^\circ 55.9'}$$

$$A = 0.192 S$$

$$B = 0.002 N$$

$$C = A - B$$

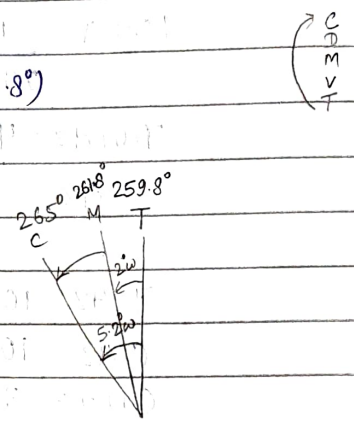
$$0.192 - 0.002 = 0.190 S$$

$$C = 0.190 S$$

$$\tan AZ = \frac{1}{\cos lat}$$

$$\tan AZ = \frac{1}{\cos 18^\circ 20'}$$

$\tan AZ = \frac{265^\circ}{5.5446}$
 $AZ = 979.8^\circ W$
 $T AZ = 259.8^\circ (180^\circ + 79.8^\circ)$
 $CAZ = 265^\circ$
 Compass Error = $5.2^\circ W$
 $V = 2^\circ W$
 $D = 3.2^\circ W$



(3) LMT - 19d 16h 18m 00s
 Zone time - 11h 30m 00s
GMT - 19d 04h 48m 00s

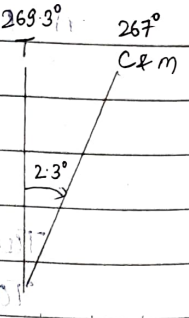
GHA (19d 04h) : $237^\circ 22.8'$ Dec (19d 04h) : $20^\circ 28.4's$
 Increment (48m 00s) : $12^\circ 00.0'$ $d(0.5) : 0.4'$
 GHA sun : $249^\circ 22.8'$ Declination sun : $20^\circ 28.8's$
 Long (E) : $(+175^\circ 31.0')$

LHA sun : $64^\circ 53.8'$ Lat : $40^\circ 16's$
 $P = 64^\circ 53.8'$

$A = \frac{\tan lat}{\tan P}$ $B = \frac{\tan dec}{\sin P}$
 $A = \frac{\tan 40^\circ 16'}{\tan 64^\circ 53.8'}$ $B = \frac{\tan 20^\circ 28.8'}{\sin 64^\circ 53.8'}$
 $A = 0.397 N$ $B = 0.412 S$

$C = B - A$
 $C = 0.412 - 0.397$
 $C = 0.015 S$

$\tan AZ = \frac{C}{\cos lat}$
 $\tan AZ = \frac{0.015}{\cos 40^\circ 16'}$
 $\tan AZ = 87.369$
 $AZ = 89.3^\circ W$
 $T AZ = 269.3^\circ$
 $CAZ = 267^\circ$
 Error = $2.3^\circ E$
 $V = 2.3^\circ E$
 $D = 0^\circ$



(4)

G_{HA} = 30d 11h 00m 52s

G_{HA} (30d 11h) - 345° 42.5'

Dec (30d 11h) - 14° 57.8' N

Increment (00m 52s) - 0° 13.0'

d(0.7) - 0.0

G_{HA} Sun : 345° 55.5'

Declination Sun : 14° 57.8' N

Long (W) : (-) 60° 12.0'

LHA Sun : 285° 43.5'

Lat - 00° 00.0'

$$P = 360^\circ - LHA$$

$$P = 360^\circ - 285^\circ 43.5'$$

$$P = 74^\circ 16.5'$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 00^\circ 00.0'}{\tan 74^\circ 16.5'}$$

$$B = \frac{\tan 14^\circ 57.8'}{\sin 74^\circ 16.5'}$$

$$A = 0$$

$$B = 0.278 \text{ N}$$

$$C = 0.278 \text{ N}$$

$$\tan Az = \frac{C \times \cos \text{lat}}{\sin P}$$

$$\tan Az = \frac{0.278 \times \cos 00^\circ 00.0'}{\sin 74^\circ 16.5'}$$

$$\tan Az = 3.597$$

$$Az = N 74.5^\circ E$$

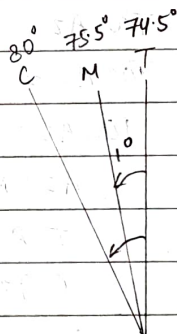
$$T Az = 74.5^\circ$$

$$C Az = 80^\circ$$

$$C \text{ Error} = 5.5^\circ W$$

$$V = 1^\circ W$$

$$D = 4.5^\circ W$$



(5)

~~Chron - 05h 10m 25.5s~~

17h 10m 25s

~~Error fast - (-) 00m 05s~~

00m 05s

~~G_{MT} - 05h 10m 20s~~

17h 10m 20s

~~L_T - 00h 00m 00s~~

00h 00m 00s

~~L_{M_T} - 05h 10m 20s~~

17h 10m 20s

G_{MT} = 31d 17h 10m 20s

GHA (31d 17h) : $74^{\circ} 58.4'$

Dec (31d 17h) : $8^{\circ} 19.6' N$

Increment (10m 20s) : $2^{\circ} 35.0'$

dLo-g) : $0.2'$

GHA Sun : $77^{\circ} 33.4'$

Dec Sun : $8^{\circ} 19.8' N$

long : $00^{\circ} 00.0'$

LHA : $77^{\circ} 33.4'$

Lat : $10^{\circ} 11' S$

P = $77^{\circ} 33.4'$

$A = \frac{\tan \text{lat}}{\tan P}$

$B = \frac{\tan \text{dec}}{\sin P}$

$A = \frac{\tan 10^{\circ} 11'}{\tan 77^{\circ} 33.4'}$

$B = \frac{\tan 8^{\circ} 19.8'}{\sin 77^{\circ} 33.4'}$

$A = 0.039 N$

$B = 0.149 N$

$C = A + B$

$C = 0.039 + 0.149$

$C = 0.188 N$

$\tan Az = \frac{C}{\cos \text{lat}}$

$\tan Az = \frac{0.188}{\cos 10^{\circ} 11'} = 0.194$

$\tan Az = 5.404$

$Az = N 79.5 W$

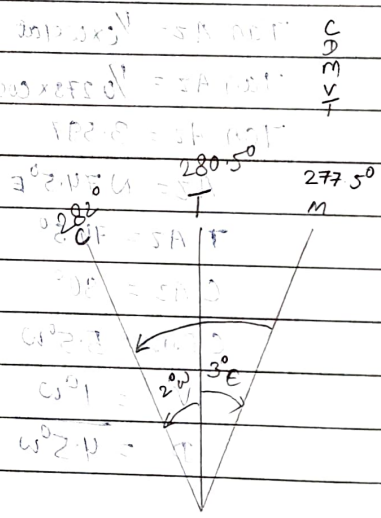
$T Az = 280.5^{\circ}$

$C Az = 282^{\circ}$

$C \text{ Error} = 1.5^{\circ} W$

$V = 3^{\circ} E$

$D = 4.5^{\circ} W$



220 000 120	220 000 120 - 000 000
220 000	220 000 120 - 120 000
220 000 120	220 000 120 - 120 000
220 000 120	220 000 120 - 120 000
220 000 120	220 000 120 - 120 000

220 000 120 120 - 120 000



$$\cos RAZ/SAZ = \frac{\sin dec}{\cos lat}$$

Long E, GMT least

Long W, GMT best

Latitude : $40^{\circ}28'N$

LMT Sunrise : 02d 05h 28m 00s

LIT(E) : (-) 04h 17m 20s

GMT Sunrise : 02d 01h 10m 40s

Dec(02d 01h) : $7^{\circ}50.5'N$

d(0.9) : $0.2'$

Declination sun : $7^{\circ}50.7'N$

$$\cos RAZ = \frac{\sin dec}{\cos lat}$$

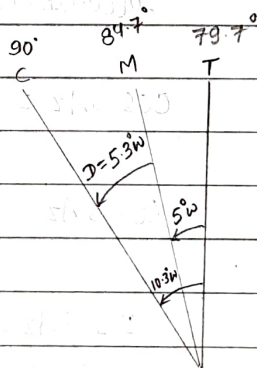
$$\cos RAZ = \frac{\sin 7^{\circ}50.7'}{\cos 40^{\circ}28'}$$

$$\cos RAZ = 0.179$$

$$RAZ = 79.7^{\circ}$$

same as dec

bcz it is rising sun



$$TAZ = 79.7^{\circ}$$

$$CAZ = 90^{\circ}$$

$$C\text{ Error} = 10.3^{\circ}W$$

$$var = 5^{\circ}W$$

$$Dev = 5.3^{\circ}W$$

LMT sunset : 01d 18h 38m 00s

LIT(W) : (+) 11h 59m 00s

GMT sunset : 02d 06h 37m 00s

Dec(02d 06h) : $15^{\circ}30.8'N$

d(0.7) : $0.4'$

Declination sun : $15^{\circ}31.2'N$

$$\cos SAZ = \frac{\sin dec}{\cos lat}$$

$$\cos SAZ = \frac{\sin 15^{\circ} 31.2'}{\cos 30^{\circ} 06'}$$

$$\cos SAZ = 0.309$$

$$SAZ = N 72.0^{\circ} W$$

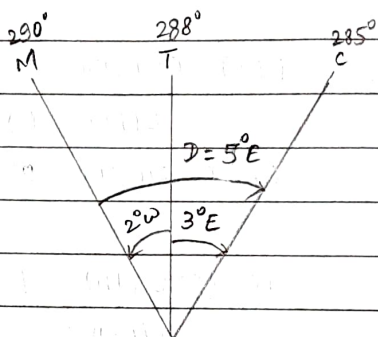
$$TAZ = 288^{\circ}$$

$$CAZ = 285^{\circ}$$

$$C \text{ Error} = 3^{\circ} E$$

$$\text{Var} = 2^{\circ} W$$

$$\text{Dev} = 5^{\circ} E$$



③

LMT sunset: 20d 20h 19m 00s

LIT(W):(H) 03h 05m 48s

GMT sunset: 20d 23h 24m 48s

DEC(20d 23h): $20^{\circ} 5.7' S$

d(0.5): $0.2'$

Declination sun: $20^{\circ} 5.9' S$

$$\cos SAZ = \frac{\sin dec}{\cos lat}$$

$$\cos SAZ = \frac{\sin 20^{\circ} 5.9'}{\cos 54^{\circ} 20'}$$

$$\cos SAZ = 0.58935$$

$$SAZ = S 53.9^{\circ} W$$

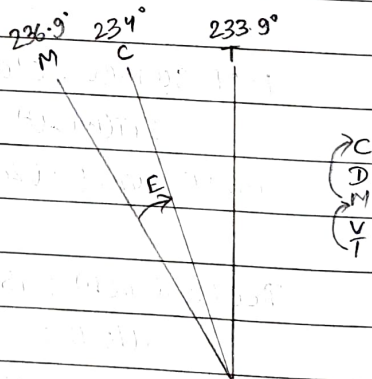
$$TAZ = 233.9^{\circ}$$

$$CAZ = 234^{\circ}$$

$$C \text{ Error} = 0.1^{\circ} W$$

$$\text{Var} = 3^{\circ} W$$

$$\text{Dev} = 2.9^{\circ} E$$



4

Chron time: ~~00~~ 30d 00h 10m 00s

Error (steer) : (+) 05m 10s

GMT : 30d 00h 15m 10s (OR) (+12)

LIT (E) : (+) 07h 20m 48s

LMT : 30d 07h 35m 58s

~~30d 12h 10m 00s~~

~~(+) 05m 10s~~

~~30d 12h 15m 10s~~

~~(+) 07h 20m 48s~~

~~30d 19h 35m 58s~~

~~GMT~~ LMT sunrise: 30d 06h 16m 46s

LIT (E) : (-) 07h 20m 48s

GMT sunrise: 29d 22h 55m 58s

Dec (29d 22h) : $21^{\circ} 39' 2''$

d(0.4) : 0.4'

Declination sun: $21^{\circ} 39' 6''$

$$\cos RAZ = \frac{\sin dec}{\cos lat}$$

$$\cos RAZ = \frac{\sin 21^{\circ} 39' 6''}{\cos 49^{\circ} 18'}$$

$$\cos RAZ = 0.566$$

$$RAZ = 55.5^{\circ} E$$

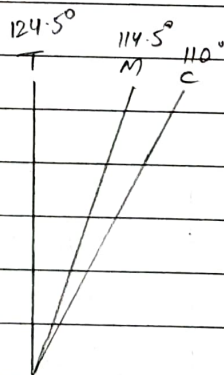
$$T AZ = 124.5^{\circ}$$

$$C AZ = 110^{\circ}$$

$$C Error = 14.5^{\circ} E$$

$$Var = 10^{\circ} E$$

$$Dev = 4.5^{\circ} E$$



5

LMT sunrise: 23d 05h 49m

LIT (W) : (+) 08h 01m 48s

GMT: 23d 13h 50m 48s

Declination (23d 13h) : $5^{\circ} 0' 20.7''$

d(1.0) : 0.8

Declination sun : $5^{\circ} 0' 21.5''$

$$\cos RAZ = \frac{\sin \text{dec}}{\cos \text{lat}}$$

$$\cos RAZ = \frac{\sin 0^\circ 21.5'}{\cos 00^\circ 00'}$$

$$RAZ = 89.6E$$

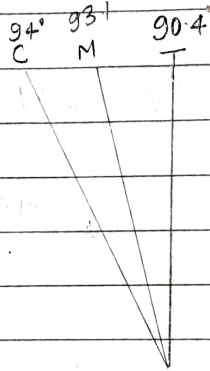
$$TAZ = 90.4$$

$$CAZ = 94^\circ$$

$$\text{Error} = 3.6^\circ W$$

$$\text{Var} = 2.7^\circ W$$

$$\text{Dev} = 0.9^\circ W$$



KEY

Latitude - position of observer

Dec - position of body (sun)

If Lat is $10^\circ N$, Dec is $12^\circ N$, T alt will be N

Lat - $10^\circ N$, Dec - $8^\circ N$, T alt will be S

Lat - $10^\circ S$, Dec - $8^\circ S$, T alt will be N

Lat - $10^\circ S$, Dec - $12^\circ S$, T alt will be S

Lat < Dec, same as lat

Lat > Dec, opp. to lat

LOP is always E-W

bcz mer. alt. is the true altitude of a celestial body when it is on the observer's meridian. Its azimuth at that time will be either N(000°) or S(180°).

So LOP in both the cases be $090^\circ \leftrightarrow 270^\circ$

* Thumb rules

- 1) IE(on) :- (-) ; IE(off) :- (+)
- 2) Dip :- (-)
- 3) Name of T. alt - (see in previous page)
- 4) MZD = $90^\circ - T. Alt$ & named opposite to T. alt.
- 5) MZD & dec :- same name add, retain the name
different name subtract, keep the name of larger one.

Exercise-30 - Lat by mer alt sun

- (1) LMT mer. pass - 21d 12h 11m 00s
LIT(W) - (+) 07h 21m 20s
GMT mer. pass - 21d 19h 32m 20s

Dec(21d 19h) : $19^\circ 54.7' S$

d(0.5) : $0.3'$

Declination sun : $19^\circ 55.0' S$

Sextant altitude : $85^\circ 03.5'$

IE(off) : (+) $1.6'$

Observed altitude : $85^\circ 5.1'$

Dip (HE-10m) : (-) $5.6'$

Apparent altitude : $84^\circ 59.5'$

Total corr. LL : (+) $16.1'$

True Altitude : $85^\circ 15.6' N$

MZD : $4^\circ 44.4' S$

Dec : $19^\circ 55.0' S$

Lat : $24^\circ 39.0' S$

LOP : E-W

②

LMT mer. pass = Old 12h 00m 00s

LIT(E) = (-) 03h 21m 48s

GMT mer. pass = Old 08h 38m 12s

Dec(Old 08h) : $8^{\circ} 06' 0'' N$

d(0.9) : (-) 0.6'

Declination Sun : $8^{\circ} 05' 4'' N$

Sextant altitude : $82^{\circ} 10' 4''$

IE(on) : (-) 2.4'

Observed altitude : $82^{\circ} 8' 0''$

Dip(HE-17m) : (-) 7.3'

Apparent altitude : $82^{\circ} 0' 7''$

Total corr. UL : (-) 16.0'

True Altitude : $81^{\circ} 44' 7'' N$

MZD : $08^{\circ} 15' 3'' S$

Dec : $08^{\circ} 05' 4'' N$

Lat : $00^{\circ} 9' 9'' S$

PL - E-W

③

LMT mer. pass : Old 11h 57m 00s

UT(E) : (-) 11h 59m 52s

GMT mer. pass : 30~~0~~d 23h 57m 08s

Dec(30d 23h) : $15^{\circ} 06' 9'' N$

d(0.7) (+) 0.7'

Declination Sun : $15^{\circ} 07' 6'' N$

Sextant Altitude : $64^{\circ} 35' 9''$

Dip(HE-15m) : (+) 6.8'

Apparent altitude : $64^{\circ} 29' 1''$

Total corr. UL : (+) 15.5'

True altitude : $64^{\circ} 44' 6'' S$

MZD : $25^{\circ} 15' 4'' N$

Dec : $15^{\circ} 07' 6'' N$

Lat : $40^{\circ} 23' 0'' N$

PL - E-W



④

LMT mer. pass: 14d 11h 55m 00s

LIT(W): (+) 07h 45m 48s

GMT mer. pass: 14d 19h 40m 48s

Dec(14d 19h): $3^{\circ} 2.8' N$

d(1.0): (-) 0.7'

Dec sun: $3^{\circ} 2.1' N$ Sextant altitude: $70^{\circ} 29.8'$

IE (off): (+) 3.2'

Observed altitude: $70^{\circ} 33.0'$

DIP (HE-12m): (-) 6.1'

Apparent altitude: $70^{\circ} 26.9'$

Total corr UL: (-) 16.2'

True altitude: $70^{\circ} 10.7' N$ MZD: $19^{\circ} 49.3' S$ Dec: $3^{\circ} 2.1' N$ Lat: $16^{\circ} 47.2' S$

PL: - E-W

⑤

LMT mer. pass: - Old 11h 49m 00s

LIT(W): (+) 04h 17m 12s

GMT mer. pass: Old 16h 06m 12s

Dec(Old 16h): $21^{\circ} 55.6' S$

d(0.4): 0.0'

Declination sun: $21^{\circ} 55.6' S$ Sextant altitude: $61^{\circ} 27.5'$

IE (on): (-) 2.4'

Observed altitude: $61^{\circ} 25.1'$

DIP (HE-14m): (-) 6.6'

Apparent altitude: $61^{\circ} 18.5'$

Total corr. UL: (+) 15.4'

True altitude: $61^{\circ} 33.9' S$ MZD: $28^{\circ} 26.1' N$ Dec: $21^{\circ} 55.6' S$ Lat: $06^{\circ} 30.5' N$

LNP: - E-W

INTERCEPT

No. 20

Date 29-12-2021

The intercept formula

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

If lat & dec are of same name (+), opposite name (-)

Exercise-31- Intercept sun

①

Chron time: 10 h 54 m 54 s 04d 22 h 54 m 54 s

Error (slow): (+) 00 m 46 s (+) 00 m 46 s

GMT : 05d 10 h 55 m 40 s (OR) 04d 22 h 55 m 40 s

LIT(E) : (+) 10 h 04 m 40 s (+) 10 h 04 m 40 s

LMT : 05d 21 h 00 m 20 s 05d 09 h 00 m 20 s

GMT = 04d 22 h 55 m 40 s

GHA Sun (04d 22h): $147^{\circ} 06.9'$ Sex. Alt: $35^{\circ} 59.1'$

Increment (55 m 40 s): $13^{\circ} 55.0'$ IE (off) 1.3'

GHA Sun : ; $161^{\circ} 1.9'$ Obs. Alt: $36^{\circ} 0.4'$

Dip (HE 30m): (-) $9.6'$

Declination (04d 22h): $06^{\circ} 1.3'$ App alt: $35^{\circ} 50.7'$

d(1.0): (-) $0.9'$ Tot. cor. L: (+) $14.9'$

Declination Sun : $06^{\circ} 0.4' S$ True alt: $36^{\circ} 5.6'$

TZD : $53^{\circ} 54.3'$

GHA Sun : $161^{\circ} 1.9'$ $P = 360^{\circ} - LHA$

LOTR(E) : (+) $151^{\circ} 10.0'$ $P = 47^{\circ} 48.1'$

LHA Sun : $312^{\circ} 11.9'$ Lat = $38^{\circ} 11'S$

Lat & dec are same name, so (+)

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 47^{\circ} 48.1' \cdot \cos 38^{\circ} 11' \cdot \cos 06^{\circ} 0.4' + \sin 38^{\circ} 11' \cdot \sin 06^{\circ} 0.4'$$

$$\cos CZD = 0.58978$$

$$CZD = 53^{\circ} 51.6'$$

$$TZD = 53^{\circ} 54.3'$$

2.7' AWAY

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 38^{\circ} 11'}{\tan 47^{\circ} 48.1'}$$

$$B = \frac{\tan 06^{\circ} 0.4'}{\sin 47^{\circ} 48.1'}$$

$$A = 0.713 N$$

$$B = 0.142 S$$

Since, 2021 is saying that LMT is 03 AM So, we take Chron time in 04d to get LMT 05d AM

$$C = A + B$$

$$C = 0.713 + 0.142$$

$$C = 0.571N$$

$$\tan AZ = \frac{1}{C} \times \cos lat$$

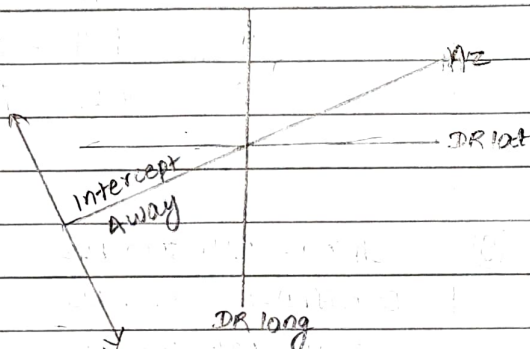
$$\tan AZ = \frac{1}{0.571} \times \cos 38^{\circ} 11'$$

$$\tan AZ = 2.228$$

$$AZ = 65.8 E$$

$$T AZ = 65.8 (T)$$

$$LOP = 155.8 - 335.8$$



② GMT: 22d 10h 09m 38s

GHA (22d 10h) : $331^{\circ} 51.4'$

~~000~~ Sextant altitude : $20^{\circ} 04.9'$

Increment (09m 38s) : $2^{\circ} 24.5'$

IE (on) : $(-)$ $2.2'$

GHA Sun : $334^{\circ} 15.9'$

Observed altitude : $20^{\circ} 2.7'$

Long (E) : $(+) 85^{\circ} 40.0'$

Dip (HE-25m) : $(-)$ $8.8'$

LHA Sun : $59^{\circ} 55.9'$

Apparent alt : $19^{\circ} 53.9'$

P : $59^{\circ} 55.9'$

Total cor. UL : $(-)$ $18.4'$

Dec (22d 10h) : $0^{\circ} 5.6' N$

True Alt : $19^{\circ} 35.5'$

d (r.o) : $(-)$ $0.2'$

TZD : $70^{\circ} 24.5'$

Declination sun : $0^{\circ} 5.4' N$

Lat : $48^{\circ} 20' N$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 59^{\circ} 55.9' \cdot \cos 48^{\circ} 20' \cdot \cos 0^{\circ} 5.4' + \sin 48^{\circ} 20' \cdot \sin 0^{\circ} 5.4'$$

$$\cos CZD = 0.334258$$

$$CZD = 70^{\circ} 28.4'$$

$$TZD = 70^{\circ} 24.5'$$

Intercept = $3.9'$ Towards

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 48^{\circ} 20' }{\tan 59^{\circ} 55.9' }$$

$$B = \frac{\tan 0^{\circ} 5.6' }{\sin 59^{\circ} 55.9' }$$

$$\tan 48^{\circ} 20'$$

$$\sin 59^{\circ} 55.9'$$

$$A = 0.651 S$$

$$B = 0.002 N$$

$$C = 0.649 S$$

$$\tan Az = \frac{1}{2} \times \cos lat$$

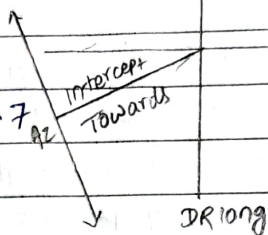
$$\tan Az = \frac{1}{2} \times 649 \times \cos 48^{\circ} 20'$$

$$\tan Az = 2.318$$

$$Az = 566.7 W$$

$$T Az = 246.7 (T)$$

$$\text{LOP} = 156.7 - 336.7$$



③ Chron - 03h 50m 12s

Error (fast) - (-) 02m 12s

GMT - 03h 48m 00s

LIT (E) - (+) 11h 42m 04s

LMT - 15h 30m 04s

So, GMT = 19d 03h 48m 00s

GHA (19d 03h) : $222^{\circ} 23.0'$

Sextant Alt - $43^{\circ} 27.4'$

Increment (48m 00s) : $12^{\circ} 00.0'$

IE (on) - (-) $1.5'$

GHA Sun : $234^{\circ} 23.0'$

Observed Alt - $43^{\circ} 25.9'$

LONG (E) : $(+) 75^{\circ} 31.0'$

Dip (HE - 22m) - (-) $8.3'$

LHA Sun : $49^{\circ} 54.0'$

Apparent alt : $43^{\circ} 17.6'$

P = $49^{\circ} 54.0'$

Total corr LL : (+) $15.2'$

Dec (19d 03h) = $20^{\circ} 28.9'S$

True altitude : $43^{\circ} 32.8'$

d(0.5) = (-) $0.4'$

TZD : $46^{\circ} 27.2'$

Declination Sun - $20^{\circ} 28.5'S$

Lat : $40^{\circ} 16.0'S$

$$\cos CZD = \cos lat \cdot \cos P \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 40^{\circ} 16' \cdot \cos 49^{\circ} 54.0' \cdot \cos 20^{\circ} 28.5' + \sin 40^{\circ} 16' \cdot \sin 20^{\circ} 28.5'$$

$$\cos CZD = 0.686$$

$$CZD = 46^{\circ} 38.6'$$

$$TZD = 46^{\circ} 27.2'$$

Intercept = $11.4'$ TOWARDS

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$\tan P$$

$$\sin P$$

$$A = \frac{\tan 40^{\circ} 16.0' \dots}{\tan 49^{\circ} 54.0'}$$

$$B = \frac{\tan 20^{\circ} 28.5' \dots}{\sin 49^{\circ} 54.0'}$$

$$\tan 49^{\circ} 54.0'$$

$$\sin 49^{\circ} 54.0'$$

$$A = 0.713 N$$

$$B = 0.488 S$$

$$C = A - B$$

$$C = 0.713 - 0.488$$

$$C = 0.225 \text{ N}$$

$$\tan Az = \frac{1}{C} \times \cos lat$$

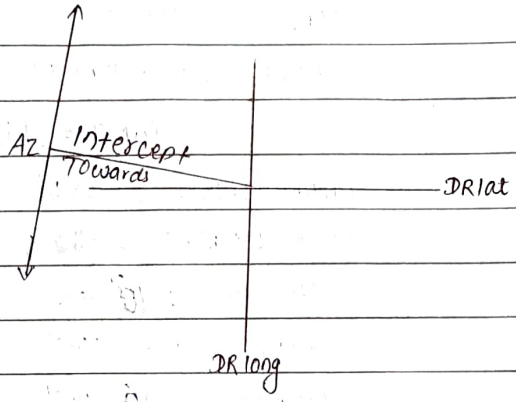
$$\tan Az = \frac{1}{0.225} \times \cos 40'16''$$

$$\tan Az = 5.825$$

$$Az = N 80.2 \text{ W}$$

$$T Az = 279.8 (T)$$

$$LOP = 9.8^\circ - 189.8^\circ$$



④ $G_{PS} = 30d 13h 00m 52s$

$G_{HA} (30d 13h) : 15^\circ 42.7'$	$Sex \text{ Alt} - 44^\circ 13.4'$
$\text{Increment} (00m 52s) : 0^\circ 13.0'$	$IE(\text{off}) - (+) 3.1'$
$G_{HA} \text{ Sun} : 15^\circ 55.7'$	$\text{Obs. Alt} - 44^\circ 16.5'$
$\text{Long} (W) : (760) 12.0'$	$\text{Dip} (4E-20m) - (-) 7.9'$
$LHA \text{ Sun} : 315^\circ 43.7'$	$\text{App. Alt} - 44^\circ 8.6'$
$P = 44^\circ 16.3'$	$\text{Total corr. UL} - (-) 16.8'$
$\text{Dec} (30d 13h) : 14^\circ 59.3' \text{ N}$	$\text{True alt} - 43^\circ 51.8'$
$d(0.7) : (+) 0.0'$	$TZD - 46^\circ 8.2'$
$\text{Declination sun} : 14^\circ 59.3' \text{ N}$	$\text{Lat} - 00^\circ 20' \text{ N}$

$$\cos CZD = \cos lat \cdot \cos P \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 00^\circ 20' \cdot \cos 44^\circ 16.3' \cdot \cos 14^\circ 59.3' + \sin 00^\circ 20' \cdot \sin 14^\circ 59.3'$$

$$\cos CZD = 0.693$$

$$CZD = 46^\circ 07.1'$$

$$TZD = 46^\circ 8.2'$$

$$\text{Intercept} = 1.1' \text{ AWAY}$$

$$A = \frac{\tan lat}{\tan P} \qquad B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 00^\circ 20'}{\tan 44^\circ 16.3'}$$

$$B = \frac{\tan 14^\circ 59.3'}{\sin 44^\circ 16.3'}$$

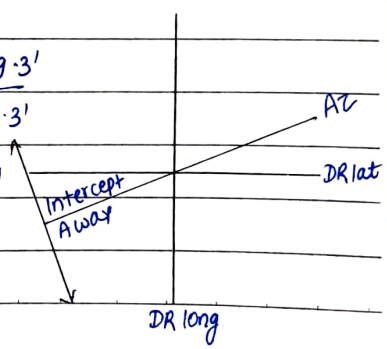
$$A = 0.0065 \qquad B = 0.383 \text{ N}$$

$$C = 0.383 - 0.006$$

$$C = 0.377 \text{ N}$$

$$\tan Az = \frac{1}{0.377} \times \cos 00^\circ 20'$$

$$Az = N 69.3 \text{ E} \quad T Az = 69.3^\circ \quad LOP = 159.3 - 339.3$$



5

Chron time - 03h 11m 30s

15h 11m 30s

Error (fast) - (-) 01m 20s

(-) 01m 20s

GMT - 03h 10m 10s

(OR)

15h 10m 10s ✓ (bcz question says PM)

LIT - 00h 00m 00s

00h 00m 00s

LMT - 03h 10m 10s

15h 10m 10s

GMT = 31d 15h 10m 10s

GHA (31d 15h): 44° 58.0'

Sextant Alt: 34° 54.0'

Increment (10m): 2° 32.5'

IE (on) : (-) 1.5'

GHA Sun : 46° 30.5'

Observed Alt: 34° 52.5'

LONG : 00° 00.0'

Dip (HE-17m): (-) 7.3'

LHA Sun : 46° 30.5'

Apparent alt: 34° 45.2'

P = 46° 30.5'

Total corr. LL: (+) 14.6'

Dec (31d 15h): 8° 21.4' N

True alt: 34° 59.8'

d(09): (-) 0.2'

TZD : 55° 0.2'

Dec Sun : 8° 21.2' N

Lat : 10° 15' S

$$\cos CZD = \cos lat \cdot \cos P \cdot \cos dec - \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 10^{\circ} 15' \cdot \cos 46^{\circ} 30.5' \cdot \cos 8^{\circ} 21.2' - \sin 10^{\circ} 15' \cdot \sin 8^{\circ} 21.2'$$

$$\cos CZD = 0.644$$

$$CZD = 49^{\circ} 53.5'$$

$$TZD = 5$$

~~question is wrong~~

LONG BY CHRON (SUN)

Using a formula, we calculate "observed long" which is the longitude where LOP crosses the DR lat

Long by chron formula: $\cos P = \frac{\sin T \text{ alt} \mp \sin \text{lat} \cdot \sin \text{dec}}{\cos \text{lat} \cdot \cos \text{dec}}$

& if lat & dec are same name (-)
different name (+)

In long by chron, sign is opposite to intercept. Hence in formula it is \mp not \pm (remember like this)

Exercise- 32 - long by chron sun

GMT = 19d 03h 48m 00s

GHA (19d 03h) : $222^{\circ} 23.0'$	Sex Alt - $43^{\circ} 27.4'$	GMT - 03h 48m 00s
Increment (48m 00s) : $12^{\circ} 00.0'$	IE (ON) - (-) $1.5'$	LIT (E) - (+) 11h 42m 04s
GHA Sun : $234^{\circ} 23.0'$	Obs. Alt - $43^{\circ} 25.9'$	LMT - 15h 30m 04s
Declination (19d 03h) : $20^{\circ} 28.9'S$	Dip (HE-22m) - (-) $8.3'$	↓ question says pm toh GMT is correct
d(0.5) : (-) $0.4'$	App. alt - $43^{\circ} 17.6'$	
Declination Sun : $20^{\circ} 28.5'S$	Total corr. LL - (+) $15.2'$	
Lat : $40^{\circ} 16'S$	True alt $43^{\circ} 32.8'$	

$$\cos P = \frac{\sin T \cdot \text{alt} - \sin \text{lat} \cdot \sin \text{dec}}{\cos \text{lat} \cdot \cos \text{dec}}$$

$$\cos P = \frac{\sin 43^{\circ} 32.8' - \sin 40^{\circ} 16' \cdot \sin 20^{\circ} 28.5'}{\cos 40^{\circ} 16' \cdot \cos 20^{\circ} 28.5'}$$

$$\cos P = 0.647$$

$$P = 49^{\circ} 38.8'$$

(Mer. pass: 12h 11m
Sight is taken PM at ship,
that means, sight is after mer. pass
so, LHA = P)

$$LHA = P = 49^{\circ} 38.8'$$

$$LHA = 49^{\circ} 38.8'$$

$$GHA = 234^{\circ} 23.0'$$

$$\text{Obs. long} = 175^{\circ} 15.8' E$$

$$LHA - GHA = \text{Obs. long E}$$

$LHA - GHA = \text{Obs. long}$ & if it exceed 180; subtract from 360'

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$A = \frac{\tan 40^{\circ} 16'}{\tan 49^{\circ} 38.8'}$$

$$A = 0.720 N$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$B = \frac{\tan 20^{\circ} 28.5'}{\sin 49^{\circ} 38.8'}$$

$$B = 0.490 S$$

$$C = A - B$$

$$C = 0.720 - 0.490$$

$$C = 0.230 N$$

$$\tan Az = \frac{1}{\cos lat}$$

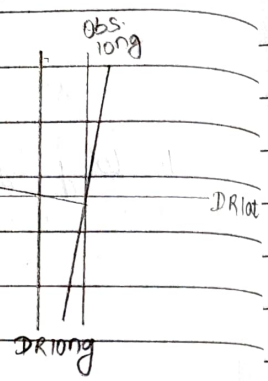
$$\tan Az = \frac{1}{0.230 \times \cos 40' 16''}$$

$$\tan Az = 5.698$$

$$AZ = N 80.1' W \quad AZ$$

$$T AZ = 279.9^\circ (T)$$

$$LOP = 9.9^\circ - 189.9^\circ$$



② Chron time - 03h 11m 30s	15h 11m 30s
Error (fast) - (-) 01m 20s	(-) 01m 20s
GMT - 03h 10m 10s	15h 10m 10s ✓ bez question
LIT - 00h 00m 00s	00h 00m 00s says PM at ship
UNT - 03h 10m 10s	15h 10m 10s

GMT = 31d 15h 10m 10s	
GHA Sun (31d 15h) : 44° 58.0'	Sex. alt - 34° 54.0'
Increment (10m 10s) : 2° 32.5'	IE (on) - (-) 1.5'
GHA Sun : 47° 30.5'	Obs. alt - 34° 52.5'
Declination (31d 15h) : 8° 21.4' N	Dip (HE-17m) - (-) 7.3'
d(0.9) : (-) 0.2'	App. alt - 34° 45.2'
Declination Sun : 8° 21.2' N	Total corr. II - (+) 14.6
Lat : 10° 15' S	True alt - 34° 59.8'

$$\cos P = \frac{\sin T \text{ alt} + \sin \text{ lat} \cdot \sin \text{ dec}}{\cos \text{ lat} \cdot \cos \text{ dec}}$$

$$\cos P = \frac{\sin 34^\circ 59.8' + \sin 10^\circ 15' \cdot \sin 8^\circ 21.2'}{\cos 10^\circ 15' \cdot \cos 8^\circ 21.2'}$$

$$\cos P = 0.616$$

$$P = 52^\circ 0.1'$$

~~Wrong question~~

③

CPS = 22d 10h 09m 38s

GHA sun (22d 10h) = 331° 51.4'	Sex. Alt - 20' 4.9'
Increment (09m 38s) : 2° 24.5'	IE (on) - (-) 2.2'
GHA sun : 334° 15.9'	Obs. Alt - 20' 2.7'
Declination (22d 10h) : 0° 5.6' N	Dip (HE-25m) - (-) 9.0'
d(1.0) : (-) 0.2'	App. alt - 19° 53.8'
Declination sun : 0° 5.4' N	Total corr. - (-) 18.4'
Latitude : 48° 20' N	True alt - 19° 35.4'

$$\cos P = \sin T \text{ alt} - \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos \text{lat} \cdot \cos \text{dec}$$

$$\cos P = \sin 19^{\circ} 35.4' - \sin 48^{\circ} 20' \cdot \sin 0^{\circ} 5.4'$$

$$\cos 48^{\circ} 20' \cdot \cos 0^{\circ} 5.4'$$

$$\cos P = 0.5026$$

$$P = 59^{\circ} 49.7'$$

$$P = \text{LHA}$$

$$\text{LHA} = 59^{\circ} 49.7'$$

$$\text{GHA} = 334^{\circ} 15.9'$$

$$\text{Obs. long} = 85^{\circ} 33.8' \text{ E}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 48^{\circ} 20' }{\tan 59^{\circ} 49.7' }$$

$$B = \frac{\tan 0^{\circ} 5.4' }{\sin 59^{\circ} 49.7' }$$

$$\tan 59^{\circ} 49.7'$$

$$\sin 59^{\circ} 49.7'$$

$$A = 0.6515$$

$$B = 0.002 \text{ N}$$

$$C = 0.6515$$

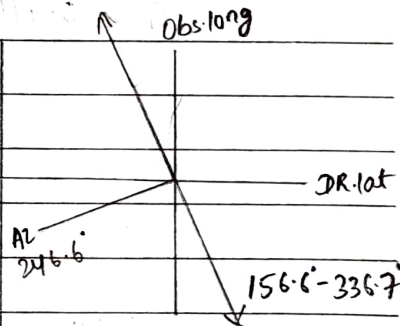
$$\tan AZ = \frac{1}{0.6515} \times \cos 48^{\circ} 20'$$

$$\tan AZ = 2.311$$

$$AZ = S 66.6' W$$

$$T AZ = 246.6' (T)$$

$$\text{LOP} = 156.6' - 336.6'$$



04 DR. long

④

Chron time - 10h 54m 54s

~~05d~~ 22h 54m 54s

Error (slow) - (+) 00m 46s

(+) 00m 46s

GMT - 10h 55m 40s

04-05d 22h 55m 40s

LIT (E) - (+) 10h 04m 40s

(+) 10h 04m 40s

LMT - 21h 00m 20s

(05-06d 09h 00m 20s)

05 March, AM

b cz question say 05d AM on ship, so we take 04d as chron time

GMT = 04d 22h 55m 40s

GHA sun (04d 22h) : $147^{\circ} 06.9'$ Sex. alt - $35^{\circ} 59.1'$

increment (55m 40s) : $13^{\circ} 55.0'$ IE (off) - (+) $1.3'$

GHA sun : $161^{\circ} 1.9'$ Obs. alt - $36^{\circ} 0.4'$

Declination (04d 22h) : $6^{\circ} 1.3' S$ Dip (HE-30m) - (-) $9.6'$

d(i.o) : (-) $0.9'$ App. alt - $35^{\circ} 50.8'$

Declination sun : $6^{\circ} 0.4' S$ Total cor. - (+) $14.9'$

Latitude : $38^{\circ} 11' S$ True alt - $36^{\circ} 05.7'$

$$\cos P = \frac{\sin T \text{ alt} - \sin \text{ lat} \cdot \sin \text{ dec}}{\cos \text{ lat} \cdot \cos \text{ dec}}$$

$$\cos P = \frac{\sin 36^{\circ} 5.7' - \sin 38^{\circ} 11' \cdot \sin 6^{\circ} 0.4'}{\cos 38^{\circ} 11' \cdot \cos 6^{\circ} 0.4'}$$

$$\cos P = 0.671$$

$$P = 47^{\circ} 51.9'$$

$$\text{LHA} = 360 - P$$

Sight is taken before mer. pass
So, LHA = 360 - P

$$\text{LHA} = 312^{\circ} 8.1'$$

$$\text{LHA} - \text{GHA} = \text{Obs. long}$$

LHA - GHA = Obs. long E

$$\text{Obs. long} = 151^{\circ} 06.2' E$$

$$A = \frac{\tan \text{ lat}}{\tan P}$$

$$B = \frac{\tan \text{ dec}}{\sin P}$$

$$\tan P$$

$$\sin P$$

$$A = \frac{\tan 38^{\circ} 11'}{\tan 47^{\circ} 51.9'}$$

$$B = \frac{\tan 6^{\circ} 0.4'}{\sin 47^{\circ} 51.9'}$$

$$\tan 47^{\circ} 51.9'$$

$$\sin 47^{\circ} 51.9'$$

$$A = 0.711 N$$

$$B = 0.1425$$

$$C = 0.711 - 0.142$$

$$C = 0.569 N$$

$$\tan AZ = \frac{C}{\cos \text{ lat}}$$

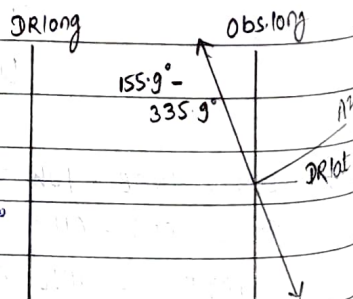
$$\tan AZ = \frac{0.569}{\cos 38^{\circ} 11'}$$

$$\tan AZ = 2.236$$

$$AZ = N 65.9 E$$

$$T Az = 65.9^{\circ} (T)$$

$$LOP = 155.9^{\circ} - 335.9^{\circ}$$



⑤ GMT = 30d 13h 00m 52s ✓

GHA Sun (30d 13h) : $15^{\circ} 42.7'$	Sex. alt - $44^{\circ} 13.4'$ GMT 30d 13h 00m 52s
Increment (00m 52s) : $0^{\circ} 13.0'$	IE (off) - (+) $3.1'$ LIT (off) (-) $104h 00m 48s$
GHA Sun : $15^{\circ} 55.7'$ ✓	Obs. alt - $44^{\circ} 16.5'$ GMT - 30d 13h 00m 52s
Declination (30d 13h) : $14^{\circ} 59.3' N$	Dip (HE-20m) - (-) $7.9'$
d (0.7) : (+) $0.0'$	App. alt - $44^{\circ} 8.6'$
Declination Sun : $14^{\circ} 59.3' N$	Total corr. alt - (-) $16.8'$
Latitude : $00^{\circ} 20' N$	True alt - $43^{\circ} 51.8'$ ✓

$$\cos P = \frac{\sin T \text{ alt} - \sin 00^{\circ} 20' \cdot \sin 14^{\circ} 59.3'}{\cos 14^{\circ} 59.3' \cdot \cos 00^{\circ} 20'}$$

$$\cos P = \frac{\sin 43^{\circ} 51.8' - \sin 00^{\circ} 20' \cdot \sin 14^{\circ} 59.3'}{\cos 00^{\circ} 20' \cdot \cos 14^{\circ} 59.3'}$$

$$\cos P = 0.716$$

$$P = 44^{\circ} 17.5'$$

LHA = $360 - P$ (Sight is taken before mer. pass. So, LHA = $360 - P$)

$$LHA = 315^{\circ} 42.5'$$

$$GHA = 15^{\circ} 55.7'$$

$$\text{Obs long} = 60^{\circ} 13.2' W$$

GHA - LHA = Obs. long W

Bada chota

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 00^{\circ} 20'}{\tan 44^{\circ} 17.5'}$$

$$B = \frac{\tan 14^{\circ} 59.3'}{\sin 44^{\circ} 17.5'}$$

$$A = 0.006 S$$

$$B = 0.383 N$$

$$C = 0.383 - 0.006$$

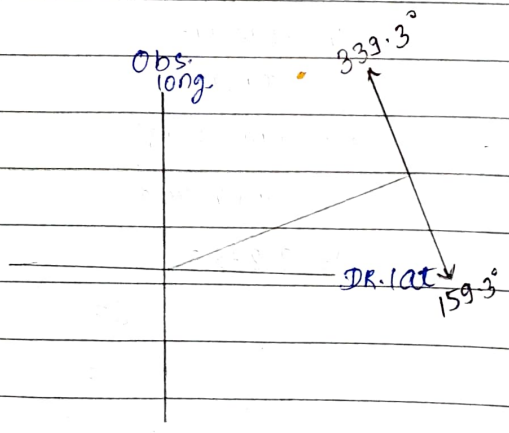
$$C = 0.377 N$$

$$\tan Az = \frac{0.377 \times \cos 00^{\circ} 20'}{\tan Az} = 2.653$$

$$Az = N 69.3 E$$

$$TAz = 69.3^{\circ}$$

$$LOP = 159.3^{\circ} - 339.3^{\circ}$$



EX-MERIDIAN ALT. SUN

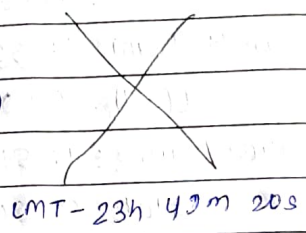
No. 30

Date 05/01/20

The ex-meridian formula

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \text{ lat} \cdot \cos dec]$$

- ① Chron time - 00h 45m 51s
- Error (slow) - (+) 03m 21s
- GMT - 00h 49m 12s ✓ (OR (+) 12)
- LMT (E) - (+) 11h 00m 08s
- LMT - 11h 49m 20s



GMT = Old 00h 49m 12s

GHA Sun (old 00h) : $179^{\circ} 59.8'$
 Increment (49m 12s) : $12^{\circ} 18.0'$
 GHA Sun : $192^{\circ} 17.8'$
 Long (E) : $165^{\circ} 02.0'$
 LHA : $357^{\circ} 19.8'$

Sextant alt - $75^{\circ} 01.7'$
 IE (off) - (+) $3.2'$
 Observed alt - $75^{\circ} 04.9'$
 Dip (HE-20m) - (-) $7.9'$
 Apparent alt - $74^{\circ} 57'$
 Total cor. UC - (-) $16.1'$

Dec Sun (old 00h) : $8^{\circ} 13.3' N$
 d (log) : $(-)^{\circ} 0.7'$
 Declination Sun : $8^{\circ} 12.6' N$

True alt - $74^{\circ} 40.9' S$
 TZD - $15^{\circ} 19.1' N$
 DR lat - $23^{\circ} 18' N$

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \text{ lat} \cdot \cos dec]$$

$$\cos MZD = \cos 15^{\circ} 19.1' + [(1 - \cos 02^{\circ} 40.2') \cdot \cos 23^{\circ} 18' \cdot \cos 8^{\circ} 12.6']$$

$$\cos MZD = 0.964 + 0.00099$$

$$\cos MZD = 0.965$$

$$MZD = 15^{\circ} 12.2' N$$

$$Dec = 8^{\circ} 12.6' N$$

$$\text{Obs lat} = 23^{\circ} 24.8' N$$

$$A = \tan \text{lat}$$

$$B = \tan \text{dec} = A \cot$$

$$\tan P$$

$$\sin P$$

$$A = \tan 23^{\circ} 18'$$

$$B = \tan 8^{\circ} 12.6'$$

$$\tan 02^{\circ} 40.2'$$

$$\sin 02^{\circ} 40.2'$$

$$A = 9.235 S$$

$$B = 3.097 N$$

$$C = 9.235 - 3.097$$

$$= 6.138 S$$

$$\tan Az = \frac{1}{C} \times \cos \text{lat}$$

$$= \frac{1}{6.138} \times \cos 23^{\circ} 18'$$



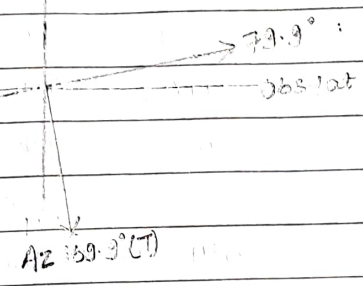
No. 31
DR Long
Date 25-01-2022

Tan AZ = 0.177

AZ = S10.1°E

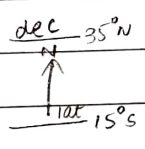
TAZ = 169.9°

LOP = 79.9° - 259.9°



GIPS = 02d 17h 37m 48s

GHA Sun (02d 17h) : 75° 46.3'	Sextant alt - 58° 22.6'
Increment (37m 48s) : 9° 27.0'	IE (on) : (-) 1.6'
GHA Sun : 85° 13.3'	Observed alt : 58° 21.0'
Long (W) : 1080° 11.0'	Dip (HE-15m) : (-) 6.8'
LHA Sun : 05° 02.3'	Apparent alt : 58° 14.2'
P : 05° 02.3'	Total corr. LL : (+) 15.4'
Declination (02d 17h) : 15° 38.2' N	True alt : 58° 29.6' N
d(0.7) : (+) 0.4'	TZD : 31° 30.4' S (opp. to T. alt)
Declination sun : 15° 38.6' N	DR lat : 15° 36' S



$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \cdot \text{lat} \cdot \cos \text{dec}]$
 $\cos MZD = \cos 31^\circ 30.4' + [(1 - \cos 05^\circ 02.3') \cdot \cos 15^\circ 36' \cdot \cos 15^\circ 38.6']$
 $\cos MZD = 0.8526 + 0.0036$
 $\cos MZD = 0.8562$

MZD = 31° 6.4' S (same as TZD)

Dec = 15° 38.6' N

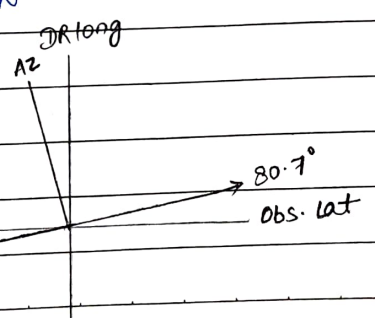
Obs. long = 15° 27.8' S (diff. name subtract, retain the name of larger one)

$A = \frac{\tan \text{lat}}{\tan P}$
 $A = \frac{\tan 15^\circ 36'}{\tan 05^\circ 02.3'}$
 $A = 3.167 N$

$B = \frac{\tan \text{dec}}{\sin P}$
 $B = \frac{\tan 15^\circ 38.6'}{\sin 05^\circ 02.3'}$
 $B = 3.188 N$

$C = 3.167 + 3.188$
 $C = 6.355 N$

$\tan AZ = \frac{1}{C} \times \cos \text{lat}$
 $\tan AZ = \frac{1}{6.355} \times \cos 15^\circ 36'$
 $AZ = N 9.3 W$
 $TAZ = 350.7 (T)$



③ Chron time - 01h 29m 20s
 Error (fast) - (-) 01m 50s
 GMT - 01h 27m 30s ✓
 LIT(E) - (+) 11h 22m 40s
 LMT - 12h 50m 10s

22h 50m 10s

GMT = 06d 01h 27m 30s

GHA Sun (06d 01h) : 192° 10.7'	Sextant alt - 31° 59.8'
Increment (27m 30s) : 6° 52.5'	IE (on) - (-) 2.3'
LHA Sun : 199° 3.2'	Observed alt - 31° 57.5'
Long (E) : (+) 170° 40.0'	DIP (HE-40m) - (-) 11.1'
LHA Sun : 09° 43.2'	Apparent alt - 31° 46.4'
P : 09° 43.2'	Total corr. VL - (+) 17.6'
Declination (06d 01h) : 5° 35.2'S	True alt - 31° 28.8'S
d(A.O) : (+) 0.5'	TZD - 58° 31.2' N
Declination Sun : 5° 34.7'S	EP Latitude - 52° 12.0' N

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 58^\circ 31.2' + [(1 - \cos 09^\circ 43.2') \cdot \cos 52^\circ 12' \cdot \cos 5^\circ 34.7']$$

$$\cos MZD = 0.531$$

$$MZD = 57^\circ 55.8' N$$

$$Dec = 5^\circ 34.7' S$$

$$Obs Lat = 52^\circ 21.1' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 52^\circ 12'}{\tan 09^\circ 43.2'}$$

$$B = \frac{\tan 5^\circ 34.7'}{\sin 9^\circ 43.2'}$$

$$A = 7.526 S$$

$$B = 0.578 S$$

$$C = 7.526 + 0.578$$

$$C = 8.104 S$$

$$\tan Az = \frac{C}{\cos lat}$$

$$\tan Az = \frac{8.104}{\cos 52^\circ 12'}$$

$$Az = S 11.4^\circ W \quad 281.4^\circ$$

$$TAz = 191.4$$

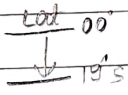
$$LOP = 101.4 - 281.4$$

→ 101.4

Chron time: 06h 13m 27s
 Error(slow): (+) 12m 05s
 GMT : 21 06h 25m 32s (+12) GMT - 21d 18h 25m 32s ✓
 UT(W) : (-) 06h 31m 12s LIT(W) - (-) 06h 31m 12s
 LMT - 20d 23h 54m 20s LMT - 21d 18h 54m 20s ✓

GMT = 21d 18h 25m 32s

GHA Sun (21d 18h) : $87^{\circ} 11.2'$	Sextant alt - $69^{\circ} 28.7'$
Increment (25m 32s) : $6^{\circ} 23.0'$	IE (off) : (+) $2.0'$
GHA Sun : $93^{\circ} 34.2'$	Observed alt : $69^{\circ} 30.7'$
Long(W) : $(-197^{\circ} 48.0')$	Dip (HE-12m) : (-) $6.1'$
LHA Sun : $355^{\circ} 46.2'$	Apparent alt : $69^{\circ} 24.6'$
Declination (21d 18h) : $19^{\circ} 55.2'S$	Total corr. U : (+) $15.8'$
d(0.9) : (-) $0.2'$	True altitude : $69^{\circ} 40.4'S$
Declination Sun : $19^{\circ} 55.0'S$	TZD : $20^{\circ} 19.6'N$
P : $4^{\circ} 13.8'$	DR lat : $00^{\circ} 00'$



$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR\text{lat} \cdot \cos dec]$$

$$\cos MZD = \cos 20^{\circ} 19.6' + [(1 - \cos 4^{\circ} 13.8') \cdot \cos 00^{\circ} 00' \cdot \cos 19^{\circ} 55.0']$$

$$\cos MZD = 0.94029$$

$$MZD = 19^{\circ} 54' N$$

$$Dec = 19^{\circ} 55.0'S$$

$$Obs\ lat = 00^{\circ} 01'S$$

$$A = \frac{\tan lat}{\tan P} \quad B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 00^{\circ} 00'}{\tan 4^{\circ} 13.8'} \quad B = \frac{\tan 19^{\circ} 55.0'}{\sin 4^{\circ} 13.8'}$$

$$A = 0.001 N \quad B = 4.912 S \quad DR\text{long}$$

$$C = 4.912 - 0.001$$

$$C = 4.911 S$$

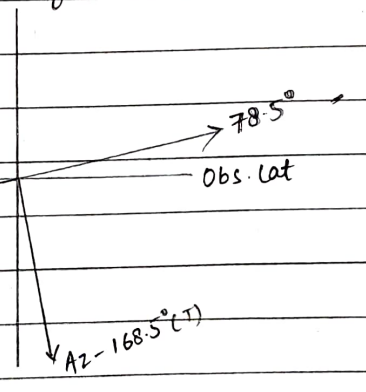
$$\tan AZ = \frac{1}{\cos lat}$$

$$\tan AZ = \frac{1}{\cos 00^{\circ} 00'}$$

$$AZ = 511.5 E$$

$$TAZ = 168.5$$

$$LOP = 78.5 - 258.5$$



05

GMT - 01h 00m 12s ✓

LIT(E) - (+) 10h 35m 04s

LMT : 11h 35m 16s

GMT : 23d 01h 00m 12s

GHA Sun (23d 01h) : 196° 54.7'

sextant alt : 41° 36.7'

Increment (00m 12s) : 0° 3.0'

IE (on) : (-) 3.4'

GHA Sun : 196° 57.7'

Observed alt : 41° 40.1'

LONG(E) : (+) 158° 46.0'

Dip (HE-17m) : (-) 7.3'

LHA Sun : 355° 43.7'

Apparent alt : 41° 32.8'

P : 04° 16.3'

Total cor. U : (+) 14.9'

Declination (23d 01h) : 0° 09.0'S

True alt : 41° 47.7' N

d (1.0) : 0.0'

TZD : 48° 12.3' S

Declination Sun : 0° 09.0'S

EP lat : 48° 20'S

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 48^\circ 12.3' + [(1 - \cos 04^\circ 16.3') \cdot \cos 48^\circ 20' \cdot \cos 0^\circ 09.0']$$

$$\cos MZD = 0.668$$

$$MZD = 48^\circ 03.8' S$$

$$Dec = 0^\circ 09.0' S$$

$$Obs lat = 48^\circ 12.8' S$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 48^\circ 20'}{\tan 04^\circ 16.3'}$$

$$B = \frac{\tan 0^\circ 09.0'}{\sin 04^\circ 16.3'}$$

$$A = 15.044$$

$$B = 0.0355$$

$$C = 15.044 - 0.035$$

$$C = 15.009 N$$

$$\tan Az = \frac{1}{C} \times \cos lat$$

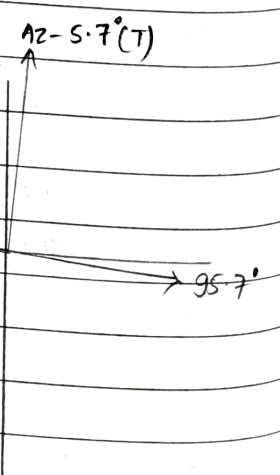
$$\tan Az = \frac{1}{15.009} \times \cos 48^\circ 20'$$

$$\tan Az = 0.1002$$

$$Az = N 5.7 E$$

$$T Az = 5.7^\circ (T)$$

$$LOP = 95.7^\circ - 275.7^\circ$$





Exercise 34 - Azimuth star

No. 35

Date 07.01.2022

① Chron time : 10h 38m 40s 22h 38m 40s
 Error (fast) : (-) 03m 24s (-) 03m 24s
 GMT : 10h 35m 16s (OR) 05d 22h 35m 16s ✓
 LT(E) : (+) 05h 35m 04s (+) 05h 35m 04s
 LMT : 16h 10m 20s 06d 04h 10m 20s - bez question says 06 AM
 GMT : 05d 22h 35m 16s

GHA γ (05d 22h) : $134^{\circ} 01.0'$
 Increment (35m 16s) : $108^{\circ} 50.4'$
 GHA γ : $142^{\circ} 51.4'$
 Long (E) : $(+) 83^{\circ} 46.0'$
 LHA γ : $226^{\circ} 37.4'$
 SHA Altair : $(+) 62^{\circ} 12.4'$
 LHA Altair : $288^{\circ} 49.8'$
 P : $71^{\circ} 10.2'$

Dec Altair : $8^{\circ} 53.2' N$
 Lat : $24^{\circ} 12'S$

$$A = \frac{\tan lat}{\tan P} \quad B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 24^{\circ} 12'}{\tan 71^{\circ} 10.2'} \quad B = \frac{\tan 8^{\circ} 53.2'}{\sin 71^{\circ} 10.2'}$$

$$A = 0.153 N \quad B = 0.165 N$$

$$C = 0.153 + 0.165$$

$$C = 0.318 N$$

$$\tan AZ = \frac{C \times \cos lat}{\sin lat}$$

$$\tan AZ = \frac{0.318 \times \cos 24^{\circ} 12'}{\sin 24^{\circ} 12'}$$

$$\tan AZ = 3.448$$

$$AZ = N 73.8 E$$

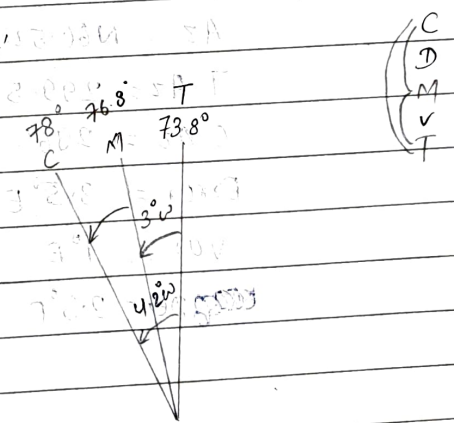
$$TAZ = 73.8^{\circ} (T)$$

$$CAZ = 78^{\circ}$$

$$C \text{ ERROR} = 4.2^{\circ} W$$

$$Var = 3.0^{\circ} W$$

$$Dev = 1.2^{\circ} W$$



②

GPS: 0107h 39m 22s

LIT(LW): (H) 11h 39m 12s

LMT: 30d 20h 06m 10s

GPS: Old 07h 39m 22s

GHA γ (Old 07h): $175^{\circ} 30.7'$

Increment (39m 22s): $9^{\circ} 52.1'$

GHA Aries: $185^{\circ} 22.8'$

DEC: $N 38^{\circ} 47.6'$

LONG(LW): $(H) 73^{\circ} 18.0'$

LHA γ HA: $12^{\circ} 4.8'$

Lat: $48^{\circ} 57' N$

SHA Vega: $(H) 80^{\circ} 41.7'$

LHA Vega: $92^{\circ} 46.5'$

P: $92^{\circ} 46.5'$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 48^{\circ} 57'}{\tan 92^{\circ} 46.5'}$$

$$B = \frac{\tan 38^{\circ} 47.6'}{\sin 92^{\circ} 46.5'}$$

$$A = 0.056 N$$

$$B = 0.805 N$$

$$C = 0.056 + 0.805$$

$$C = 0.861 N$$

$$\tan Az = \frac{1}{C} \times \cos \text{lat}$$

$$\tan Az = \frac{1}{0.861} \times \cos 48^{\circ} 57'$$

$$\tan Az = 1.769$$

$$Az = N 60.5 W$$

$$T Az = 299.5^{\circ}$$

$$C Az = 296^{\circ}$$

$$\text{Error} = 3.5^{\circ} E$$

$$\text{var} = 1^{\circ} E$$

$$\text{Der} = 2.5^{\circ} E$$

C
D
M
V
T



3



30d 13h 00m 08s

No. 37

Date 12-01-2022

(+) 11h 59m 52s

LMT : 01d 01h 00m 00s

GMT: April 30d 13h 00m 08s

GHA Y (30d 13h) : $53^{\circ} 50.6'$

Increment (00m 08s) : $0^{\circ} 2.0'$

GHA Y : $53^{\circ} 52.6'$

Long (E) : $(+) 179^{\circ} 58.0'$

LHA Y : $233^{\circ} 50.6'$

SHA Spica : $(+) 158^{\circ} 35.1'$

LHA Spica : $32^{\circ} 25.7'$

P : $32^{\circ} 25.7'$

Declination Spica :-

$S 11^{\circ} 12.5'$

Lat : $62^{\circ} 11'S$

~~C~~ $A = \frac{\tan \text{lat}}{\tan P}$

$B = \frac{\tan \text{dec}}{\sin P}$

$A = \frac{\tan 62^{\circ} 11'}{\tan 32^{\circ} 25.7'}$

$B = \frac{\tan 11^{\circ} 12.5'}{\sin 32^{\circ} 25.7'}$

$A = 2.983 N$

$B = 0.3695 S$

$C = 2.983 - 0.3695$

$C = 2.614 N$

$\tan Az = \frac{1}{2} C \cos \text{lat}$

$\tan Az = \frac{1}{2} \cdot 2.614 \times \cos 62^{\circ} 11'$

$\tan Az = 0.8198$

$Az = N 39.3^{\circ} W$

$T Az = 320.7^{\circ} (T)$

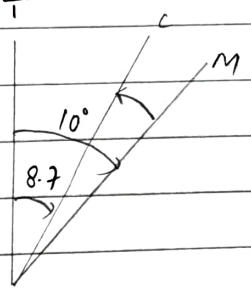
$C Az = 312^{\circ}$

C Error = $8.7^{\circ} E$

Var = $10^{\circ} E$

Dev = $1.3^{\circ} W$

C
D
M
V
T





④

G_{MT} = sept 14d 04h 36m 00s

GHA Y (14d 04h) : $53^{\circ} 30.5'$
 Increment (36m 00s) : $9^{\circ} 01.5'$
 GHA Y : $62^{\circ} 32.0'$
 Long (W) : $(-90^{\circ} 36.0')$
 LHA Y : $331^{\circ} 56.0'$
 SHA RASALHAGUE : $96^{\circ} 09.7'$
 LHA RASALHAGUE : $68^{\circ} 05.7'$
 P : $68^{\circ} 05.7'$

DEC RASALHAGUE :-

Lat : $30^{\circ} 46' N$

$A = \frac{\tan lat}{\tan P}$

$B = \frac{\tan dec}{\sin P}$

$A = \frac{\tan 30^{\circ} 46'}{\tan 68^{\circ} 05.7'}$

$B = \frac{\tan 12^{\circ} 33.3'}{\sin 68^{\circ} 05.7'}$

$A = 0.2394 S$

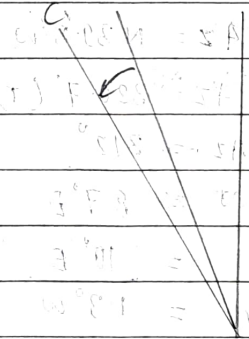
$B = 0.240 N$

$C = 0.240 - 0.2394$
 $C = 0.0006 N$

$\tan Az = \frac{1}{\cos lat} \times C$
 $\tan Az = \frac{1}{\cos 30^{\circ} 46'} \times 0.0006$
 $\tan Az = 129.31$

$Az = 90^{\circ} W$
 $TAZ = 270.0^{\circ} (C)$
 $CAZ = 275^{\circ}$

C Error = $5.0^{\circ} W$
 Var = $5^{\circ} W$
 Dev = 0.0°



C
D
M
V
T

5

LMT : 03h 20m

Zone time : 07h 00m (ahead of GMT)

GMT : 20h 20m

GMT :- 20d 20h 20m 00s

LONG(E) : (+) 07h 29m 12s

LMT : 03h 49m 12s

GMT : Jan 20d 20h 20m 00s

GHA Y (20d 20h) : $59^{\circ} 34.8'$

Increment (20m 00s) : $5^{\circ} 00.8'$

GHA Y : $64^{\circ} 35.6'$

Long (E) : $(+) 112^{\circ} 18.0'$

LHA Y : $176^{\circ} 53.6'$

SHA DENE B : $49^{\circ} 34.9'$

LHA DENE B : $226^{\circ} 28.5'$

P : $133^{\circ} 31.5'$

Declination DENE B :-

N $45^{\circ} 18.5'$

Latitude : $64^{\circ} 12' N$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

Tan P

sin P

$$A = \frac{\tan 64^{\circ} 12' N}{\tan 133^{\circ} 31.5'}$$

$$B = \frac{\tan 45^{\circ} 18.5' N}{\sin 133^{\circ} 31.5'}$$

$$\tan 133^{\circ} 31.5'$$

$$\sin 133^{\circ} 31.5'$$

$$A = 1.965 N$$

$$B = 1.394 N$$

$$C = 1.965 + 1.394$$

$$= 3.359 N$$

$$\tan Az = C \times \cos lat$$

$$\tan Az = 3.359 \times \cos 64^{\circ} 12' N$$

$$\tan Az = 0.684$$

$$Az = N 34.4^{\circ} E$$

$$TAz = 34.4^{\circ}$$

$$CAz = 34.5^{\circ}$$

$$\text{Error} = 0.1^{\circ} W$$

$$\text{Var} = 4^{\circ} E$$

$$\text{Dev} = 4.1^{\circ} W$$

C
D
M
V
T



* Time of mer. pass star

At mer. pass of *, $LHA * = 360^\circ$

GHA Y
Long (E or W)
LHA Y
SHA *
LHA *
①

Hence, $GHA Y + E(-W) Long + SHA * = LHA$

(one sidereal day = 23h 56m 04s)

Sextant altitude: $18^\circ 26.2'$

IE (off) : (+) $3.2'$

Observed altitude: $18^\circ 29.4'$

Dip (HE-10m) : (-) $5.6'$

Apparent altitude: $18^\circ 23.8'$

Total corr : (+) $2.9'$

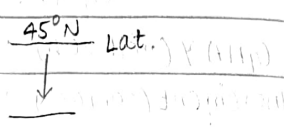
True altitude: $18^\circ 20.9'S$

MZD : $71^\circ 39.1'N$

Dec : $26^\circ 27.1'S$

Lat : $45^\circ 12.0'N$

LOP : E-W



$$GHA Y - Long(W) + SHA Antares = 360^\circ$$

$$GHA Y - 120^\circ 30' + 112^\circ 31.2' = 360^\circ$$

$$GHA Y = 360^\circ + 120^\circ 30' - 112^\circ 31.2'$$

$$GHA Y = 7^\circ 58.8'$$

$$GHA Y (4d 13h) : 357^\circ 39.7'$$

$$\text{Increment : (+) } 10^\circ 19.1'$$

(4m 10s)

$$7^\circ 58.8'$$

2	$2+x=3$
(+) x	$x=3-2$
<u>3</u>	$=1$

So GMT mer pass (ANTARES) : March 04d 13h 41m 10s

LT (W) : (-)

08h 02m 00s

04d 05h 39m 10s



Question say AM at ship

so this is correct GMT



2

Sextant Altitude: $30^{\circ}40.2'$

IE: $0.0'$

Observed altitude: $30^{\circ}40.2'$

Dip (HE-18m): $(-) 7.5'$

Apparent altitude: $30^{\circ}32.7'$

Total corr: $(-) 1.6'$

True altitude: $30^{\circ}31.1'$

MZD: $59^{\circ}28.9'S$

Dec: $16^{\circ}31.8'N$

Lat: $42^{\circ}57.1'S$

LOP: $(-) E-W$

$GHA \gamma + Long(E) + SHA \text{ Aldebaran} = 360^{\circ}$

$GHA \gamma + 72^{\circ}20' + 290^{\circ}53.4' = 360^{\circ}$

$GHA \gamma = 360^{\circ} - 72^{\circ}20' - 290^{\circ}53.4'$

$GHA \gamma = 356^{\circ}46.6'$

$GHA \gamma (12d00h) = 351^{\circ}22.4'$

Increment (21m33s) = $5^{\circ}24.2'$

$GHA \gamma = \text{sep 12 d 00h 21m 33s}$

LT(E) = (+) $04h 49m 20s$

sep 12d 05h 10m 53s \rightarrow this time star is visible

so this GMT of meridian passage is correct

Hence, GMT of mer. pass = sep 12d 00h 21m 33s

2

Sextant altitude: $73^{\circ}24.2'$

IE: $0.0'$

Observed altitude: $73^{\circ}24.2'$

Dip (HE-15m): $(-) 6.8'$

Apparent altitude: $73^{\circ}17.4'$

Total corr: $(-) 0.3'$

True altitude: $73^{\circ}17.1'N$

MZD: $16^{\circ}42.9'S$

Dec. RIGEL: $8^{\circ}11.2'S$

Lat: $24^{\circ}54.1'S$

LOP: $E-W$

$$GHA Y + LONG E + SHA RIGEL = 360^\circ$$

$$GHA Y + 90^\circ 06' + 281^\circ 15.4' = 360^\circ$$

$$GHA Y = 360^\circ - 90^\circ 06' - 281^\circ 15.4'$$

$$GHA Y = 348^\circ 38.6'$$

$$GHA Y (22d 23h) = 347^\circ 10.4'$$

$$\text{Increment (5m 52s)} = 1^\circ 28.2'$$

Hence, GMT mer. pass = Sep 22d 23h 05m 32s

$$LIT(E) = (+) \quad 06h 00m 24s$$

$$LMT \text{ mer. pass} = 23d 05h 06m 16s$$

But question says 22 sep.

$$\text{One sidereal day} = (-) \quad 23h 36m 04s$$

$$\text{Correct LMT mer. pass} = 22d 05h 10m 12s$$

$$LIT(E) : (-) \quad 06h 00m 24s$$

$$GMT \text{ mer. pass} = 21d 23h 09m 48s$$

④

$$\text{Sextant altitude: } 14^\circ 33.7'$$

$$IE(\text{on}) : (-) \quad 0.6'$$

$$\text{Observed altitude: } 14^\circ 33.1'$$

$$\text{Dip (HE-14.5m)} : (-) \quad 6.7'$$

$$\text{Apparent altitude: } 14^\circ 26.4' \quad \begin{array}{l} \text{Lat} \\ \hline 57^\circ N \end{array}$$

$$\text{Total corr} : (-) \quad 3.7' \quad \begin{array}{l} \downarrow \\ 12^\circ N \end{array}$$

$$\text{True altitude: } 14^\circ 22.7' S$$

$$MZD : 75^\circ 37.3' N$$

$$DEC : 17^\circ 56.6' S$$

$$LAT : 57^\circ 40.7' N$$

$$LDP : 11^\circ 27.1' E-W$$

$$GHA Y - LONG W + SHA DIPHDA = 360^\circ$$

$$GHA Y - 164^\circ 20' + 349^\circ 00' = 360^\circ$$

$$GHA Y = 360^\circ - 349^\circ 00' + 164^\circ 20'$$

$$GHA Y = 175^\circ 20'$$

$$GHA Y (20d 03h) = 163^\circ 52.9'$$

$$\text{Increment (15m 41s)} = 11^\circ 27.1'$$

G_{MT} at mer. pass: 20d 03h 45m 41s

LIT(w): (-) 10h 57m 20s

LMT mer. pass: 19d 16h 48m 21s - but ques says 20d

One sidereal day: (+) 23h 56m 04s

Correct LMT mer. pass: 20d 16h 44m 25s

LIT(w): (+) 10h 57m 20s

Correct G_{MT} mer. pass: 21d 03h 41m 45s

Sextant altitude: 71° 46.9'

IE(0n): (-) 2.4'

Observed altitude: 71° 44.5'

Dip(HE-14m): (-) 16.6'

Apparent altitude: 71° 37.9'

Total corrⁿ: (-) 0.3'

True altitude: 71° 37.6'S

MZD: 18° 22.4'N

Dec: 11° 55.5'N

Lat: 30° 17.9'N

LDP: E-W

G_{HAY}(-) Long(w) + SHA REGULUS = 360°

G_{HAY} - 135° 02' + 207° 47.5' = 360°

G_{HAY} = 360° + 135° 02' - 207° 47.5'

G_{HAY} = 287° 14.5'

G_{HAY}(01d 04h) = 279° 27.6'

Increment(31m 02s) = 07° 46.9'

G_{MT} at mer. pass: May 01d 04h 31m 02s

LIT(w): (-) 09h 00m 08s

LMT at mer. pass: Apr. 30d 19h 30m 54s → but ques say 01 May

One sidereal day: (+) 23h 56m 04s

Correct LMT at mer. pass: May 01d 19h 26m 58s

LIT(w): (+) 09h 00m 08s

Correct G_{MT} at mer. pass: May 02d 04h 27m 06s



Exercise - 36

No. 44

Date/4-0

Intercept stars

1) Chron time: 08h 53m 03s
 Error (fast): (-) 61m 40s
 GMT: 08h 51m 23s (+12) → 20h 51m 23s → correct GMT
 LIT(W): (-) 02h 41m 20s → (-) 02h 41m 20s
 LMT: 06h 10m 03s → but question says 18h 10m 03s → correct LMT
 PM at ship
 GMT:- 30d 20h 51m 23s

GHA Y (30d 20h): 159° 07.8'
 Increment (51m 23s): 12° 52.9'
 GHA Y: 172° 0.7'
 Long (W): 174° 40.2'
 LHA Y: 131° 40.7'
 SHA SIRIUS: 258° 37.3'
 LHA SIRIUS: 30° 18.0'
 P: 30° 18.0'

Declination SIRIUS:
 16° 43.7'S
 Lat: 34° 18.0'S

$$\cos CZD = \cos P \cdot \cos lat - \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 30^{\circ} 18.0' \cdot \cos 34^{\circ} 18.0' - \cos 16^{\circ} 43.7' + \sin 34^{\circ} 18.0' \cdot \sin 16^{\circ} 43.7'$$

$$\cos CZD = 0.845$$

$$CZD = 32^{\circ} 18.0'$$

Sextant altitude: 57° 51.9'
 IE (on): (-) 1.2'
 Observed altitude: 57° 50.7'
 Dip (HE - 21m): (-) 8.1'
 Apparent altitude: 57° 42.6'
 Total corr: (-) 0.6'

True altitude: 57° 42.0'
 TZD: 32° 18.0'
 CZD: 32° 18.0'

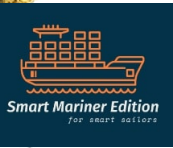
Intercept: 0.0

A = $\frac{\tan lat}{\tan P}$ B = $\frac{\tan dec}{\sin P}$

$$A = \frac{\tan 34^{\circ} 18' 0''}{\tan 30^{\circ} 18'}$$

$$B = \frac{\tan 16^{\circ} 43.7'}{\sin 30^{\circ} 18'}$$

A = 1.167N B = 0.596S



$$C = A - B$$

$$C = 1.167 - 0.596$$

$$C = 0.571N$$

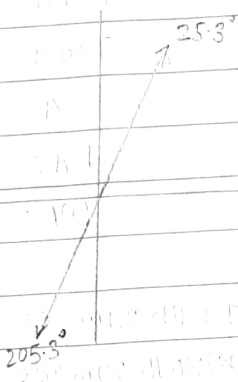
$$\tan AZ = \frac{1}{2} \times \cos lat$$

$$\tan AZ = \frac{1}{2} \times 0.571 \times \cos 34^\circ 18' 0''$$

$$AZ = N 64.7 W$$

$$TAZ = 295.3^\circ$$

$$LOP = 25.3^\circ - 205.3^\circ$$



GMT: 07h 33m 44s ✓ correct GMT

LIT(E): Hill 23m 20s

LMT: 18h 57m 04s - question says about 1900 at ship.

GMT: Jan 19d 07h 33m 44s

GHA Y (19d 07h):	223° 03.7'
Increment (33m 44s):	18° 27.4'
GHA Y:	231° 31.1'
Long (E):	(+) 170° 50.0'
LHA Y:	42° 21.1'
SHA BETELGEUSE:	271° 05.4'
LHA BETELGEUSE:	313° 26.5'
P:	46° 33.5'
Declination BETELGEUSE:	7° 24.6' N
Lat:	00° 02' N

Sextant altitude:	43° 11.1'
IE (off): (+)	1.3'
Observed altitude:	43° 12.4'
Dip (HE=18m): (-)	7.5'
Apparent altitude:	43° 4.9'
Total correction: (-)	1.0'
True altitude:	43° 3.9'
TZD:	46° 56.1'

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 46^\circ 33.5' \cdot \cos 00^\circ 02' \cdot \cos 7^\circ 24.6' + \sin 00^\circ 02' \cdot \sin 7^\circ 24.6'$$

$$\cos CZD = 0.682$$

$$CZD = 47^\circ 00.2'$$

$$TZD = 46^\circ 56.1'$$

Intercept = 4.1' Towards

$A = \frac{\tan lat}{\tan P}$	$B = \frac{\tan dec}{\sin P}$
$A = \frac{\tan 00^\circ 02'}{\tan 46^\circ 33.5'}$	$B = \frac{\tan 7^\circ 24.6'}{\sin 46^\circ 33.5'}$
$A = 0.00065$	$B = 0.1791N$

$$C = 0.1791 - 0.0006$$

$$C = 0.1785 N$$

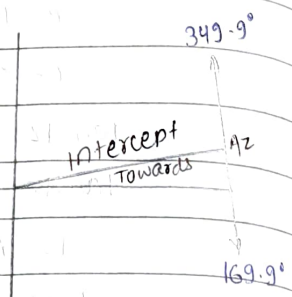
$$\tan Az = \frac{1}{C} \cos lat$$

$$\tan Az = \frac{1}{0.1785} \cos 00^{\circ} 02'$$

$$Az = N 79.9^{\circ} E$$

$$TAZ = 79.9^{\circ}$$

$$LDP = 169.9^{\circ} - 349.9^{\circ}$$



③

GMT: 11h 29m 20s ✓ so correct GMT

LIT(W): 00h 09m 20s

LMT: 04h 20m 00s ✓

↓
question says Am at ship

GMT: 29d 11h 29m 20s

GHA Y (29d 11h): 233° 42.3'

Increment (29m 20s): 7° 21.2'

GHA Y: 241° 03.5'

LONG(W): (-) 107° 20.0'

LHA Y: 133° 43.5'

SHA RIGEL: 281° 15.0'

SHA RIGEL: 54° 58.5'

P: 54° 58.5'

Declination RIGEL: 8° 11.4'S

Sextant altitude: 35° 10.3'

IE(On): (-) 2.8'

Observed altitude: 35° 7.5'

Dip (HE - 12m): (-) 6.1'

Apparent altitude: 35° 1.4'

Total corr.: (-) 1.4'

True altitude: 35° 00.0'

TZD: 55° 00.0'

Lat: 25° 30'S

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 54^{\circ} 58.5' \cdot \cos 25^{\circ} 30' \cdot \cos 8^{\circ} 11.4' + \sin 25^{\circ} 30' \cdot \sin 8^{\circ} 11.4'$$

$$\cos CZD = 0.574$$

$$CZD = 54^{\circ} 57.9'$$

$$TZD = 55^{\circ} 00.0'$$

Intercept = 2.1' Away

$$A = \frac{\tan lat}{\tan P}$$

$$\tan P$$

$$B = \frac{\tan dec}{\sin P}$$

$$\sin P$$

$$A = \frac{\tan 25^{\circ} 30' }{\tan 54^{\circ} 58.5'}$$

$$B = \frac{\tan 8^{\circ} 11.4' }{\sin 54^{\circ} 58.5'}$$

$$\tan 54^{\circ} 58.5'$$

$$\sin 54^{\circ} 58.5'$$

$$A = 0.334 N$$

$$B = 0.176 S$$

$$C = 0.337 - 0.176$$

$$C = 0.158 \text{ N}$$

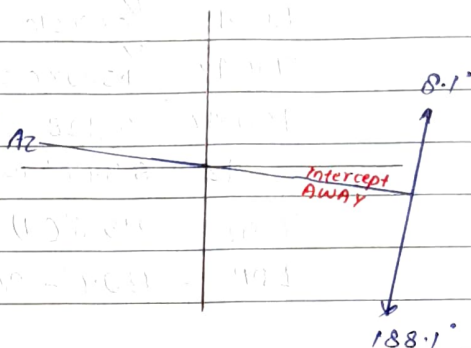
$$\tan Az = \frac{1}{C} \times \cos lat$$

$$\tan Az = \frac{1}{0.158} \times \cos 25^{\circ} 30'$$

$$Az = 81.9 \text{ W}$$

$$T Az = 278.1^{\circ} (CT)$$

$$LDP = 8.1^{\circ} - 188.1^{\circ}$$



(A) Chron time: 00h 21m 32s ✓

Error (fast): (-) 01m 06s

GMT: 00h 20m 26s ✓

UMT (E): (+) 04h 19m 44s

UMT: 04h 40m 10s - question says AM at ship, so this correct UMT

GMT: 31d 00h 20m 26s

GHA Y (31d 00h): 1339° 32.7'

Increment (20m 26s): 5° 07.3'

GHA Y: 344° 40.1'

Long (E): (+) 64° 56.0'

LHA Y: 279° 36.0'

SHA DIRHDA: 348° 59.1'

BHA DIRHDA: 38° 35.1'

P: 38° 35.1'

Declination DIRHDA: 17° 56.1'S

Sextant altitude: 21° 28.4'

IE (off): (+) 0.9'

Observed altitude: 21° 29.3'

DIP (HE - 0.9m): (-) 5.3'

Apparent altitude: 21° 24.0'

Total correction: (-) 2.5'

True altitude: 21° 21.5'

TZD: 68° 38.5'

Lat: 40° 30' N

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec - \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 38^{\circ} 35.1' \cdot \cos 40^{\circ} 30' \cdot \cos 17^{\circ} 56.1' - \sin 40^{\circ} 30' \cdot \sin 17^{\circ} 56.1'$$

$$\cos CZD = 0.366$$

$$CZD = 68^{\circ} 33.6'$$

$$TZD = 68^{\circ} 38.5'$$

4.9' AWAY

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 40^{\circ} 30'}{\tan 38^{\circ} 35.1'}$$

$$B = \frac{\tan 17^{\circ} 56.1'}{\sin 38^{\circ} 35.1'}$$

$$A = 1.0705$$

$$B = 0.5195$$

$$C = 1.070 + 0.519$$

$$C = 1.5895$$

$$\tan Az = \frac{1}{C} \times \cos lat$$

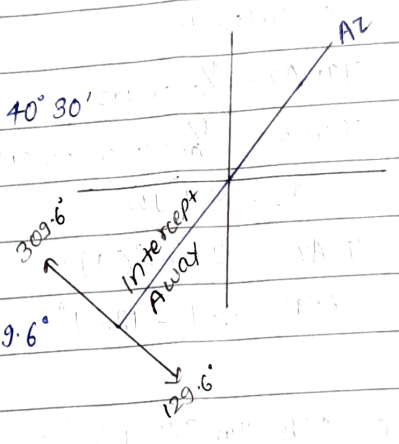
$$\tan Az = \frac{1}{1.5895} \times \cos 40^\circ 30'$$

$$\tan Az = 0.828$$

$$Az = 539.6^\circ W$$

$$T Az = 219.6^\circ (T)$$

$$LDP = 129.6^\circ - 309.6^\circ$$



⑤

Chron time: 00h 46m 31s

Error (slow): (+) 05m 01s

GMT: 00h 51m 32s

(+12) 12h 51m 32s - correct GMT

LIT(E): (+) 06h 09m 48s

(+) 06h 09m 48s

LMT: 07h 01m 20s (but question say)

19h 01m 20s - correct LMT

GMT: Sep. 22d 12h 51m 32s

GHA γ (22d 12h): $181^\circ 43.3'$

Increment (51m 32s): $12^\circ 55.1'$

GHA γ : $194^\circ 38.4'$

WDng(E): $692^\circ 27.0'$

LHA γ : $287^\circ 05.4'$

SHA ARCTURUS: $145^\circ 59.2'$

LHA ARCTURUS: $73^\circ 04.6'$

P: $73^\circ 04.6'$

DEC ARCTURUS: $19^\circ 08.3' N$

sextant altitude: $25^\circ 01'$

IE (on): (+) $0.2'$

Observed altitude: $25^\circ 0.8'$

Dip (HE = 17m): (-) $7.3'$

Apparent altitude: $24^\circ 53.5'$

Total corrⁿ: (-) $2.1'$

True alt: $24^\circ 51.4'$

TZD: $65^\circ 08.6'$

Lat: $60^\circ 10' N$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 73^\circ 04.6' \cdot \cos 60^\circ 10' \cdot \cos 19^\circ 08.3' + \sin 60^\circ 10' \cdot \sin 19^\circ 08.3'$$

$$\cos CZD = 0.421$$

$$CZD = 65^\circ 05.3'$$

$$TZD = 65^\circ 08.6'$$

Intercept = 3.3' AWAY

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 60^\circ 10'}{\tan 73^\circ 04.6'}$$

$$B = \frac{\tan 19^\circ 08.3'}{\sin 73^\circ 04.6'}$$

$$A = 0.5315$$

$$B = 0.363 N$$

$$C = A - B$$

$$C = 0.531 - 0.363$$

$$C = 0.168 \text{ s}$$

$$\tan Az = \frac{1}{2} c x \cos lat$$

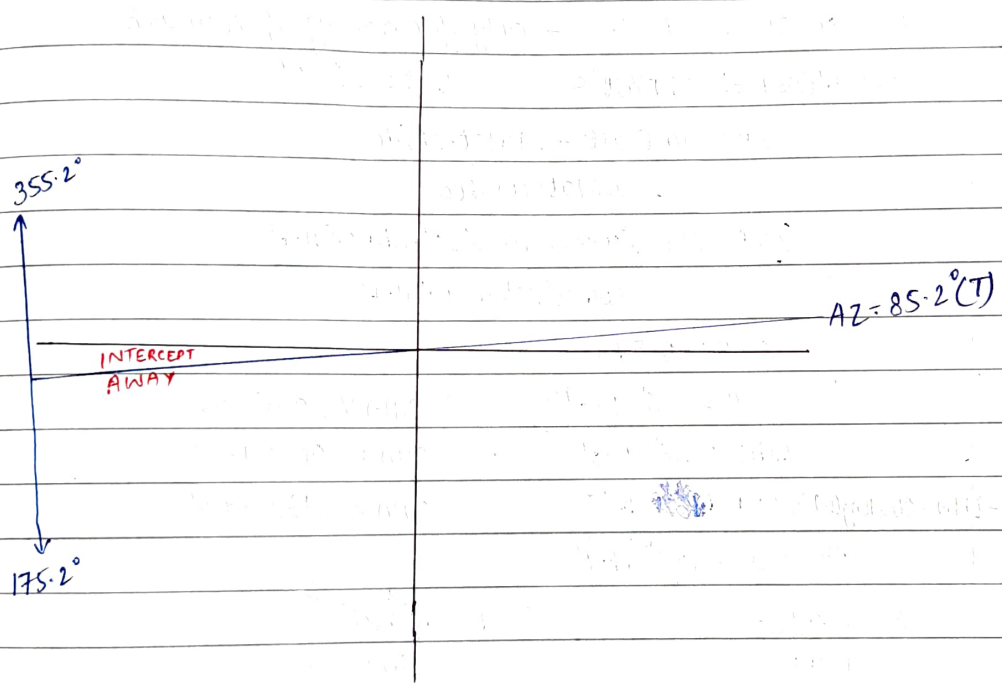
$$\tan Az = \frac{1}{2} 0.168 \times \cos 60^{\circ} 10'$$

$$\tan Az = 11.965$$

$$Az = 85.2^{\circ} W$$

$$T Az = 265.2^{\circ} (T)$$

$$LOP = 175.2^{\circ} - 355.2^{\circ}$$





EXERCISE-37

LONG BY CHRON STARS

No. 50

Date: / /

①

GMT: 11h 29m 20s ✓

LIT(W): (-) 107h 09m 20s

LMT: 04h 20m 00s - question says AM at ship

GMT: NOV. 29d 11h 29m 20s

GHA γ (29d 11h): 233° 42.3'	Sextant altitude: 35° 10.3'
Increment (29m 20s): 7° 21.2'	IE(0n): (-) 2.8'
GHA γ: 241° 03.5'	Observed altitude: 35° 7.5'
Long (W): (-) 107° 20.0'	Dip (HE = 12m): (-) 6.1'
LHA γ: 133° 43.5'	Apparent altitude: 35° 1.4'
SHA RIGEL: 281° 15.0'	Total corr ⁿ : (-) 1.4'
LHA RIGEL: 54° 58.5' - only for naming of Azimuth	True altitude: 35° 0.0'
DEC RIGEL: 08° 11.4'S	Lat: 25° 30'S

$$\cos P = \frac{\sin T. alt - \sin lat \cdot \sin dec}{\cos lat \cdot \cos dec}$$

$$\cos P = \frac{\sin 35^{\circ} 00.0' - \sin 25^{\circ} 30' \cdot \sin 08^{\circ} 11.4'}{\cos 25^{\circ} 30' \cdot \cos 08^{\circ} 11.4'}$$

$$\cos P = 0.573$$

$$P = 55^{\circ} 0.8' \quad \text{GHA } \gamma: 241^{\circ} 03.5'$$

$$\text{LHA} = 55^{\circ} 0.8' \quad \text{SHA}^* : 281^{\circ} 15.0'$$

GHA * - LHA = Obs. long (W) $\text{GHA}^* = 162^{\circ} 18.5'$ $\text{GHA}^* : 162^{\circ} 18.5'$

$$\text{Obs. long} = 107^{\circ} 17.7'$$

$$A = \frac{\tan lat}{\tan P} \qquad B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 25^{\circ} 30'}{\tan 55^{\circ} 0.8'} \qquad B = \frac{\tan 08^{\circ} 11.4'}{\sin 55^{\circ} 0.8'}$$

$$A = 0.334N \qquad B = 0.176S$$

$$C = 0.334 - 0.176$$

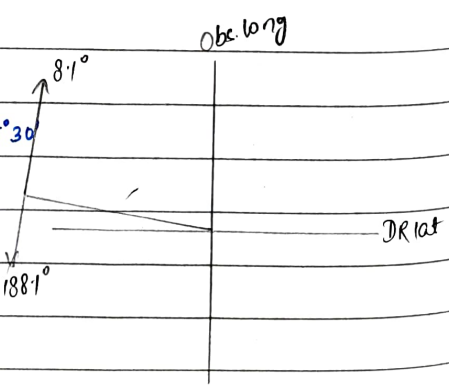
$$C = 0.158N$$

$$\tan AZ = \frac{1}{0.158} \times \cos 25^{\circ} 30'$$

$$AZ = N 81.9^{\circ} W$$

$$T AZ = 278.1^{\circ} (T)$$

$$LOP = 8.1^{\circ} - 188.1^{\circ} \rightarrow 188.1^{\circ}$$





e: 00h 46m 31s

GMT (slow): (+) 05m 01s

GMT: 00h 51m 32s X

LIT(E): (+) 06h 09m 48s

12h 51m 32s ✓ correct GMT

(+) 06h 09m 48s

LMT: 07h 01m 20s - question say PM at ship

19h 01m 20s

GMT: Sep 22d 12h 51m 32s

GHA Y (22d 12h): 181° 43.3'

Sextant attitude: 25° 01'

Increment (51m 32s): 12° 55.1'

IE (on): 0.2'

GHA Y: 194° 38.4'

Observed altitude: 25° 0.8'

SHA ARCTURUS: 145° 59.2'

Dip (HE - 17m): (-) 7.3'

GHA ARCTURUS: 340° 37.6'

Apparent altitude: 24° 53.5'

Long (E): (+) 92° 27.0'

Total corrⁿ: (-) 2.1'

APPRX LHA * : 73° 04.6'

True altitude: 24° 51.4'

DEC ARCTURUS: 19° 08.3'N

Lat: 60° 10'N

$$\cos P = \frac{\sin T \text{ alt} - \sin \text{lat} \cdot \sin \text{dec}}{\cos \text{lat} \cdot \cos \text{dec}}$$

$$\cos P = \frac{\sin 24^\circ 51.4' - \sin 60^\circ 10' \cdot \sin 19^\circ 08.3'}{\cos 60^\circ 10' \cdot \cos 19^\circ 08.3'}$$

$$\cos P = 0.289$$

$$P = 73^\circ 11.2'$$

$$\text{LHA} = 73^\circ 11.2'$$

LHA - GHA * = Obs long E
 bada chota

$$\text{GHA} * = 340^\circ 37.6'$$

Obs long: 92° 34.2' E

$$A = \tan \text{lat}$$

$$B = \tan \text{dec}$$

$$\tan P$$

$$\sin P$$

$$A = \tan 60^\circ 10'$$

$$B = \tan 19^\circ 08.3'$$

$$\tan 73^\circ 11.2'$$

$$\sin 73^\circ 11.2'$$

$$A = 0.5275$$

$$B = 0.3631$$

$$C = 0.527 - 0.363$$

$$C = 0.1645$$

$$\tan Az = \frac{0.1645}{\cos 60^\circ 10'}$$

$$Az = S 85.3' W$$

$$TAz = 265.3^\circ (T)$$

$$LOP = 175.3^\circ - 355.3^\circ = 175.3^\circ$$



③

G_{MT}: 07h 33m 44s ✓ correct G_{MT}

LIT(E): (4) 11h 23m 20s

LMT: 18h 57m 04s - question says about 1900 at ship

G_{MT}: Jan 19d 07h 33m 44s

GHA γ (19d 07h): 223° 03.7'

Increment(33m 44s): 8° 27.4'

GHA γ : 231° 31.1'

SHA BETELGEUSE: 271° 05.4'

GHA BETELGEUSE: 142° 36.5'

Long(E): (+) 170° 50.0'

Approx. LHA: 313° 26.5'

DEC BETELGEUSE: 7° 24.6'N

Sextant altitude: 43° 11.1'

IE(Off): (+) 3'

Observed altitude: 43° 12.4'

Dip(HE-18m): (-) 7.5'

Apparent altitude: 43° 4.9'

Total corrⁿ: (-) 1.0'

True altitude: 43° 3.9'

Lat: 00° 02'N

$$\cos P = \sin \text{alt} \cdot \sin \text{lat} + \sin \text{dec} \cdot \cos \text{lat} - \cos \text{dec}$$

$$\cos P = \sin 43^\circ 3.9' + \sin 00^\circ 02' \cdot \sin 7^\circ 24.6'$$

$$\cos 00^\circ 02' \cdot \cos 7^\circ 24.6'$$

$$\cos P = 0.689$$

$$P = 46^\circ 29.3'$$

$$\text{LHA} = 313^\circ 30.8' \quad (360^\circ - P \Rightarrow 360^\circ - 46^\circ 29.3')$$

$$\text{GHA}^* = 142^\circ 36.5'$$

$$\text{LHA} - \text{GHA}^* = \text{Long E}$$

$$\text{Long} = 170^\circ 54.2' \text{ E}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 00^\circ 02'}{\tan 46^\circ 29.3'}$$

$$B = \frac{\tan 7^\circ 24.6'}{\sin 46^\circ 29.3'}$$

$$A = 0.00065$$

$$B = 0.1793 \text{ N}$$

$$C = 0.1793 - 0.0006$$

$$C = 0.1787 \text{ N}$$

$$\tan \text{Az} = \frac{0.1787 \times \cos 00^\circ 02'}{\sin 46^\circ 29.3'}$$

$$\text{Az} = 79.9^\circ \text{ E DR lat}$$

$$\text{TAZ} = 79.9^\circ \text{ (T)}$$

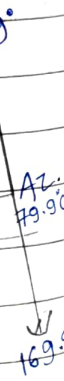
$$\text{LOP} = 169.9^\circ - 349.9^\circ$$

Obs. long

$$\text{Obs. long} = A$$

$$\text{Obs. long} = 349.9^\circ$$

$$\text{Obs. long} = A$$





EXERCISE - 38

EX-MERIDIAN STAR

No. 53

Date 15.01.2022

$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \text{ lat} \cdot \cos \text{dec}]$

① Chron time: 03h 59m 29s

Error (fast): (-) 05m 03s

GMT: 03h 54m 26s (OR)

12d 15h 54m 26s

LIT(W): (-) 10h 41m 20s

(-) 10h 41m 20s

LMT: 11d 17h 13m 06s

05h 13m 06s

GMT: Sept 12d 15h 54m 26s

GHA Y (12d 15h): 216° 59.3'

Sextant altitude: 73° 09.5'

Increment (54m 26s): 13° 38.7'

IE (on): (-) 1.2'

GHA Y: 230° 38.0'

Observed altitude: 73° 8.3'

Long (W): (-) 160° 20.0'

Dip (HE - 09m): (-) 5.3'

LHA Y: 70° 18.0'

Apparent altitude: 73° 3.0'

SHA ALDEBARAN: 290° 53.4'

Total corrⁿ: (-) 0.3'

LHA ALDEBARAN: 1° 11.4'

True altitude: 73° 2.7' N

P: 1° 11.4'

TZD: 16° 57.3'S

DEC ALDEBARAN: 16° 31.8' N

Lat: 00° 30'S

$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos \text{lat} \cdot \cos \text{dec}]$

$\cos MZD = \cos 16° 57.3' + [(1 - \cos 1° 11.4') \cdot \cos 00° 30' \cdot \cos 16° 31.8']$

$\cos MZD = 0.9571$

$MZD = 16° 54.9'S$ (same as TZD)

$\text{Dec} = 16° 31.8' N$

$\text{Obs lat} = 0° 23.1'S$

$A = \frac{\tan \text{lat}}{\tan P}$

$B = \frac{\tan \text{dec}}{\sin P}$

$A = \frac{\tan 00° 30' N}{\tan 1° 11.4'}$

$B = \frac{\tan 16° 31.8' N}{\sin 1° 11.4'}$

$A = 0.420 N$

$B = 14.290 N$

$C = 0.420 + 14.290$

$C = 14.71 N$

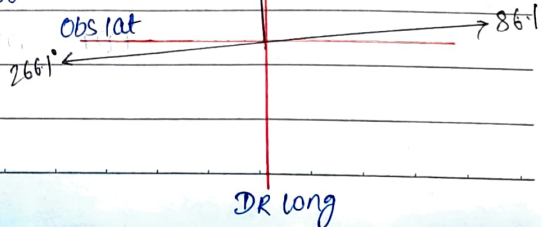
$\tan Az = \frac{1}{14.71} \times \cos 00° 30'$

$Az = N 3.9° W$

$T Az = 356.1° (T)$

$LOP = 86.1 - 266.1°$

$Az = 356.1° (T)$



②

GMT :- 02d 10h 54m 20s

LIT(E) :- (+) 06h 50m 40s

02d 16h 45m 00s ✓ question says pm

GMT = 02d 10h 54m 20s

GHA Y (02d 10h) : 10° 41.5'

Increment (54m 20s) : 13° 37.2'

GHA Y : 24° 18.7'

Long (E) : (+) 102° 40.0'

LHA Y : 126° 58.7'

SHA POLLUX : 243° 32.5'

LHA POLLUX : 110° 31.2'

P : 10° 31.2'

Dec POLLUX : 28° 00.5' N

sextant altitude : 17° 14.6'

IE (off) : (+) 3.6'

Observed altitude : 17° 18.2'

Dip (HE-12) : (-) 6.1'

Apparent altitude : 17° 12.1'

Total corr : (-) 3.1'

True altitude : 17° 9.0' N

TZD : 72° 51.0' S

Lat : 44° 11' S

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 72^\circ 51.0' + [(1 - \cos 10^\circ 31.2') \cdot \cos 44^\circ 11' \cdot \cos 28^\circ 00.5']$$

$$\cos MZD = 0.306$$

$$MZD = 72^\circ 12.6' S \text{ (same as TZD)}$$

$$Dec = 28^\circ 00.5' N$$

$$Obs lat = 44^\circ 12.1' S$$

$$A = \tan lat$$

$$\tan P$$

$$A = \tan 44^\circ 11'$$

$$\tan 10^\circ 31.2'$$

$$A = 5.237 N$$

$$B = \tan dec$$

$$\sin P$$

$$B = \tan 28^\circ 00.5'$$

$$\sin 10^\circ 31.2'$$

$$B = 2.913 N$$

$$C = 5.234 + 2.913$$

$$C = 8.147 N$$

$$\tan Az = \frac{1}{C} \cos lat$$

$$\tan Az = \frac{1}{8.147} \times \cos 44^\circ 11'$$

$$\tan Az = 0.171$$

$$Az = N 9.7 W$$

$$T Az = 350.3^\circ (T)$$

$$LDP = 80.3^\circ - 260.3^\circ$$

$$Az = 350.3^\circ (T)$$

80.3°
Obs lat

Chron time: 20d 02h 04m 54s

Error (slow): (+) 10m 58s

GMT: 20d 02h 15m 52s ~~00s~~ ✓ Correct GMT

LIT (E): (+) 04h 19m 08s

LMT: 20d 06h 35m 00s ✓ bcz question says morning twilight

GMT = 20d 02h 15m 52s

GHA γ (20d 02h): 148° 50.5'

Increment (15m 52s): 3° 58.7'

GHA γ : 152° 49.2'

Long (E): (+) 64° 47.0'

LHA γ : 217° 36.2'

SHA ARCTURUS: 145° 59.4'

LHA ARCTURUS: 3° 35.6'

P: 3° 35.6'

Dec ARCTURUS: 19° 08.1' N

Sextant altitude: 64° 58.8'

IE (off): (+) 3.1'

Observed altitude: 65° 1.9'

Dip (HE - 18m): (-) 7.5'

Apparent altitude: 64° 54.4'

Total correction: (-) 0.5'

True altitude: 64° 53.9's

TRD: 25° 06.1' N

Lat: 44° 07' N

$$\cos MZD = \cos TRD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 25^\circ 06.1' + [(1 - \cos 3^\circ 35.6') \cdot \cos 44^\circ 07' \cdot \cos 19^\circ 08.1']$$

$$\cos MZD = 0.907$$

$$MZD = 24^\circ 55.3' N \text{ (same as TRD)}$$

$$Dec: 19^\circ 08.1' N$$

$$Obs \text{ lat}: 44^\circ 03.4' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 44^\circ 07'}{\tan 3^\circ 35.6'}$$

$$B = \frac{\tan 19^\circ 08.1'}{\sin 3^\circ 35.6'}$$

$$\tan 3^\circ 35.6'$$

$$\sin 3^\circ 35.6'$$

$$A = 15.4415$$

$$B = 5.536N$$

$$C = A - B$$

$$C = 15.441 - 5.536$$

$$C = 9.905$$

$$\tan Az = \frac{1}{9} \times \cos lat$$

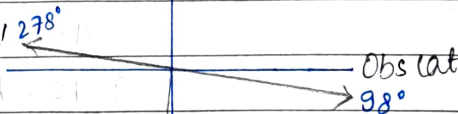
$$\tan Az = \frac{1}{9} \cdot 9.05 \times \cos 44^\circ 07'$$

$$Az = 58.0^\circ W$$

$$T Az = 188.0^\circ (CT)$$

$$LDP = 98^\circ - 278^\circ$$

DR Long



Az = 188° (CT)



④ ⁰⁶ GMT: ~~05d~~ 00h 22m 26s 05d 12h 22m 26s
 LIT (W): (-) 05h 47m 20s (+12) (-) 05h 47m 20s
 LMT: ⁰⁵ ~~04d~~ 18h 35m 06s 05d 07

→ bc2 question
 Says 05 Mar 1835 at ship

GMT = ~~06d~~ 00h 22m 26s

GHA Y (06d 00h): 164° 05.9'
 Increment (22m 26s): 5° 37.4'
 GHA Y : 169° 43.3'
 Long (W) : (-) 86° 50'
 LHA Y : 82° 53.3'
 SHA BETELGEUSE: 271° 05.5'
 LHA BETELGEUSE: 353° 58.8'
 P : 06° 01.2'
 DEC BETELGEUSE: 7° 24.5' N

Sextant altitude: 30° 35.2'
 IE (off): (+) 0.7'
 Observed altitude: 30° 35.9'
 Dip (HE-14m): (-) 6.6'
 Apparent altitude: 30° 29.3'
 Total corrⁿ: (-) 1.6'
 True alt : 30° 27.7' S
 TZD : 59° 32.3' N
 Lat : 66° 40' N

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 59^\circ 32.3' + [(1 - \cos 06^\circ 01.2') \cdot \cos 66^\circ 40' \cdot \cos 7^\circ 24.5']$$

$$\cos MZD = 0.509$$

MZD = 59° 23.6' N (same as TZD)

DEC = 7° 24.5' N

Obs lat = 66° 48.1' N

A = $\frac{\tan lat}{\tan P}$

B = $\frac{\tan dec}{\sin P}$

A = $\frac{\tan 66^\circ 40'}{\tan 06^\circ 01.2'}$

B = $\frac{\tan 7^\circ 24.5'}{\sin 06^\circ 01.2'}$

A = 21.983 S

B = 1.240 N

C = 21.983 - 1.240

C = 20.743 S

Tan Az = $\frac{1}{C} \times \cos lat$

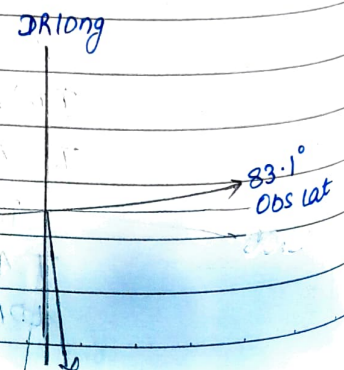
Tan Az = $\frac{1}{20.743} \times \cos 66^\circ 40'$

Tan Az = 0.122

Az = 6.9° E

TAZ = 173.1° (T)

LOP = 83.1° - 263.1°



Chron time: 21d 01h 15m 06s

Error (slow): (+) 00m 04s

GMT: 21d 01h 15m 10s ✓ correct GMT

LIT(E): (+) 04h 10m 00s

LMT: 21d 05h 25m 10s ✓ question says AM at ship

GMT: - Sept. 21d 01h 15m 10s

GHA Y (21d 01h): $15^{\circ} 17.1'$

Increment (15m 10s): $3^{\circ} 48.1'$

GHA Y: $19^{\circ} 05.2'$

Long(E): $(+) 62^{\circ} 30.0'$

LHA Y: $81^{\circ} 35.2'$

SHA CAPELLA: $280^{\circ} 39.6'$

LHA CAPELLA: $02^{\circ} 14.8'$

P: $02^{\circ} 14.8'$

DEC CAPELLA: $46^{\circ} 00.4' N$

Sextant altitude: $23^{\circ} 07.1'$

IE: $0.0'$

Observed altitude: $23^{\circ} 07.1'$

Dip (HE - 10m): $(-) 5.6'$

Apparent altitude: $23^{\circ} 1.5'$

Total corr: $(-) 2.3'$

True altitude: $22^{\circ} 59.2' N$

TZD: $67^{\circ} 0.8' S$

Lat: $20^{\circ} 50.0' S$

$$\cos MZD = \cos TZD + [(1 - \cos 02^{\circ} 14.8') \cdot \cos 20^{\circ} 50' \cdot \cos 46^{\circ} 00.4']$$

$$\cos MZD = \cos 67^{\circ} 0.8' + [(1 - \cos 02^{\circ} 14.8') \cdot \cos 20^{\circ} 50' \cdot \cos 46^{\circ} 00.4']$$

$$\cos MZD = 0.391$$

$$MZD = 66^{\circ} 58.9' S \text{ (same as TZD)}$$

$$\text{Dec} = 46^{\circ} 00.4' N$$

$$\text{Obs Lat} = 20^{\circ} 58.5' S$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 20^{\circ} 50.0'}{\tan 02^{\circ} 14.8'}$$

$$B = \frac{\tan 46^{\circ} 00.4'}{\sin 02^{\circ} 14.8'}$$

$$A = 9.700 N$$

$$B = 26.422 N$$

$$C = 9.700 + 26.422$$

$$C = 36.122 N$$

$$\tan AZ = \frac{1}{2} C \cos \text{lat}$$

$$\tan AZ = \frac{1}{2} 36.122 \times \cos 20^{\circ} 50.0'$$

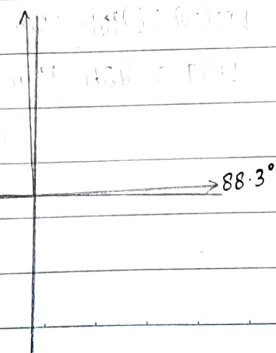
$$\tan AZ = 0.030$$

$$AZ = N 1.7 W$$

$$TAZ = 358.3^{\circ} (T)$$

$$LOP = 88.3^{\circ} - 268.3^{\circ}$$

$$AZ = 358.3^{\circ} (T)$$





EXERCISE-39

No. 58

Date 24

POLARIS

① Chron time: 08h 51m 15s
 Error slow : (+) 05m 11s
 GMT : 08h 56m 26s (+12)
 LIT(E) : (+)09h 33m 44s
 LMT : 18h 30m 10s

30d 20h 51m 15s
 (+) 05m 11s
 30d 20h 56m 26s ✓ bcz question
 (+) 09h 33m 44s say
 old 06h 30m 10s morning of 1st dec.

GMT = 30d 20h 56m 26s

GHA γ (30d 20h) : $010^{\circ} 03.6'$
 Increment (56m 26s) : $014^{\circ} 08.8'$
 GHA γ : $024^{\circ} 12.4'$
 Long (E) : (+) $143^{\circ} 26'$
 LHA γ : $167^{\circ} 38.4'$

Sextant altitude : $46^{\circ} 50.7'$
 IE (off) : (+) $2.1'$
 Observed altitude : $46^{\circ} 52.8'$
 Dip (HE-17m) : (-) $7.3'$
 Apparent altitude : $46^{\circ} 45.5'$
 Total corrⁿ : (-) $0.9'$
 True altitude : $46^{\circ} 44.6'$

True altitude : $46^{\circ} 44.6'$
 a_0 : (+) $1^{\circ} 24.2'$
 a_1 : (+) $0^{\circ} 0.6'$
 a_2 : (+) $0^{\circ} 0.2'$

Sum : $48^{\circ} 09.5'$

Minus 1^o : $1^{\circ} 00.0'$

Obs lat : $47^{\circ} 09.5' (N)$ ← In polaris, always 'N'

True Az : 359.2°

C Az : 005°

Error : $5.8^{\circ} W$

Var : $3.0^{\circ} W$

Dev : $2.8^{\circ} W$

LDP : $89.2^{\circ} - 269.2^{\circ}$

C
M
V
T



② GMT : 23/05h 21m 08s
 LIT(W) : (-) 10h 40m 48s
 LMT : 22/18h 40m 20s ✓ question says 22 evening

GMT : Sep. 23d 05h 21m 08s

GHA Y (23d 05h) : $77^{\circ} 25.2'$	Sextant altitude : $36^{\circ} 18.6'$
Increment (2m 08s) : $5^{\circ} 17.9'$	IE (on) : (-) $2.8'$
GHA Y : $82^{\circ} 43.1'$	Observed altitude : $36^{\circ} 15.8'$
Long (W) : $(-160^{\circ} 12.0')$	DIP (HE - 10m) : (-) $5.6'$
LHA Y : $282^{\circ} 31.1'$	Apparent altitude : $36^{\circ} 10.2'$
	Total corr ⁿ : (-) $1.3'$
	True altitude : $36^{\circ} 8.9'$

True altitude : $36^{\circ} 8.9'$

a_0 : (+) $1^{\circ} 18.9'$

a_1 : (+) $0^{\circ} 0.5'$

a_2 : (+) $0^{\circ} 0.9'$

Sum : $37^{\circ} 29.2'$

Minus 1° : $1^{\circ} 00.0'$

Obs lat : $36^{\circ} 29.2' N$

True AZ - 0.8° (T)

Cyro AZ - 002° (C)

Cyro error - 1.2° (H)

LDP :- $90.8^{\circ} - 270.8^{\circ}$

TAZ
OR long

obs lat
→ 90.8

③ Chron time : 05h 30m 30s

Error : NIL

GMT : 05h 30m 30s

LIT (E) : (+) 10h 00m 00s

LMT : 15h 30m 30s

30d 17h 30m 30s

NIL

(OR) 30d 17h 30m 30s

(+) 10h 00m 00s

Old 03h 30m 30s

GMT : April 30d 17h 30m 30s

GHA Y (30d 17h) : $114^{\circ} 00.5'$

Increment (30m 30s) : $7^{\circ} 38.8'$

GHA Y : $121^{\circ} 39.3'$

Long (E) : (+) $150^{\circ} 00.0'$

LHA Y : $271^{\circ} 39.3'$

Sextant altitude : $50^{\circ} 46.8'$

IE (NIL) : $0.0'$

Observed altitude : $50^{\circ} 46.8'$

DIP (HE - 14m) : (-) $6.6'$

Apparent altitude : $50^{\circ} 40.2'$

Total corrⁿ : (-) $0.8'$

True altitude : $50^{\circ} 39.4'$

True altitude: $50^{\circ} 39.4'$

$a_0: (+) 1^{\circ} 25.2'$

$a_1: (+) 0^{\circ} 0.6'$

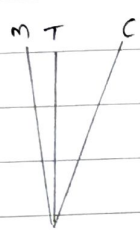
$a_2: (+) 0^{\circ} 0.3'$

Sum: $52^{\circ} 05.5'$

Minus $1^{\circ}: 1^{\circ} 00.0'$

Obs lat: $51^{\circ} 05.5'$

C
M
T
D



True Az - 0.9°

C Az - 005°

Error - $4.1^{\circ} W$ 270.9°

var - $1^{\circ} E$

Dev - $5.1^{\circ} W$

LOP: $90.9^{\circ} - 270.9^{\circ}$



⑦

LMT: $02h 00m 00s$

LIT: $00h 00m 00s$

GMT: $02h 00m 00s$

GMT: March 06d 02h 00m 00s

GHA $(06d 02h): 194^{\circ} 10.9'$

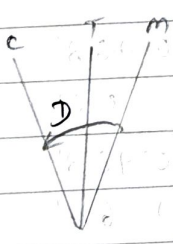
Increment $(00m 00s): 0^{\circ} 00.0'$

GHA $Y: 194^{\circ} 10.9'$

Long: $000^{\circ} 00.0'$

LHA $Y: 194^{\circ} 10.9'$

C
M
T
D



True Az - $359.7^{\circ} (C)$

Compass Az - $358.0^{\circ} (C)$

Error - $1.7^{\circ} E$

var - $1.7^{\circ} W$

Deviation - $3.4^{\circ} WE$



Exercise 40 - Azimuth Planet

No. 61

Date 02/02/2022

(1) LMT: 05d 22h 10m 00s
 bcz long (-) is E 05h 00m 00s
 GMT: 05d 17h 10m 00s

GMT: March 05d 17h 10m 00s

GHA Mars (05d 17h): 328° 21.0'
 Increment (10m 00s): 2° 30.0'
 V(1.6): 0.3'
 GHA Mars: 330° 51.3'
 Long(E): (+) 78° 50.0'
 LHA Mars: 49° 41.3'
 P: 49° 41.3'

Dec (05d 17h): N 26° 10.7'
 d(0.0): 0.0'
 Dec Mars: N 26° 10.7'
 Latitude: 36° 08.5'

$A = \frac{\tan \text{lat}}{\tan P}$

$B = \frac{\tan \text{dec}}{\sin P}$

$A = \frac{\tan 36^\circ 08'}{\tan 49^\circ 41.3'}$

$B = \frac{\tan 26^\circ 10.7'}{\sin 49^\circ 41.3'}$

$A = 0.619 N$

$B = 0.645 N$

$C = A + B$

$C = 0.619 + 0.645$

$C = 1.264 N$

$\tan Az = \frac{1}{C} \times \cos \text{lat}$

$\tan Az = \frac{1}{1.264} \times \cos 36^\circ 08'$

$Az = N 44.4 W$

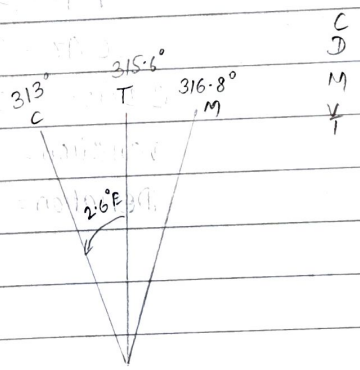
$T Az = 315.6^\circ$

$C Az = 313^\circ$

$C \text{ Error} = 2.6^\circ E$

$\text{Variation} = 1.2^\circ W$

$\text{Deviation} = 3.8^\circ E$



(2) Chron time: 05h 43m 37s

Error (slow): (+) 04m 06s

GMT: 05h 47m 40s

(OR) 17h 47m 40s

LIT(E): (+) 04h 02m 40s

(+) 04h 02m 40s

LMT: 09h 50m 20s

21h 50m 20s

✓ question says PM at ship



GMT: Apr 28d 17h 47m 40s

GHA Saturn (28d 17h): $317^{\circ} 40' 2''$

Increment (47m 40s): $11^{\circ} 55' 0''$

$V(2.5) : 2' 0''$

GHA saturn : $329^{\circ} 37' 2''$

LONG(E) : $(+) 60^{\circ} 40' 0''$

LHA Saturn : $30^{\circ} 17' 2''$

$P : 30^{\circ} 17' 2''$

Dec. Saturn (28d 17h): $12^{\circ} 33' 4'' N$

$d(0.0) : 0' 0''$

Declination saturn : $12^{\circ} 33' 4'' N$

Latitude : $40^{\circ} 26' N$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 40^{\circ} 26'}{\tan 30^{\circ} 17' 2''}$$

$$B = \frac{\tan 12^{\circ} 33' 4''}{\sin 30^{\circ} 17' 2''}$$

$$A = 1.4595$$

$$B = 0.442 N$$

$$C = A - B$$
$$= 1.459 - 0.442$$
$$= 1.017 S$$

$$\tan Az = \frac{1}{C} \times \cos \text{lat}$$

$$\tan Az = \frac{1}{1.017} \times \cos 40^{\circ} 26'$$

$$Az = S 52.3^{\circ} W$$

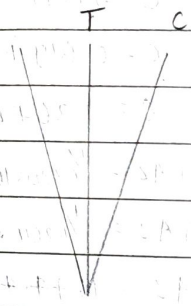
$$TAz = 232.3^{\circ} (T)$$

$$CAz = 235^{\circ} (C)$$

$$C \text{ Error} = 2.7^{\circ} W$$

$$\text{variation} = 1.0^{\circ} E$$

$$\text{Deviation} = 3.7^{\circ} W$$



TVM

Exercise 41 - Lat by mer. alt planet

No. 63

Date 02/02/2022

Approx. LMT mer. pass SATURN: 06h 51m 00s

LIT(W): (+) 02h 57m 12s

Approx. GMT mer. pass SATURN: 09h 48m 12s

Dec (29d 09h): $05^{\circ} 23.2' N$

d(0°): 0.0'

Dec saturn: $05^{\circ} 23.2' N$

Sextant altitude: $43^{\circ} 12.9'$

IE (off): (+) 2.1'

Observed altitude: $43^{\circ} 15.0'$

Dip (HE=18m): (-) 7.6'

Apparent altitude: $43^{\circ} 7.4'$

Corr'd: (-) 1.0'

True altitude: $43^{\circ} 6.4' S$

MZD: $46^{\circ} 53.6' N$

DEC: $05^{\circ} 23.2' N$

Latitude: $52^{\circ} 16.8' N$

LOP: E-W

Since

At mer. pass, LHA = 360°

GHA - long(W) = 360°

GHA - $44^{\circ} 18' = 360^{\circ}$

GHA = $44^{\circ} 18'$

GHA SATURN = $44^{\circ} 18.0'$

GHA (29d 09h) = $431^{\circ} 18.3'$

Increment $\Delta = 12^{\circ} 59.7' = 51m 59s$

Precise time of mer. pass = Nov. 29d 09h 51m 59s

Approx. LMT of mer. pass JUPITER: 18h 48m 00s

LIT(E): (+) 06h 40m 40s

Approx. GMT of mer. pass JUPITER: 12h 07m 20s

DEC JUPITER (23d 12h): $023^{\circ} 7.9'$

d(0°): 0.0'

DEC JUPITER: $23^{\circ} 07.9'S$

Sextant altitude: $21^{\circ} 32.2'$

IE(O_N): (-) $1.7'$

Observed altitude: $21^{\circ} 30.5'$

Dip (HE-13m): (-) $6.4'$

Apparent altitude: $21^{\circ} 24.1'$

Corrⁿ: (-) $2.5'$

True altitude: $21^{\circ} 21.6'S$

MZD: $68^{\circ} 38.4'N$

Dec: $23^{\circ} 07.9'S$

Latitude: $45^{\circ} 30.5'N$

LOP: E-W

④

Approx LMT of mer. pass JUPITER: 04h 58m 00s

LIT(LA): (+) 08h 42m 52s

Approx. GMT of mer. pass JUPITER: 13h 40m 52s

Declination JUPITER (30d 13h): $21^{\circ} 37.8'S$

d(0:0): 0:0'

Declination JUPITER: $21^{\circ} 37.8'S$

Sextant altitude: $48^{\circ} 20.5'$

IE(O_N): (-) $0.7'$

Observed altitude: $48^{\circ} 19.8'$

Dip (HE-12m): (-) $6.1'$

Apparent altitude: $48^{\circ} 13.8'$

Corrⁿ: (-) $0.9'$

True altitude: $48^{\circ} 12.9'S$

MZD: $41^{\circ} 47.2'N$

Dec: $21^{\circ} 37.8'S$

Latitude: $20^{\circ} 09.4'N$

LOP: E-W

⑤

Approx LMT of mer. pass MARS: 19h 06m 00s

LIT(E): (-) 02h 42m 28s

Approx GMT of mer. pass MARS: 16h 23m 32s



No. 65

Date 03.02.2022

Declination Mars (06d 16h): $26^{\circ} 09.6' N$

$d(0.0): 0.0'$

Declination Mars: $26^{\circ} 09.6' N$

Sextant altitude: $43^{\circ} 19.6'$

IE(0n): $(-) 1.4'$

Observed altitude: $43^{\circ} 18.2'$

Dip(HE-18m): $(-) 7.5'$

Apparent altitude: $43^{\circ} 10.7'$

Corrⁿ: $(-) 1.0'$

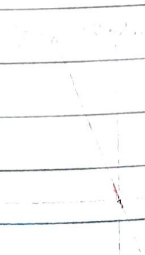
True altitude: $43^{\circ} 09.7' N$

MZD: $46^{\circ} 50.3' S$

DEC: $26^{\circ} 09.6' N$

Latitude: $20^{\circ} 40.7' S$

LOP: E-W



Exercise - 42 - Intercept Planet

No. 66

Date 03/06

①

GMT : 14h 51m 07s

LIT(W) : (-) 09h 20m 48s

LMT : 05h 30m 19s ✓ correct bcz ques says AM at ship

GMT : Mar 02d 14h 51m 07s

GHA Jupiter (02d 14h) : $83^{\circ} 31.2'$

Increment (51m 07s) : $12^{\circ} 46.8'$

$\vee(2.0)$ $1.7'$

GHA Jupiter : $96^{\circ} 19.7'$

Long (W) : (-) $140^{\circ} 12.0'$

LHA Jupiter : $316^{\circ} 07.7'$

P : $43^{\circ} 52.3'$

Dec (02d 14h) : $22^{\circ} 25.1'S$

d(0.0) : $0.0'$

Dec JUPITER : $22^{\circ} 25.1'S$

Latitude : $09^{\circ} 42'S$

Sextant altitude : $46^{\circ} 13.8'$

IE(Off) : (+) $3.2'$

Observed altitude : $46^{\circ} 17.0'$

Dip (HE-20m) : (-) $7.9'$

Apparent altitude : $46^{\circ} 9.1'$

Corrⁿ : (-) $0.9'$

True altitude : $46^{\circ} 8.2'$

TZD : $43^{\circ} 51.8'$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 43^{\circ} 52.3' \cdot \cos 09^{\circ} 42' \cdot \cos 22^{\circ} 25.1' + \sin 09^{\circ} 42' \cdot \sin 22^{\circ} 25.1'$$

$$\cos CZD = 0.721$$

$$CZD = 43^{\circ} 51.8'$$

$$TZD = 43^{\circ} 51.8'$$

$$\text{INTERCEPT} = 0.0'$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 09^{\circ} 42'}{\tan 43^{\circ} 52.3'}$$

$$B = \frac{\tan 22^{\circ} 25.1'}{\sin 43^{\circ} 52.3'}$$

$$A = 0.178N$$

$$B = 0.595S$$

$$C = B - A$$

$$= 0.595 - 0.178$$

$$= 0.417S$$

$$\tan Az = \frac{1}{\cos lat} \times \cos lat$$

$$\tan Az = \frac{1}{\cos 09^{\circ} 42'} \times \cos 09^{\circ} 42'$$

$$Az = 567.7^{\circ} E$$

$$TAZ = 112.3^{\circ} (T)$$

$$LOP : 22.3^{\circ} - 202.3^{\circ}$$

DR long

22.3°

DR lat

0.0'



09h 46m 19s
 Error (fast) : (-) 01m 40s

No. 67

Date 03/02/2022

GMT : 09h 44m 39s (OR)

LIT (W) : (-) 02h 41m 20s +12 21h 44m 39s ✓ correct bcz

LMT : 07h 03m 19s (-) 02h 41m 20s question says

19h 03m 19s ✓ PM at ship

GMT: Jan 18d 21h 44m 39s

GHA Mars (18d 21h) : 348° 12.7'

Increment (44m 39s) : 11° 09.8'

v(3.0) : 2.2'

GHA Mars : 359° 24.7'

Long (W) : (-) 40° 20.0'

LHA Mars : 319° 04.7'

P : 40° 55.3'

Dec Mars (18d 21h) : 26° 52.9' N

d(0.0) : 0.0'

Declination Mars : 26° 52.9' N

Sextant altitude : 39° 06.1'

IE (on) : (-) 1.2'

Observed altitude : 39° 4.9'

Dip (HE-21m) : (-) 8.1'

Apparent altitude : 38° 56.8'

Corrⁿ : (-) 1.2'

True altitude : 38° 55.6'

TZD : 51° 04.4'

Lat : 05° 18' S

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec - \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 40^\circ 55.3' \cdot \cos 05^\circ 18' \cdot \cos 26^\circ 52.9' - \sin 05^\circ 18' \cdot \sin 26^\circ 52.9'$$

$$\cos CZD = 0.629$$

$$CZD = 51^\circ 00'$$

$$TZD = 51^\circ 04.4'$$

$$\text{Intercept} = 4.4' \text{ AWAY}$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 05^\circ 18'}{\tan 40^\circ 55.3'}$$

$$B = \frac{\tan 26^\circ 52.9'}{\sin 40^\circ 55.3'}$$

$$A = 0.107 N$$

$$B = 0.774 N$$

$$C = A + B$$

$$C = 0.107 + 0.774$$

$$C = 0.881 N$$

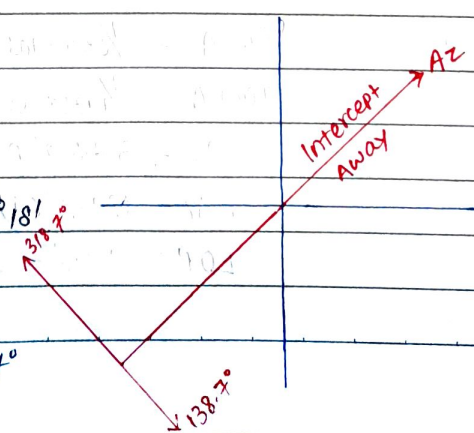
$$\tan AZ = \frac{1}{C} \times \cos lat$$

$$\tan AZ = \frac{1}{0.881} \times \cos 05^\circ 18'$$

$$AZ = N 48.7^\circ E$$

$$T AZ = 48.7^\circ (T)$$

$$LOP = 138.7^\circ - 318.7^\circ$$



04

GMT: 15d 23h 25m 28s

LIT(E): (+) 07h 04m 56s

LMT: 14d 06h 30m 24s

GMT: Jan 15d 23h 25m 28s

GHA VENUS (15d 23h): $200^{\circ} 30.0'$

Increment (25m 28s): $6^{\circ} 22.0'$

v(-0.8): $(-) 0.3'$

GHA VENUS: $206^{\circ} 51.7'$

Long(E): $(+) 106^{\circ} 14.0'$

LHA VENUS: $313^{\circ} 05.7'$

P: $46^{\circ} 54.3'$

DEC VENUS (16d 23h): $21^{\circ} 41.0'S$

d(0.3): $(+) 0.1'$

Declination VENUS: $21^{\circ} 41.1'S$

Sextant altitude: $20^{\circ} 05.6'$

IE(off): (+) $1.3'$

Observed altitude: $20^{\circ} 06.9'$

Dip(HE-14m): $(-) 6.6'$

Apparent altitude: $20^{\circ} 0.3'$

Corrⁿ: $(-) 2.6'$

True altitude: $19^{\circ} 57.7'$

TZD: $70^{\circ} 02.3'$

Lat: $32^{\circ} 16'N$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec - \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 46^{\circ} 54.3' \cdot \cos 32^{\circ} 16' \cdot \cos 21^{\circ} 41.1' - \sin 32^{\circ} 16' \cdot \sin 21^{\circ} 41.1'$$

$$\cos CZD = 0.340$$

$$CZD = 70^{\circ} 09.0'$$

$$TZD = 70^{\circ} 02.3'$$

Intercept = $6.7'$ TOWARDS

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 32^{\circ} 16'}{\tan 46^{\circ} 54.3'}$$

$$B = \frac{\tan 21^{\circ} 41.1'}{\sin 46^{\circ} 54.3'}$$

$$A = 0.5915$$

$$B = 0.5455$$

$$C = A + B$$

$$C = 0.591 + 0.545$$

$$C = 1.1365$$

$$\tan Az = \frac{1}{C} \times \cos lat$$

$$\tan Az = \frac{1}{1.136} \times \cos 32^{\circ} 16'$$

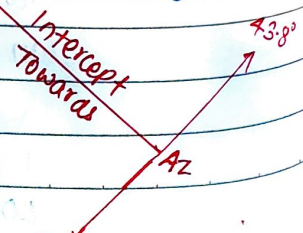
$$Az = S 46.2^{\circ} E$$

$$TAZ = 133.8^{\circ} (CT)$$

$$LOP = 43.8^{\circ} - 223.8^{\circ}$$

DR long

DR lat





GMT : 05d 17h 12m 36s ✓ correct because
 LIT(W) : (-) 11h 59m 52s question says
 LMT : 05d 05h 12m 44s ✓ AM at ship

GMT: March 05d 17h 12m 36s

GHA JUPITER (05d 17h) : $131^{\circ} 01.6'$
 Increment (12m 36s) : $3^{\circ} 09.0'$
 $V(2.0) : 0.4'$
 GHA JUPITER : $134^{\circ} 11.0'$
 Long (W) : $(-) 179^{\circ} 58.0'$
 LHA JUPITER : $314^{\circ} 13.0'$
 $P : 45^{\circ} 47.0'$
 DEC JUPITER (05d 17h) : $22^{\circ} 21.5'S$
 $d(0.0) : 0.0'$
 DEC JUPITER : $22^{\circ} 21.5'S$

Sextant altitude : $48^{\circ} 47.9'$
 IE (Off) : (+) $0.2'$
 Observed altitude : $48^{\circ} 48.1'$
 Dip (HE-17m) : (-) $7.3'$
 Apparent altitude : $48^{\circ} 40.8'$
 Corr : (-) $0.9'$
 True altitude : $48^{\circ} 39.9'$
 TZD : $41^{\circ} 20.1'$
 Latitude : $30^{\circ} 22'S$

$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec + \sin lat \cdot \sin dec$

$\cos CZD = \cos 45^{\circ} 47.0' \cdot \cos 30^{\circ} 22' \cdot \cos 22^{\circ} 21.5' + \sin 30^{\circ} 22' \cdot \sin 22^{\circ} 21.5'$

$\cos CZD = 0.749$

$CZD = 41^{\circ} 30.9'$

$TZD = 41^{\circ} 20.1'$

INTERCEPT = $10.8'$ TOWARDS

$A = \frac{\tan lat}{\tan P}$

$B = \frac{\tan dec}{\sin P}$

$A = \frac{\tan 30^{\circ} 22'}{\tan 45^{\circ} 47.0'}$

$B = \frac{\tan 22^{\circ} 21.5'}{\sin 45^{\circ} 47.0'}$

$A = 0.570N$

$B = 0.574S$

$C = 0.574 - 0.570$

$C = 0.004S$

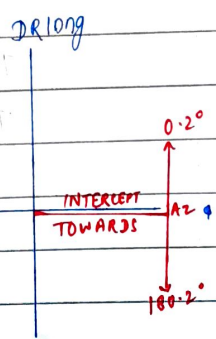
$\tan Az = \frac{1}{2} C \cos lat$

$\tan Az = \frac{1}{2} 0.004 \times \cos 30^{\circ} 22'$

$Az = 589.8^{\circ} E$

$TAz = 90.2^{\circ} (T)$

$LOP = 0.2^{\circ} - 180.2^{\circ} (T)$





Exercise 43 - Long by chron planet

No. 70

Date 19

①

GMT: 05d 17h 12m 36s

GHA Jupiter (05d 17h) : 131° 01.6'	Sextant altitude : 48° 47.9'
Increment (12m 36s) : 43° 09.0'	IE (off) : (+) 0.2'
v(2.0) : (+) 0.4'	Observed altitude : 48° 48.1'
GHA JUPITER : 134° 11.0'	Dip (HE-17m) : (-) 7.3'
long (W) : 179° 58.0'	Apparent altitude : 48° 40.8'
LHA : 314° 58.0'	Total cor ⁿ : (-) 10.9'
Dec JUPITER (05d 17h) : 22° 21.5' S	True altitude : 48° 39.9'
d(0.0) : 0.0'	
DEC JUPITER : 22° 21.5' S	

$$\cos P = \sin T \cdot \text{alt} \mp \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos \text{lat} \cdot \cos \text{dec}$$

$$\cos P = \frac{\sin 48^\circ 39.9' - \sin 30^\circ 22' \cdot \sin 22^\circ 21.5'}{\cos 30^\circ 22' \cdot \cos 22^\circ 21.5'}$$

$$\cos P = 0.699995$$

$$P = 45^\circ 34.4'$$

$$\text{LHA} = 360^\circ - P$$

$$= 360^\circ - 45^\circ 34.4'$$

$$\text{LHA} = 314^\circ 25.6'$$

$$\text{GHA} = 134^\circ 11.0'$$

$$\text{Obs long} = 179^\circ 45.4' \text{ W}$$

LMT mer. pass : 8h 17m
LMT of sight : 05h 12m

Sight is taken before mer. pass
So, LHA = 360° - P

$$\text{GHA} - \text{LHA} = \text{Obs. long W}$$

↓ ↓
bada chota

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 30^\circ 22' }{\tan 45^\circ 34.4' }$$

$$B = \frac{\tan 22^\circ 21.5' }{\sin 45^\circ 34.4' }$$

$$\tan 45^\circ 34.4'$$

$$\sin 45^\circ 34.4'$$

$$A = 0.574 \text{ N}$$

$$B = 0.576 \text{ S}$$

$$C = B - A$$

$$C = 0.576 - 0.574$$

$$C = 0.002 \text{ S}$$

$$\tan AZ = \frac{1}{C} \times \cos \text{lat}$$

$$\tan AZ = \frac{1}{0.002} \times \cos 30^\circ 22'$$

$$AZ = 589.9 \text{ E}$$

Answer not coming



GMT: Jan 16d 23h 25m 28s

GHA Venus (16d 23h): $200^{\circ} 30.0'$

Increment (25m 28s): $(+)^{\circ} 22.0'$

$V(-0.8) : (-) 0.3'$

GHA Venus: $206^{\circ} 51.7'$

Long (E): $(+)^{\circ} 106^{\circ} 14.0'$

LHA Venus: $313^{\circ} 05.7'$

Dec Venus (16d 23h): $21^{\circ} 41.0'S$

$d(0.3) : (-) 0.1'$

Dec Venus: $21^{\circ} 41.1'S$

Sextant altitude: $20^{\circ} 05.6'$

IE(off): $(+)^{\circ} 1.3'$

Observed altitude: $20^{\circ} 06.9'$

Dip (HE 14m): $(-)^{\circ} 6.6'$

Apparent altitude: $20^{\circ} 0.3'$

Total corr: $(-)^{\circ} 2.6'$

True altitude: $19^{\circ} 57.7'$

Latitude: $32^{\circ} 16'N$

$$\cos P = \sin T \text{ alt} \mp \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos \text{lat} \cdot \cos \text{dec}$$

$$\cos P = \sin 19^{\circ} 57.7' + \sin 32^{\circ} 16' \cdot \sin 21^{\circ} 41.1'$$

$$\cos 32^{\circ} 16' \cdot \cos 21^{\circ} 41.1'$$

$$\cos P = 0.685546$$

$$P = 46^{\circ} 43.3'$$

$$\text{LHA} = 360^{\circ} - P$$

$$= 360^{\circ} - 46^{\circ} 43.3'$$

$$\text{LHA} = 313^{\circ} 16.7'$$

$$\text{GHA} = 206^{\circ} 51.7'$$

$$\text{Obs long} = 106^{\circ} 25.0'E$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$A = \frac{\tan 32^{\circ} 16'}{\tan 46^{\circ} 43.3'}$$

$$A = 0.5955$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$B = \frac{\tan 21^{\circ} 41.1'}{\sin 46^{\circ} 43.3'}$$

$$B = 0.5465$$

$$C = A + B$$

$$C = 0.5955 + 0.5465 = 1.1415$$

$$\tan Az = \frac{1}{C} \times \cos \text{lat}$$

$$\tan Az = \frac{1}{1.1415} \times \cos 32^{\circ} 16'$$

$$Az = 54.61^{\circ} E$$

$$T Az = 133.9^{\circ}$$

$$\text{LDP} = 043.9^{\circ} - 223.9^{\circ}$$

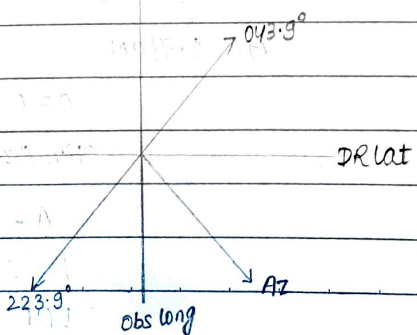
LMT mer. pass = 9h 39m

LMT of sight = 06h 30m

Sight is taken before mer. pass
So, LHA = $360^{\circ} - P$

LHA - GHA = Obs. long E

↓ ↓
bada chota



③

Chron time: 09h 33m 21s

Error: (+) 01m 10s

GMT: 09h 34m 31s

(+12) 29d 21h 34m 31s

LIT(E): (+) 06h 40m 48s

(+) 06h 40m 48s

LMT: 16h 15m 19s

30d 04h 15m 19s

✓ bcz ques say morning of 30th

GMT: Nov 29d 21h 34m 31s

GHA (29d 21h): 211° 46.2'

Sextant altitude: 38° 08.1'

Increment (34m 31s): 8° 37.8'

IE (off): (+) 1.4'

v(2.3): 1.3'

Observed altitude: 38° 9.5'

GHA Saturn: 220° 25.3'

Dip (HE-22m): (-) 8.3'

Long (E): (+) 100° 12.0'

Apparent altitude: 38° 1.2'

LHA Saturn: 320° 37.3'

Total corr: (-) 1.2'

Dec (29d 21h): 5° 22.7' N

True altitude: 38° 00.0'

d(0.0): 0.0'

Declination SATURN: 5° 22.7' N

Latitude: 30° 20' S

$$\cos P = \sin \text{Lat} \cdot \sin \text{Dec} + \cos \text{Lat} \cdot \cos \text{Dec}$$

$$\cos P = \sin 38^\circ 00' + \sin 30^\circ 20' \cdot \sin 5^\circ 22.7'$$

$$\cos 30^\circ 20' \cdot \cos 5^\circ 22.7'$$

$$\cos P = 0.771555$$

$$P = 39^\circ 30.4'$$

$$\text{LHA} = 360^\circ - P$$

$$= 360^\circ - 39^\circ 30.4'$$

$$\text{LHA} = 320^\circ 29.6'$$

$$\text{GHA} = 220^\circ 25.3'$$

$$\text{Obs long} = 100^\circ 04.3' \text{ E}$$

$$\text{LHA} - \text{GHA} = \text{Obs. long E}$$

$$A = \frac{\tan \text{Lat}}{\tan P}$$

$$B = \frac{\tan \text{Dec}}{\sin P}$$

$$A = \frac{\tan 30^\circ 20'}{\tan 39^\circ 30.4'}$$

$$B = \frac{\tan 5^\circ 22.7'}{\sin 39^\circ 30.4'}$$

$$A = 0.710 \text{ N}$$

$$B = 0.148 \text{ N}$$

$$C = 0.710 + 0.148 = 0.858 \text{ N}$$

$$\tan AZ = \frac{1}{0.858} \times \cos 30^\circ 20'$$

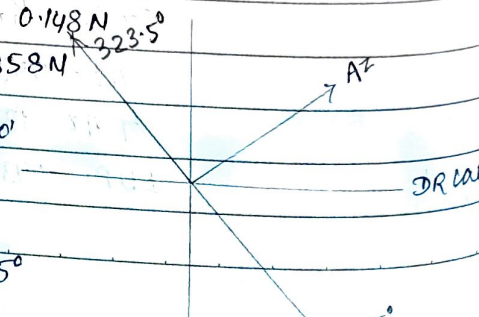
$$AZ = \text{N } 53.5^\circ \text{ E}$$

$$T AZ = 53.5^\circ (T)$$

$$\text{LDP} = 143.5^\circ - 323.5^\circ$$

LMT mer pass = 06h 51m
LMT sight taken = 04h 15m

Sight is taken before mer. pass
So, LHA = 360° - P



CMT: March 02d 14h 51m 07s ^{09h 20m 48s}

GHA JUPITER (02d 14h): $83^{\circ} 31.2'$
 Increment (51m 07s): $12^{\circ} 46.8'$
 $V(2.0): 1.7'$
 GHA JUPITER: $96^{\circ} 19.7'$
 Long(W): $140^{\circ} 12.8'$
 LHA JUPITER: $316^{\circ} 07.6'$
 DEC JUPITER (02d 14h): $22^{\circ} 25.1'S$
 $d(0.0): 0.0'$
 DEC JUPITER: $22^{\circ} 25.1'S$

Sextant altitude: $46^{\circ} 13.8'$
 IE(off): (+) $3.2'$
 Observed altitude: $46^{\circ} 17.0'$
 Dip (HE-20m): (-) $7.9'$
 Apparent altitude: $46^{\circ} 9.1'$
 Total corr: (-) $0.9'$
 True altitude: $46^{\circ} 8.2'$
 Latitude: $09^{\circ} 42'S$

$$\cos P = \sin T \text{ alt} \mp \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos \text{lat} \cdot \cos \text{dec}$$

$$\cos P = \sin 46^{\circ} 8.2' - \sin 09^{\circ} 42' \cdot \sin 22^{\circ} 25.1'$$

$$\cos 09^{\circ} 42' \cdot \cos 22^{\circ} 25.1'$$

$$\cos P = 0.726734$$

$$P = 43^{\circ} 53.1'$$

$$\text{LHA} = 360^{\circ} - P$$

$$= 360^{\circ} - 43^{\circ} 53.1'$$

$$\text{LHA} = 316^{\circ} 06.9'$$

$$\text{GHA} = 096^{\circ} 19.7'$$

$$\text{Obs long} = 140^{\circ} 12.8' \text{ W}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$A = \frac{\tan 09^{\circ} 42'}{\tan 43^{\circ} 53.1'}$$

$$A = 0.178 \text{ N}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$B = \frac{\tan 22^{\circ} 25.1'}{\sin 43^{\circ} 53.1'}$$

$$B = 0.595 \text{ S}$$

$$C = 0.595 - 0.178$$

$$C = 0.417 \text{ S}$$

$$\tan Az = \frac{1}{C} \times \cos \text{lat}$$

$$\tan Az = \frac{1}{0.417} \times \cos 09^{\circ} 42'$$

$$Az = 567.7 \text{ E}$$

$$T Az = 112.3^{\circ} \text{ (CT)}$$

$$\text{LOP} = 22.3^{\circ} - 202.3^{\circ}$$

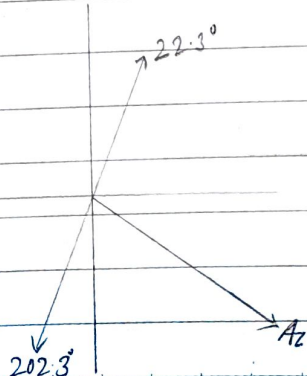
LMT mer. pass: 08h 27m

LMT at sight: 05h 30m

Sight is taken before mer. pass

LHA = $360^{\circ} - P$

$$\text{GHA} - \text{LHA} = \text{Obs long W}$$





Exercise-44 - Ex meridian planet

No. 74

Date 19/06

①

GMT: Sep 23d 11h 47m 20s

GHA Jupiter (23d 11h): $243^{\circ} 36.8'$

Increment (47m 20s): $11^{\circ} 50.0'$

v(2-3): $1.8'$

GHA Jupiter: $255^{\circ} 28.6'$

Long(E): $6100^{\circ} 10.0'$

LHA: JUPITER: $355^{\circ} 38.6'$

DR: $4^{\circ} 21.4'$

Dec Jupiter (23d 11h): $23^{\circ} 07.9'S$

DR d(0.0): $0.0'$

Dec JUPITER: $23^{\circ} 07.9'S$

Sextant altitude: $21^{\circ} 24.9'$

IE(on): (-) $1.7'$

Observed altitude: $21^{\circ} 23.2'$

DIP(HE-13m): (-) $6.4'$

Apparent altitude: $21^{\circ} 16.8'$

Total corrⁿ: (-) $2.5'$

True altitude: $21^{\circ} 14.3'S$

TZD: $68^{\circ} 45.7'N$

Latitude: $45^{\circ} 27'N$

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \cdot \cos dec]$$

$$\cos MZD = \cos 68^{\circ} 45.7' + [(1 - \cos 4^{\circ} 21.4') \cdot \cos 45^{\circ} 27' \cdot \cos 23^{\circ} 07.9']$$

$$\cos MZD = 0.364112$$

$$MZD = 68^{\circ} 38.8' N \text{ (same as TZD)}$$

$$Dec = 23^{\circ} 07.9' S$$

$$Obs \text{ lat} = 45^{\circ} 30.9' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 45^{\circ} 27'}{\tan 4^{\circ} 21.4'}$$

$$B = \frac{\tan 23^{\circ} 07.9'}{\sin 4^{\circ} 21.4'}$$

$$A = 13.3345$$

$$B = 5.6245$$

$$C = A + B$$

$$C = 13.334 + 5.624$$

$$C = 18.9585$$

$$\tan AZ = \frac{1}{C} \times \cos lat$$

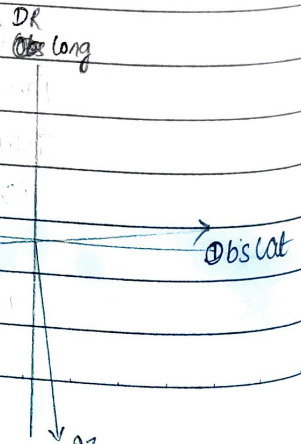
$$\tan AZ = \frac{1}{18.9585} \times \cos 45^{\circ} 27'$$

$$\tan AZ = 0.075$$

$$AZ = 54.3^{\circ} E$$

$$TAZ = 175.7^{\circ} (T)$$

$$LOP = 85.7^{\circ} - 265.7^{\circ}$$





Chron time: 09h 31m 30s

Exros (fast) (-) 3m 18s

CMT: 09h 28m 12s

LIT(W): (-) 02h 57m 12s

LMT: 06h 31m 00s

CMT: NOV. 29d 09h 28m 12s

GHA SATURN (29d 09h): $31^{\circ} 18.3'$

Increment (28m 12s): $7^{\circ} 03.0'$

$V(2-3): 1.1'$

GHA SATURN: $38^{\circ} 22.4'$

Long(W): $(-44^{\circ} 18.0')$

LHA SATURN: $354^{\circ} 04.6'$

P: $5^{\circ} 55.6'$

Declination (29 09h): $5^{\circ} 23.2' N$

d(0.0): $0.0'$

Declination SATURN: $5^{\circ} 23.2' N$

Sextant altitude: $42^{\circ} 57.4'$

IE(off): (+) $2.1'$

Observed altitude: $42^{\circ} 59.5'$

Dip(HE-18m): (-) $7.5'$

Apparent altitude: $42^{\circ} 52.0'$

Total corrⁿ: (-) $1.0'$

Total altitude: $42^{\circ} 51.0' S$

TZD: $47^{\circ} 09.0' N$

Latitude: $52^{\circ} 20.0' N$

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 47^{\circ} 09.0' + [(1 - \cos 5^{\circ} 55.6') \cdot \cos 52^{\circ} 20' \cdot \cos 5^{\circ} 23.2']$$

$$\cos MZD = 0.683333$$

$$MZD = 46^{\circ} 53.7' N$$

$$Dec = 5^{\circ} 23.2' N$$

$$Obs Lat = 52^{\circ} 16.9' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 52^{\circ} 20'}{\tan 5^{\circ} 55.6'}$$

$$B = \frac{\tan 5^{\circ} 23.2'}{\sin 5^{\circ} 55.6'}$$

$$A = 12.4795$$

$$B = 0.913 N$$

$$C = 12.479 - 0.913$$

$$C = 11.5665$$

$$\tan AZ = \frac{1}{C} \times \cos lat$$

$$\tan AZ = \frac{1}{11.5665} \times \cos 52^{\circ} 20'$$

$$AZ = 58.1^{\circ} E$$

$$TAZ = 171.9^{\circ} (CT)$$

$$LDP = 81.9^{\circ} - 261.9^{\circ}$$

(5)

G₁MT: 30d 20h 02m 45s

LIT(E):(+) 08h 42m 52s

(OR)

29d 20h 02m 45s

(+) 08h 42m 52s

30d 04h 45m 37s

G₁MT: April 29d 20h 02m 45s

G₁HA JUPITER (29d 20h): 224° 08.4'

Increment (02m 45s): 0° 41.3'

V(2.4): 0.1'

G₁HA JUPITER: 224° 49.8'

Long (E): 130° 43.0'

LHA JUPITER: 355° 32.8'

P: 4° 27.2'

Declination (29d 20h): 21° 37.9'S

d(0.0): 0.0'

Declination JUPITER: 21° 37.9'S

Sextant altitude: 48° 17.1'

IE (On): (-) 0.7'

Observed altitude: 48° 16.4'

Dip (HE-12m): 6.1'

Apparent altitude: 48° 10.3'

Total corrⁿ: (-) 0.9'

True altitude: 48° 9.4'S

TZD: 41° 50.6' N

Latitude: 20° 06' N

$$\cos MZD = \cos TZD + (1 - \cos P) \cdot \cos \text{lat} \cdot \cos \text{dec}$$

$$\cos MZD = \cos 41^\circ 50.6' + (1 - \cos 4^\circ 27.2') \cdot \cos 20^\circ 06' \cdot \cos 21^\circ 37.9'$$

$$\cos MZD = 0.747607$$

$$MZD = 41^\circ 37.0' \text{ N (same as TZD)}$$

$$\text{Dec} = 21^\circ 37.9' \text{ S}$$

$$\text{Obs lat} = 19^\circ 59.1' \text{ N}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$A = \frac{\tan 20^\circ 06'}{\tan 4^\circ 27.2'}$$

$$A = 4.6995$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$B = \frac{\tan 21^\circ 37.9'}{\sin 4^\circ 27.2'}$$

$$B = 5.1075$$

$$C = 4.6995 + 5.1075$$

$$C = 9.8065$$

$$\tan Az = \frac{1}{2} C \cos \text{lat}$$

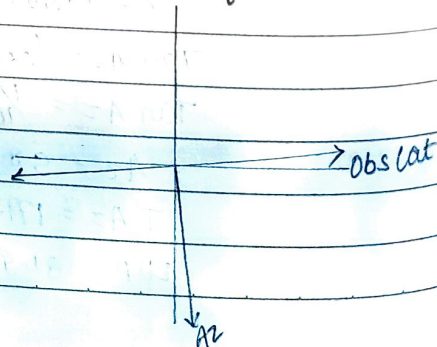
$$\tan Az = \frac{1}{2} \cdot 9.8065 \cdot \cos 20^\circ 06'$$

$$Az = 56.2^\circ \text{ E}$$

$$T Az = 173.8^\circ \text{ (T)}$$

$$LDP = 83.8^\circ - 263.8^\circ$$

JR Long



③

LMT : 17h 30m 00s

LIT(E) : (-) 01h 11m 04s

GMT : 16h

GMT : OCT 13d 16h 30m 00s

GHA (13d 16h) : $259^{\circ} 20.7'$

Dec (13d 16h) : $5^{\circ} 32.5' N$

Increment (30m 00s) : $7^{\circ} 09.5'$

d (15.8) : $8.0'$

v (11.9) : $6.0'$

Declination Moon : $5^{\circ} 40.5' N$

GHA moon : $266^{\circ} 36.2'$

long (E) : $(+) 17^{\circ} 46.0'$

Latitude : $20^{\circ} 29' S$

LHA moon : $284^{\circ} 22.2'$

P : $75^{\circ} 37.8'$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 20^{\circ} 29' S}{\tan 75^{\circ} 37.8'}$$

$$B = \frac{\tan 5^{\circ} 40.5' N}{\sin 75^{\circ} 37.8'}$$

$$A = 0.096 N$$

$$B = 0.103 N$$

$$C = A + B$$

$$C = 0.096 + 0.103$$

$$C = 0.199 N$$

$$\tan Az = \frac{C}{\cos \text{lat}}$$

$$\tan Az = \frac{0.199}{\cos 20^{\circ} 29'}$$

$$\tan Az = 5.364$$

$$Az = N 79.4^{\circ} E$$

~~Answer not coming~~

Approx LMT moonset: 15h 15m

Previous day LMT moonset: 14h 37m

Daily diff: 38m

$$\text{Longitude corr}^n = \frac{\text{longitude} \times \text{daily diff}}{360^\circ}$$

$$= \frac{164.7^\circ \times 38}{360}$$

$$= 17m$$

Approx LMT moonset: 02d 15h 15m

Longitude corrⁿ (long W): (+) 17m

Correct LMT moonset: 02d 15h 32m

LIT(W): (+) 10h 59m

GMT moonset: 03d 02h 31m

Dec(03d 02h): $6^\circ 34.2' N$

d(16.4): $8.6'$

Dec moon: $6^\circ 42.8' N$

$$\text{COS RSAZ} = \frac{\sin \text{dec}}{\cos \text{lat}}$$

$$\text{COS RSAZ} = \frac{\sin 6^\circ 42.8'}{\cos 20^\circ 12'}$$

$$\text{COS RSAZ} = 0.125$$

$$S \text{ AZ} = 82.8^\circ W$$

same as dec

bcz it is setting moon

$$T \text{ AZ} = 277.2^\circ (L)$$

$$G \text{ AZ} = 277^\circ$$

$$\text{Gyro Error} = 0.2^\circ L$$

②

Approx LMT moonset : 08h 23m

Previous day LMT moonset : 07h 38m

Difference: 45m

Longitude corrⁿ = $\frac{\text{Longitude} \times \text{diff}}{360^\circ}$

360°

= $\frac{174.9 \times 45}{360}$

360

= 21m

Approx LMT moonset : 08h 23m

Long. corrⁿ (long w) : (+) 21m

Correct LMT moonset : 08h 44m

LIT(W) : (+) 11h 40m

InMT moonset : 20h 24m

Correct GMT moonset : July 21d 20h 24m

Dec. (21d 20h) : $5^\circ 59.2' S$

d (14.7) : (+) $6.0'$

Declination Moon: $5^\circ 53.2' S$

$\cos R \sin A Z = \frac{\sin \text{dec}}{\cos \text{lat}}$

$\cos \text{lat}$

$\cos R \sin A Z = \frac{\sin 5^\circ 53.2' S}{\cos 00^\circ 01'}$

$\cos 00^\circ 01'$

$\cos R \sin A Z = 0.103$

$S A Z = 884.1^\circ W$

$S A Z = 264.1^\circ (CT)$

$C A Z = 278.0'$

Compass Error = $13.9^\circ W$

Variation = $15.5^\circ W$

Deviation = $1.6^\circ E$



Approx LMT moonset : 05h 19m

Previous day LMT moonset : 04h 51m

Diff : 28m

$$\begin{aligned} \text{Longitude correction} &= \frac{\text{Longitude} \times \text{diff}}{360} \\ &= \frac{74.2 \times 28}{360} \\ &= 0.6m \end{aligned}$$

Approx LMT moonset : 05h 19m

long corr. (Long E) : (-) 0.6m

Correct LMT moonset : 05h 13m

LIT (E) : (-) 04h 57m

correct GMT moonset : 00h 16m

Correct GMT moonset : Sep 14d 00h 16m

Declination (14d 00h) : 8° 34' 9" S

d (14.7) : (-) 4.0' S

Declination MOON : 8° 30' 9" S

cos R SAZ = sin dec

cos R SAZ = cos lat

cos R SAZ = sin 8° 30' 9"

cos R SAZ = cos 35° 06'

cos R SAZ = 0.181

SAZ = S 79.6° W

SAZ = 259.6° (CT)

CAZ = 259°

Cyro Error = 0.6° L

Exercise 47 - Lat by mer. alt. moon

No. 82

Date 20/02

① always take ← upper

(U) Approx. LMT mer. pass : 14h 54m
 Previous day LMT mer. pass : 14h 05m
 Difference : 49m

$$\text{Longitude corr}^n : \frac{\text{Longitude} \times \text{diff.}}{360^\circ}$$

$$= \frac{164.8 \times 49}{360}$$

$$= 22m$$

Approx. LMT mer. pass : 14h 54m

long. corrⁿ (long E is '-'): (-) 22m

Correct LMT mer. pass : 14h 32m

LIT(E) : (-) 10h 59m

GMT mer. pass : 03h 33m

Correct GMT mer. pass : Dec old 03h 33m

Dec(Old 03h) : 24° 33.2'S sextant altitude : 74° 28.3'

~~Dec~~ d(6.1) : (-) 3.4' IE(off) : (+) 1.7'

Dec Moon : 24° 29.8'S Observed altitude : 74° 30.0'

Dip(HE-14m) : (-) 6.6'

Apparent altitude : 74° 23.4'

Main corrⁿ (L) : (+) 25.9'

HP (54.1) : (+) 3.5' (U)

Subtract 30' from altitude of UL : (-) 30.0'

True altitude : 74° 22.8'N

MZD : 15° 37.2'S

Dec : 24° 29.8'S

Latitude : 40° 07.0'S

LDP : E-W

② (U) Approx LMT of mer. pass : 28d 06h 02m
 Previous day LMT of mer. pass : 05h 14m

Difference : 48m

$$\text{Longitude corr}^n = \frac{\text{Longitude} \times \text{diff.}}{360^\circ}$$

$$= \frac{96.6 \times 48}{360} = 13m$$



Approx LMT of mer. pass: 28d 06h 02m

Longitude corrⁿ: (+) 13m (Long 'W' - '+')

Correct LMT of mer. pass: 28d 06h 15m

LIT(W) : (+) 06h 26m

GMT of mer. pass: 28d 12h 41m

GMT of mer. pass: April 28d 12h 41m

Sextant altitude: 31° 58.8'

Dec (28 12h): 19° 49.6'S

IE(off): (+) 0.4'

d(10.6): (-) 7.3'

Observed altitude: 31° 59.2'

Dec Moon: 19° 42.3'S

Dip(HE-17m): (-) 7.3'

Apparent altitude: 31° 51.9'

Main corrⁿ: (+) 58.1'

HP(55.8): (+) 2.9' (LL)

True altitude: 32° 52.9'S

MZD : 57° 07.1' N

Dec : 19° 42.3'S

Latitude : 37° 24.8' N

LDP : E-W

Approx LMT of mer. pass: 23d 04h 57m 17h 26m

Previous day LMT of mer. pass: 23d 04h 02m 16h 29m

Difference : 55m 57m

Longitude correction: $\frac{\text{Longitude} \times \text{Difference}}{360}$

$$= \frac{175.3 \times 55.7}{360} = 27m \quad 28m$$

Approx LMT of mer. pass: 23d 04h 57m 17h 26m

Longitude correction: (-) 27m (Long 'E' - '-') (-) 28m

Correct LMT of mer. pass: 23d 04h 30m 16h 58m

LIT(E) : (-) 11h 41m (-) 11h 41m

GMT of mer. pass: 23d 16h 49m 05h 17m

⑤ (U) Approx LMT of mer. pass: 22d 05h 54m
 Previous day " " " " : 21d 04h 52m
 Difference: 01h 02m

$$\text{Longitude corr}^n = \frac{\text{Longitude} \times \text{Diff.}}{360^\circ}$$

$$= \frac{140.2 \times 62}{360} = 24m$$

Approx LMT of mer. pass: 22d 05h 54m

Long corrⁿ: (+) 24m (west '+')

Correct LMT of mer. pass: 22d 06h 18m

LIT (W): (+) 09h 20m 48s

Correct GMT of mer. pass: 22d 15h 38m 48s

Dec (22d 15h): 26° 48.9' N

Sextant altitude: 81° 16.3'

d (+D): (-) 2.6'

IE (or): (-) 0.6'

Declination moon: 26° 46.3' N

Observed altitude: 81° 15.7'

Dip (HE-10m): (-) 5.6'

Apparent altitude: 81° 10.1'

Main corrⁿ: (+) 19.4' (L4)

HP (59.1): (+) 5.6' (L4)

True altitude: 81° 35.1' S

MZD: 8° 24.9' N

Dec: 26° 46.3' N

Lat: 35° 11.2' N

LDP: E-W

Exercise 48 - Intercept moon

No. 85

Date 28/02/2022

CMT: Oct 13d 17h 29m 05s

GHA (13d 17h) : $273^{\circ} 51.6'$

Increment (29m 05s) : $6^{\circ} 56.1'$

$v(11.9)$: $5.9'$

GHA moon : $280^{\circ} 53.6'$

Long (E) : $(11017^{\circ} 46.0')$

LHA moon : $298^{\circ} 39.6'$

P : $61^{\circ} 20.4'$

Dec (13d 17h) : $5^{\circ} 48.3' N$

d (15.8) : $(+) 7.8'$

Dec Moon : $5^{\circ} 56.1' N$

Sextant altitude : $23^{\circ} 20.0'$

IE (off) : $(+) 1.3'$

Observed altitude : $23^{\circ} 21.3'$

Dip (HE - 30m) : $(-) 9.6'$

Apparent altitude : $23^{\circ} 11.7'$

Main corrⁿ : $(+) 1.4'$

HP (58.9') : $(+) 6.4'$ (LL)

True altitude : $24^{\circ} 19.5'$

TZD : $65^{\circ} 40.5'$

Lat : $20^{\circ} 29'S$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec \pm \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 61^{\circ} 20.4' \cdot \cos 20^{\circ} 29' \cdot \cos 5^{\circ} 56.1' - \sin 20^{\circ} 29' \cdot \sin 5^{\circ} 56.1'$$

$$\cos CZD = 0.411$$

$$CZD = 65^{\circ} 43.9'$$

$$TZD = 65^{\circ} 40.5'$$

Intercept : $3.4'$ TOWARDS

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 20^{\circ} 29' }{\tan 61^{\circ} 20.4' }$$

$$B = \frac{\tan 5^{\circ} 56.1' }{\sin 61^{\circ} 20.4' }$$

$$\tan 61^{\circ} 20.4'$$

$$\sin 61^{\circ} 20.4'$$

$$A = 0.204 N$$

$$B = 0.118 N$$

$$C = A + B$$

$$C = 0.204 + 0.118$$

$$C = 0.322 N$$

$$\tan Az = \frac{C}{\cos lat}$$

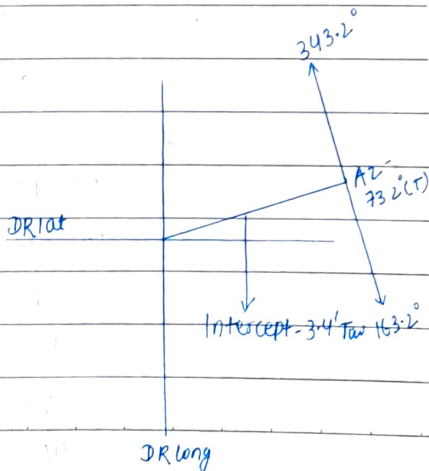
$$\tan Az = \frac{0.322}{\cos 20^{\circ} 29' }$$

$$\tan Az = 3.315$$

$$Az = N 73.2^{\circ} E$$

$$T Az = 73.2^{\circ} (T)$$

$$LDP = 163.2^{\circ} - 343.2^{\circ} (T)$$



② Chron time : 06h 08m 05s
 Error (slow) : (+) 00m 46s
 GMT : 20d 06h 08m 51s
 LT (W) : (-) 11h 41m 20s
 LMT : 19d 18h 27m 31s

GMT : Jan 20d 06h 08m 51s

GHA (20d 06h) : $120^{\circ} 25.4'$
 Increment (08m 51s) : $2^{\circ} 6.7'$
 $\sqrt{(2.5)}$: 0.4
 GHA moon : $122^{\circ} 32.5'$
 Long (W) : $(-175^{\circ} 20.0')$
 LHA : $307^{\circ} 12.5'$
 P : $52^{\circ} 47.5'$
 Dec (20d 06h) : $27^{\circ} 54.7' N$
 d (1.4) : $(-) 0.2'$
 Declination Moon : $27^{\circ} 54.5' N$

Sextant altitude : $31^{\circ} 24.3'$
 IE (on) : $(+) 2.2'$
 Observed altitude : $31^{\circ} 22.1'$
 Dip (HE-22m) : $(-) 8.3'$
 Apparent altitude : $31^{\circ} 13.8'$
 Main corr : $(+) 58.4'$
 HP (59.8) : $(+) 7.3'$
 True altitude : $32^{\circ} 19.5'$
 TZD : $57^{\circ} 40.5'$

$$\cos CZD = \cos P \cdot \cos \text{lat} \cdot \cos \text{dec} \pm \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos CZD = \cos 52^{\circ} 47.5' \cdot \cos 00^{\circ} 10' \cdot \cos 27^{\circ} 54.5' + \sin 00^{\circ} 10' \cdot \sin 27^{\circ} 54.5'$$

$$\cos CZD = 0.536$$

$$CZD = 57^{\circ} 36.3'$$

$$TZD = 57^{\circ} 40.5'$$

$$\text{Intercept} = 4.2' \text{ AWAY}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 00^{\circ} 10'}{\tan 52^{\circ} 47.5'}$$

$$B = \frac{\tan 27^{\circ} 54.5'}{\sin 52^{\circ} 47.5'}$$

$$A = 0.0025$$

$$B = 0.665 N$$

$$C = B - A$$

$$C = 0.665 - 0.002$$

$$C = 0.663 N$$

$$\tan AZ = \frac{C}{\cos \text{lat}}$$

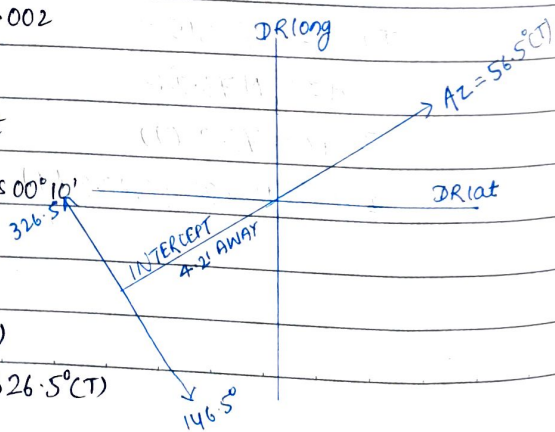
$$\tan AZ = \frac{0.663 \times \cos 00^{\circ} 10'}{1}$$

$$\tan AZ = 1.508$$

$$AZ = N 56.5^{\circ} E$$

$$TAZ = 56.5^{\circ} (T)$$

$$LDP = 146.5^{\circ} - 326.5^{\circ} (CT)$$



GMT: 21d 23h 18m 02s

LIT(E): (+) 09h 47m 20s

LMT: 22d 09h 05m 22s

bcz question say 22d AM at ship

GMT: ^{SEP} 21d 23h 18m 02s

GHA moon (21d 23h) : $260^{\circ} 42.4'$

Increment (18m 02s) : $4^{\circ} 18.2'$

v(3.5) : $1.1'$

GHA moon : $265^{\circ} 1.8'$

LDN(E) : (+) $146^{\circ} 50.0' \checkmark$

LHA moon : $51^{\circ} 51.7'$

P : $51^{\circ} 51.7'$

DEC (21d 23h) : $27^{\circ} 26.5' N$

d(0.9) : $(-)$ $0.3'$

Declination Moon : $27^{\circ} 26.2' N$

Sextant altitude: $44^{\circ} 49.1'$

IE(Off) : (+) $0.9'$

Observed altitude: $44^{\circ} 50.0'$

Dip(HE-18m): $(-)$ $7.5'$

Apparent altitude: $44^{\circ} 42.5'$

Main corrⁿ: (+) $50.7'$

HP(59.3) : (+) $6.6' (LL)$

True altitude: $45^{\circ} 39.8'$

TZD : $44^{\circ} 20.2'$

Latitude : $36^{\circ} 03' N$

$$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec \pm \sin lat \cdot \sin dec$$

$$\cos CZD = \cos 51^{\circ} 51.7' \cdot \cos 36^{\circ} 03' \cdot \cos 27^{\circ} 26.2' + \sin 36^{\circ} 03' \cdot \sin 27^{\circ} 26.2'$$

$$\cos CZD = 0.7143$$

$$CZD = 44^{\circ} 24.9'$$

$$TZD = 44^{\circ} 20.2'$$

$$\text{Intercept} = 4.7' \text{ TOWARDS}$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 36^{\circ} 03'}{\tan 51^{\circ} 51.7'}$$

$$B = \frac{\tan 27^{\circ} 26.2'}{\sin 51^{\circ} 51.7'}$$

$$A = 0.5728$$

$$B = 0.66007 N$$

$$C = B - A$$

$$C = 0.66007 - 0.5728$$

$$C = 0.088 N$$

$$\tan AZ = \frac{C}{\cos lat}$$

$$\tan AZ = \frac{0.088}{\cos 36^{\circ} 03'}$$

$$\tan AZ = 14.055$$

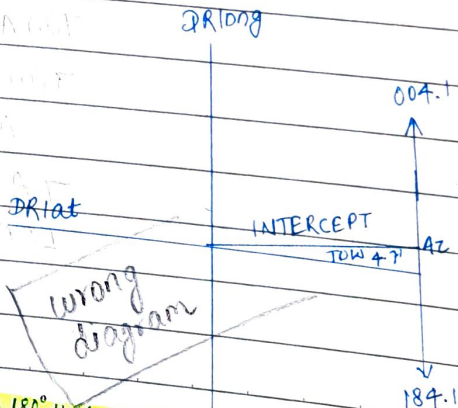
$$AZ = 85.9^{\circ} (E)$$

$$T AZ = 85.9^{\circ} (CT)$$

$$LOP = 175.9^{\circ} - 355.9^{\circ} (CT)$$

not sure

LHA is less than 180, that means





5

GMT : Aug 23d 02h 05m 12s

GHA moon (23d 02h) : $317^{\circ} 27.2'$
 Increment (05m 12s) : $1^{\circ} 14.4'$
 $v(7.1)$: $0.7'$
 GHA moon : $318^{\circ} 42.3'$
 Long (E) : $(+109^{\circ} 40.0')$
 LHA moon : $55^{\circ} 22.3'$
 P : $55^{\circ} 22.3'$
 Declination (23d 02h) : $22^{\circ} 20.4' N$
 $d(10.0)$: $(+) 0.9$
 Declination Moon : $22^{\circ} 21.3' N$
 Latitude : $48^{\circ} 29' N$

Sextant altitude : $38^{\circ} 45.8'$
 IE (off) : $(+) 2.8'$
 Observed altitude : $38^{\circ} 48.6'$
 Dip (HE-10m) : $(-) 5.6'$
 Apparent altitude : $38^{\circ} 43.0'$
 Main corⁿ : $(+) 54.5'$
 HP (59.0) : $(+) 4.3'$ (UL)
 True altitude : $39^{\circ} 41.8'$
 Subtract 30' from alt. of UL : $(-) 30.0'$
 True altitude : $39^{\circ} 11.8'$
 TZD : $50^{\circ} 48.2'$

$\cos CZD = \cos P \cdot \cos lat \cdot \cos dec \pm \sin lat \cdot \sin dec$
 $\cos CZD = \cos 55^{\circ} 22.3' \cdot \cos 48^{\circ} 29' \cdot \cos 22^{\circ} 21.3' + \sin 48^{\circ} 29' \cdot \sin 22^{\circ} 21.3'$
 $\cos CZD = 0.633138$
 $CZD = 50^{\circ} 43.1'$
 $TZD = 50^{\circ} 48.2'$

Intercept = $5.1'$ AWAY

$A = \frac{\tan lat}{\tan P}$

$B = \frac{\tan dec}{\sin P}$

$A = \frac{\tan 48^{\circ} 29'}{\tan 55^{\circ} 22.3'}$

$B = \frac{\tan 22^{\circ} 21.3'}{\sin 55^{\circ} 22.3'}$

$A = 0.780 S$

$B = 0.500 N$

$C = A - B$

$C = 0.780 - 0.500$

$C = 0.280 S$

$\tan AZ = \frac{1}{2} C \cos lat$

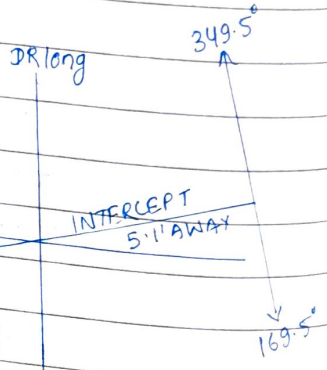
$\tan AZ = \frac{1}{2} \cdot 0.280 \times \cos 48^{\circ} 29'$

$\tan AZ = 5.388$

$AZ = S 79.5^{\circ} W$

$TAZ = 259.5^{\circ} (T)$

$LDP = 169.5^{\circ} - 349.5^{\circ} (T)$





e 49 - Long by chron moon

No. 89

Date 04.03.2022

GMT: 22d 23h 18m 02s

21d 23h 18m 02s

LIT(E): (+) 09h 47m 20s

(+) 09h 47m 20s

LMT: 23d 09h 05m 22s

22d 09h 05m 22s ✓ bcz question says AM on ship

GMT: Sep 21d 23h 18m 02s

GHA (21d 23h): 260° 42.4'

Sextant altitude: 44° 49.1'

Increment (18m 02s): 4° 18.2'

IE (off): (+) 0.9'

v(3.5): 1.1'

Observed altitude: 44° 50.0'

GHA moon: 265° 1.7'

Dip (HE - 18m): (-) 7.5'

Long (E): (+) 146° 50.0'

Apparent altitude: 44° 42.5'

LHA: 51° 51.7'

Main corr: (+) 50.7'

DEC (21d 23h): 27° 26.5' N

HP (3.3): (+) 6.6' (LL)

d(0.9): (+) 0.3'

True altitude: 45° 39.8'

Declination Moon: 27° 26.2' N

Latitude: 36° 03' N

$$\cos P = \frac{\sin T. alt \mp \sin lat \cdot \sin dec}{\cos lat \cdot \cos dec}$$

$$\cos P = \frac{\sin 45^{\circ} 39.8' - \sin 36^{\circ} 03' \cdot \sin 27^{\circ} 26.2'}{\cos 36^{\circ} 03' \cdot \cos 27^{\circ} 26.2'}$$

$$\cos P = 0.618882782$$

$$P = 51^{\circ} 45.9'$$

$$LHA = 51^{\circ} 45.9'$$

$$GHA = 265^{\circ} 1.7'$$

$$\text{obs long} = 146^{\circ} 44.2' E$$

LMT mer. pass: 05h 54m
LMT of sight: 09h 05m
Sight is taken after mer. pass
so, LHA = P

~~COB~~ LHA - GHA = Obs. Long E
↓
bada more than 180° (chota)

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P} \quad \text{but LHA more than } 180^{\circ} \text{ (bada)}$$

$$A \Rightarrow \frac{\tan 36^{\circ} 03'}{\tan 51^{\circ} 45.9'} = 0.5745$$

$$B \Rightarrow \frac{\tan 27^{\circ} 26.2'}{\sin 51^{\circ} 45.9'} = 0.661 N$$

$$C = B - A$$

$$C \Rightarrow 0.661 - 0.574 = 0.087 N$$

$$\tan Az = \frac{1}{\cos lat} \cdot C$$

$$\tan Az = \frac{1}{\cos 36^{\circ} 03'} \cdot 0.087$$

$$\tan Az = 14.217$$

Az = N 85.9° (E) - LHA is less than 180° but we take east because we had subtracted from 360

$$TAZ = 85.9^{\circ} (E)$$

$$LDP = 175.9 - 355.9$$

355.9°

Az = 85.9° (E)

25.9°

not sure

②

GMT: Oct 13d 17h 29m 05s

GHA (13d 17h) : $273^{\circ} 51.6'$	Sextant attitude : $23^{\circ} 20.0'$
Increment (29m 05s) : $6^{\circ} 56.4'$	IE (off) : (+) $1.3'$
$v(11.9)$: $5.9'$	Observed altitude : $23^{\circ} 21.3'$
GHA moon : $280^{\circ} 53.9'$	Dip (HE-30m) : (+) $9.6'$
Long (E) : $17^{\circ} 46.0'$	Apparent altitude : $23^{\circ} 11.7'$
LHA : $298^{\circ} 39.9'$	Main corr ⁿ : (+) $1^{\circ} 1.4'$
Dec (13d 17h) : $5^{\circ} 48.3' N$	HP (58.9) : (+) $6.4'$ (LL)
$d(15.8)$: (+) $7.8'$	True altitude : $24^{\circ} 19.5'$
Declination moon : $5^{\circ} 56.1' N$	Latitude : $20^{\circ} 29' S$

$$\cos P = \sin T_{alt} \mp \sin lat \cdot \sin dec$$

$$\cos lat \cdot \cos dec$$

$$\cos P = \frac{\sin 24^{\circ} 19.5' + \sin 20^{\circ} 29' \cdot \sin 5^{\circ} 56.1'}{\cos 20^{\circ} 29' \cdot \cos 5^{\circ} 56.1'}$$

$$\cos P = 0.48091654$$

$$P = 61^{\circ} 15.3'$$

$$LHA = 298^{\circ} 44.7'$$

$$GHA = 280^{\circ} 53.9'$$

$$\text{Obs long} = 17^{\circ} 50.8' E$$

$$A = \frac{\tan lat}{\tan P}$$

$$\tan P$$

$$A = \frac{\tan 20^{\circ} 29'}{\tan 61^{\circ} 15.3'}$$

$$\tan 61^{\circ} 15.3'$$

$$A = 0.205 N$$

$$B = \frac{\tan dec}{\sin P}$$

$$\sin P$$

$$B = \frac{\tan 5^{\circ} 56.1'}{\sin 61^{\circ} 15.3'}$$

$$\sin 61^{\circ} 15.3'$$

$$B = 0.119 N$$

$$C = A - B$$

$$C = 0.205 + 0.119$$

$$C = 0.324 N$$

$$\tan Az = \frac{C}{\cos lat}$$

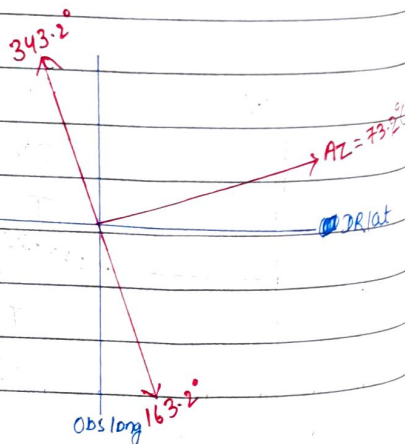
$$\tan Az = \frac{1}{0.324} \times \cos 20^{\circ} 29'$$

$$\tan Az = 3.295$$

$$Az = N 73.2^{\circ} E$$

$$T Az = 73.2^{\circ} (T)$$

$$LOP = 163.2 - 343.2^{\circ}$$



Sight is taken before mer. pass

SO, $LHA = 360^{\circ} - P$

$LHA - GHA = \text{Obs. long E}$

chron time : 06h 08m 05s

Error (slow) : (+) 00m 46s

GMT : ~~20d~~ 06h 08m 51s

Long (W) : (-) 11h 41m 20s

LMT : 19d 18h 27m 31s

GMT : 20d 06h 08m 51s

GHA (20d 06h) : 120° 25.4'

Increment (08m 51s) : 2° 06.7'

V(2.5) : 0.4'

GHA moon : 122° 32.5'

Long (W) : (-) 175° 20.0'

LHA : 307° 12.5'

Declination (20d 06h) : 27° 54.7' N

d(1.4) : (-) 0.2'

Declination moon : 27° 54.5' N

Sextant altitude : 31° 24.3'

IE (on) : (+) 2.2'

Observed altitude : 31° 22.1'

Dip (HE-22m) : (-) 8.3'

Apparent altitude : 31° 13.8'

Main corrⁿ : 58.4'

HP (59.8') : 7.3' (LL)

True altitude : 32° 19.5'

Latitude : 00° 10' N

$$\cos P = \sin T \text{ alt} \mp \sin \text{lat} \cdot \sin \text{dec}$$

$$\cos \text{lat} \cdot \cos \text{dec}$$

$$\cos P = \sin 32^\circ 19.5' - \sin 00^\circ 10' \cdot \sin 27^\circ 54.5'$$

$$\cos 00^\circ 10' \cdot \cos 27^\circ 54.5'$$

$$\cos P = 0.603556994$$

$$P = 52^\circ 52.5'$$

$$\text{LHA} = 307^\circ 07.5'$$

sight is taken ~~at~~ before mer. pass
• LHA = 360° - P

$$\text{GHA} = 122^\circ 32.5'$$

$$\text{Obs. long} = 175^\circ 25.0' \text{ W}$$

$$A = \frac{\tan \text{lat}}{\tan P}$$

$$B = \frac{\tan \text{dec}}{\sin P}$$

$$A = \frac{\tan 00^\circ 10'}{\tan 52^\circ 52.5'} = 0.0025$$

$$B = \frac{\tan 27^\circ 54.5'}{\sin 52^\circ 52.5'} = 0.664 \text{ N}$$

$$C = B - A$$

$$C = 0.664 - 0.002 \Rightarrow 0.662 \text{ N}$$

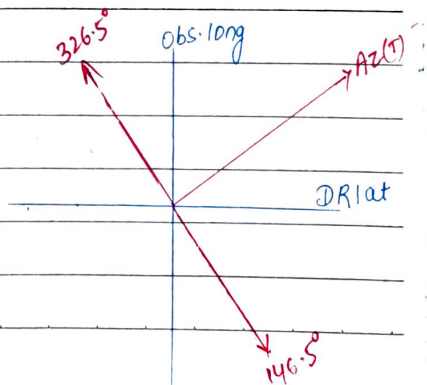
$$\tan \text{Az} = \frac{1}{2} C \cos \text{lat}$$

$$\tan \text{Az} = \frac{1}{2} \cdot 0.662 \times \cos 00^\circ 10'$$

$$\text{Az} = \text{N} 56.5^\circ \text{ E}$$

$$\text{Taz} = 56.5^\circ (\text{T})$$

$$\text{LOP} = 146.5^\circ - 326.5^\circ (\text{T})$$



Chron time: 03h 44m 53s

Error (fast): (-) 63m 19s

GMT : 03h 41m 34s

LIT(E) : (+) 07h 02m 48s

LIT : 10h 44m 22s ✓

GMT: April 30d 03h 41m 34s

GHA (30d 03h) : $293^{\circ} 07.5'$

Increment (41m 34s) : $9^{\circ} 55.1'$

v(13.1) : $9.1'$

GHA moon : $303^{\circ} 11.7'$

Long(E) : (+) $105^{\circ} 42.0'$

LHA : $48^{\circ} 53.7'$

Declination (30d 03h) : $11^{\circ} 46.2' S$

d(14.1) : (-) $9.8'$

Declination moon : $11^{\circ} 36.4' S$

Sextant altitude: $40^{\circ} 28.2'$

IE(0n) : (-) $2.6'$

Observed altitude: $40^{\circ} 25.6'$

Dip(HE-11m) : (-) $5.8'$

Apparent altitude: $40^{\circ} 19.8'$

Main corr'n : $53.5'$

HP(57-1) : $4.4'$ (LL)

True altitude : $41^{\circ} 17.7'$

Latitude : $05^{\circ} 50' N$

$$\cos P = \frac{\sin T \text{ alt} \mp \sin \text{lat} \cdot \sin \text{dec}}{\cos \text{lat} \cdot \cos \text{dec}}$$

$$\cos P = \frac{\sin 41^{\circ} 17.7' + \sin 05^{\circ} 50' \cdot \sin 11^{\circ} 36.4'}{\cos 05^{\circ} 50' \cdot \cos 11^{\circ} 36.4'}$$

$$\cos P = 0.6982$$

$$P = 45^{\circ} 43'$$

GMT: Dec old 03h 52m 48s

GHA moon (old 03h) : $187^{\circ} 21.6'$
 Increment (52m 48s) : $12^{\circ} 35.9'$
 $v(11.7) : 10.2'$
 GHA moon : $200^{\circ} 07.6'$
 Long (E) : $(+) 164^{\circ} 48.0'$
 LHA moon : $4^{\circ} 55.7'$
 Declination (old 03h) : $24^{\circ} 33.2'S$
 $d(6.1) : (-) 5.3'$
 Declination moon : $24^{\circ} 27.9'S$

Sextant altitude: $63^{\circ} 29.1'$
 $IE(Dn) : (-) 1.7'$
 Observed altitude: $63^{\circ} 27.4'$
 Dip (HE - 13m) : $(-) 6.3'$
 Apparent altitude: $63^{\circ} 21.1'$
 Main corrⁿ : $(+) 36.1'$
 HP(54.1) : $(+) 2.3' (LL)$
 True altitude: $63^{\circ} 59.5' N$
 TZD : $26^{\circ} 0.5' S$

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos DR \cdot \cos dec]$$

$$\cos MZD = \cos 26^{\circ} 0.5' + [(1 - \cos 4^{\circ} 55.7') \cdot \cos 50^{\circ} 12' \cdot \cos 24^{\circ} 27.9']$$

$$\cos MZD = 0.900884325$$

$$MZD = 25^{\circ} 43.5' S$$

$$DEC = 24^{\circ} 27.9' S$$

$$Obs Lat = 50^{\circ} 11.4' S$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 50^{\circ} 12'}{\tan 4^{\circ} 55.7'}$$

$$B = \frac{\tan 24^{\circ} 27.9'}{\sin 4^{\circ} 55.7'}$$

$$A = 13.919 N$$

$$B = 5.296 S$$

$$C = A - B$$

$$C = 13.919 - 5.296$$

$$C = 8.623 N$$

$$\tan Az = \frac{C}{\cos lat}$$

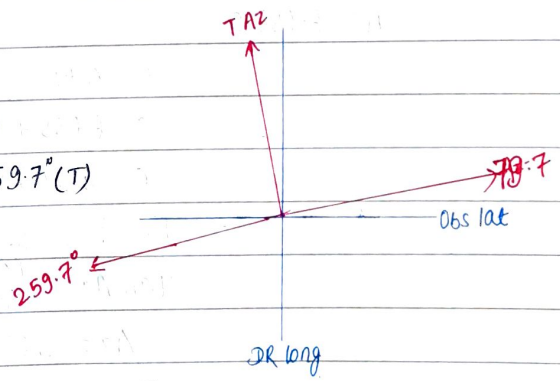
$$\tan Az = \frac{8.623}{\cos 50^{\circ} 12'}$$

$$\tan Az = 0.18117$$

$$Az = N 10.3^{\circ} W$$

$$TAZ = 349.7^{\circ} (T)$$

$$LDP = 79.7^{\circ} - 259.7^{\circ} (T)$$





② Chron time : 01h 14m 42s
 Error (fast) : (-) 3m 18s
 GMT : 01h 11m 24s
 LT(W) : (-) 06h 26m 24s
 LMT : 18h 45m 00s

(+12) 13h 11m 24s ✓
 (-) 06h 26m 24s
 06h 45m 00s bcz question says am at ship

GMT: April 28d 13h 11m 24s

GHA moon (28d 13h) : 101° 01.8'
 Increment (11m 24s) : 2° 43.2'
 $V(12.2)$: 2.3'
 GHA moon : 103° 47.3'
 Long(W) : (-) 96° 36' W
 LHA moon : 7° 11.3'
 Declination (28d 13h) : 19° 39.0' S
 $d(10.8)$: (-) 2.1'

Sextant altitude : 32° 11.8'
 IE (off) : (+) 2.1'
 Observed altitude : 32° 13.9'
 Dip (HE - 18m) : (-) 7.5'
 Apparent altitude : 32° 6.4'
 Main corrⁿ : (+) 57.9'
 HP (55.8) : (+) 2.9' (UL)
 Subtract 30' from the UL : (-) 30.0'
 True altitude : 32° 37.2' S

Declination Moon : 19° 36.9' S
 Latitude : 37° 22' N

TZD : 57° 22.8' N

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 57^\circ 22.8' + [(1 - \cos 7^\circ 11.3') \cdot \cos 37^\circ 22' \cdot \cos 19^\circ 36.9']$$

$$\cos MZD = 0.544949$$

$$MZD = 56^\circ 58.7' N$$

$$DEC = 19^\circ 36.9' S$$

$$\text{Obs lat} = 37^\circ 21.8' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 37^\circ 22'}{\tan 7^\circ 11.3'}$$

$$B = \frac{\tan 19^\circ 36.9'}{\sin 7^\circ 11.3'}$$

$$A = 6.055 S$$

$$B = 2.848 S$$

$$C = A + B$$

$$C = 6.055 + 2.848$$

$$C = 8.903 S$$

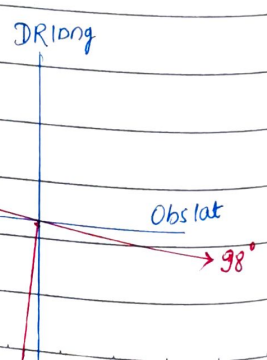
$$\tan Az = \frac{C}{\cos lat}$$

$$\tan Az = \frac{8.903}{\cos 37^\circ 22'}$$

$$Az = 58^\circ W$$

$$T Az = 188^\circ (T)$$

$$LDP = 098^\circ - 278^\circ (T)$$





05h 23m 53s

No. 95

Date 04/02/2022

Error (fast): (-) 2m 16s

GMT: 05h 26m 09s

LIT (E): (+) 11h 41m 04s

LMT: 17h 07m 13s

22d 17h 26m 37s

(+) 11h 41m 04s

23d 05h 07m 13s

GMT: Aug 22d 17h 21m 37s

GHA moon (22d 17h): 187° 28.4'

Increment (21m 37s): 5° 09.5'

v(7.9): 2.8'

GHA moon: 192° 40.7'

Long (E): (+) 175° 16.0'

LHA moon: 7° 56.7'

P: 7° 56.7'

Declination (22d 17h): 20° 44.8' N

d(11.1): (+) 4.0

Declination moon: 20° 48.8' N

Latitude: 50° 02' N

Sextant altitude: 59° 50.8'

IE (off): (+) 2.6'

Observed altitude: 59° 53.4'

Dip (HE-15m): (-) 6.8'

Apparent altitude: 59° 46.6'

Main corr: (+) 39.1

HP (58.9'): (+) 3.9'

Subtract 30' from altitude of UL: (-) 30.0'

True altitude: 59° 59.6' S

TZD: 30° 0.4' N

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 30^\circ 0.4' + [(1 - \cos 7^\circ 56.7') \cdot \cos 50^\circ 02' \cdot \cos 20^\circ 48.8']$$

$$\cos MZD = 0.87173$$

$$MZD = 29^\circ 20.4' N$$

$$Dec = 20^\circ 48.8' N$$

$$Obs lat = 50^\circ 09.2' N$$

$$A = \frac{\tan lat}{\tan P}$$

$$B = \frac{\tan dec}{\sin P}$$

$$A = \frac{\tan 50^\circ 02'}{\tan 7^\circ 56.7'}$$

$$B = \frac{\tan 20^\circ 48.8'}{\sin 7^\circ 56.7'}$$

$$A = 8.5495$$

$$B = 2.750 N$$

$$C = A - B$$

$$C = 8.549 - 2.750$$

$$C = 5.7995$$

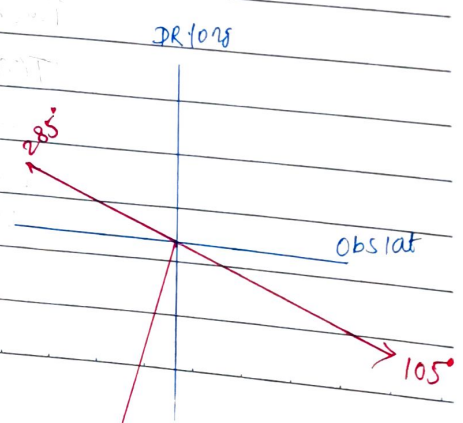
$$\tan Az = \frac{C \times \cos lat}{5.7995 \times \cos 50^\circ 02'}$$

$$\tan Az = \frac{5.7995 \times \cos 50^\circ 02'}{5.7995 \times \cos 50^\circ 02'}$$

$$Az = 15^\circ$$

$$TAZ = 195^\circ (T)$$

$$LOP = 105^\circ - 285^\circ (CT)$$



⑤

GMT: 22d 16h 10m 24s

GHA moon (22d 16h): $145^{\circ} 10.9'$

Increment (10m 24s): $2^{\circ} 28.9'$

$V(4.3)$: $0.8'$

GHA moon: $147^{\circ} 40.6'$

Long(W): $(-) 140^{\circ} 12.0'$

LHA moon: $7^{\circ} 28.6'$

P: $7^{\circ} 28.6'$

Declination (22d 16h): $26^{\circ} 44.9' N$

$d(4.0)$: $(-) 0.7'$

Declination moon: $26^{\circ} 44.2' N$

Latitude: $35^{\circ} 05' S$

$$\cos MZD = \cos TZD + [(1 - \cos P) \cdot \cos lat \cdot \cos dec]$$

$$\cos MZD = \cos 62^{\circ} 17.1' + [(1 - \cos 7^{\circ} 28.6') \cdot \cos 35^{\circ} 05' \cdot \cos 26^{\circ} 44.2']$$

$$\cos MZD = 0.471287351$$

$$MZD = 61^{\circ} 52.9' S$$

$$\text{Declination} = 26^{\circ} 44.2' N$$

$$\text{Obs lat} = 35^{\circ} 08.7' S$$

$$A = \frac{\tan lat}{\tan P}$$

$$A = \frac{\tan 35^{\circ} 05' N}{\tan 7^{\circ} 28.6'}$$

$$\tan 7^{\circ} 28.6'$$

$$A = 5.352 N$$

$$B = \frac{\tan dec}{\sin P}$$

$$B = \frac{\tan 26^{\circ} 44.2' N}{\sin 7^{\circ} 28.6'}$$

$$\sin 7^{\circ} 28.6'$$

$$B = 3.871 N$$

$$C = A + B$$

$$C = 5.352 + 3.871$$

$$C = 9.223 N$$

$$\tan Az = \frac{1}{C} \times \cos lat$$

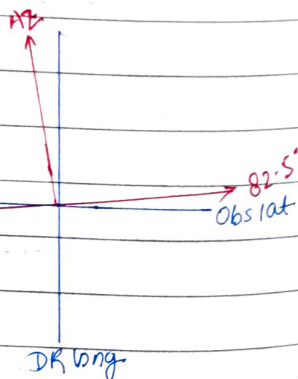
$$\tan Az = \frac{1}{9.223} \times \cos 35^{\circ} 05'$$

$$\tan Az = 0.132497$$

$$Az = N 7.5^{\circ} W$$

$$T Az = 352.5^{\circ} (T)$$

$$LDP = 82.5^{\circ} - 262.5^{\circ} (T)$$





Combination of sights

No. 109

Date 11.03.2022

Example :-

STEP ①: $CLDP 1 : Az \pm 90^\circ = 046^\circ \pm 90^\circ = 136^\circ - 316^\circ (T)$
 $CLDP 2 : Az \pm 90^\circ = 130^\circ \pm 90^\circ = 040^\circ - 220^\circ (T)$

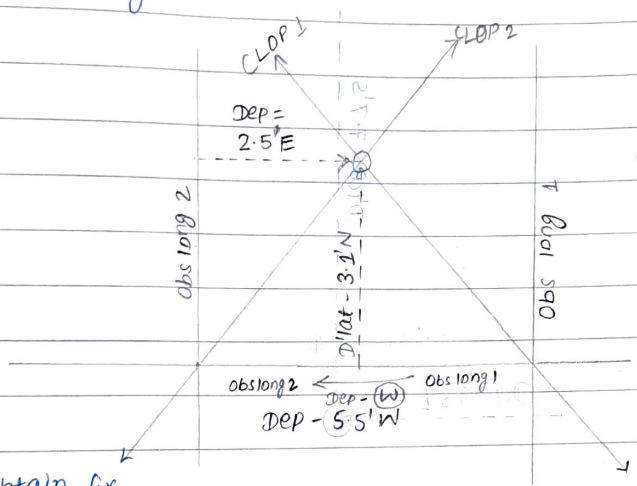
STEP ②: Find d'long

Obs long 1 : $146^\circ 13.4' W$
 Obs long 2 : $146^\circ 19.3' W$
 D'long : $5.9' W$

STEP ③: From Norie's table

Using lat - 20.6° & d'long - $5.9' W$
 Dep - $5.5' W$

STEP ④: DRAW diagram



STEP ⑤ Obtain fix

DR Lat : $20^\circ 36' N$ DR lat : $20^\circ 36.0' N$
 d'lat : $3.1' N$ Fix lat : $20^\circ 39.1' N$
 Fix lat : $20^\circ 39.1' N$ m'lat : $20^\circ 37.5' N$

Using m'lat - $20^\circ 37.5' N$, dep : $2.5' E$

d'long = $2.7' E$ * (Since I have taken dep from obs long 2, so finding fix I will use obs long 2)

Obs long 2 : $146^\circ 19.3' W$

d'long : $2.7' E$

Fix long : $146^\circ 16.6' W$

Answer :- Lat : $20^\circ 39.1' N$ $146^\circ 16.6' W$

example ② :- Three intercepts

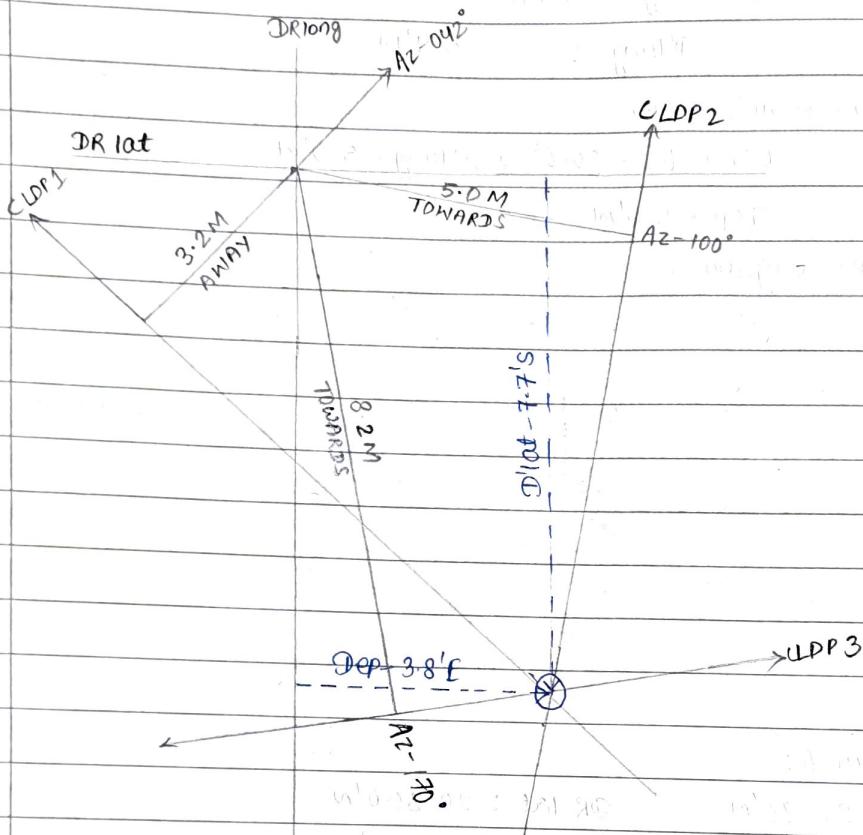
STEP ①: $CLDP 1 : Az \pm 90^\circ = 042^\circ \pm 90^\circ = 132^\circ - 312^\circ$

$CLDP 2 : Az \pm 90^\circ = 100^\circ \pm 90^\circ = 010^\circ - 190^\circ$

$CLDP 3 : Az \pm 90^\circ = 170^\circ \pm 90^\circ = 080^\circ - 260^\circ$

- Intercept 1 : 3.2M away
- Intercept 2 : 5.0M towards
- Intercept 3 : 8.2M towards

Step ③ : Take any point suitable as a DR position



DR lat : $20^{\circ} 11' S$ DR lat : $20^{\circ} 11' S$

d'lat : $77' S$ Fix lat : $20^{\circ} 18.7' S$

fix lat : $20^{\circ} 18.7' S$ m'lat : $20^{\circ} 14.9' S$

Using m'lat : $20^{\circ} 14.9' S$ & dep : $3.8' E$

d'long : $4.0' E$

DR long : $140^{\circ} 36' E$

d'long : $4.0' E$

Fix long : $140^{\circ} 40.0' E$

Answer :- Lat : $20^{\circ} 18.7' S$ long : $140^{\circ} 40.0' E$

one intercept & one long by chron.

No. 111

Date 11.03.2022

STEP 1 : CLDP 1 : $Az \pm 90^\circ = 335^\circ \pm 90^\circ = 065^\circ - 245^\circ$
 CLDP 2 : $Az \pm 90^\circ = 030^\circ \pm 90^\circ = 120^\circ - 300^\circ$

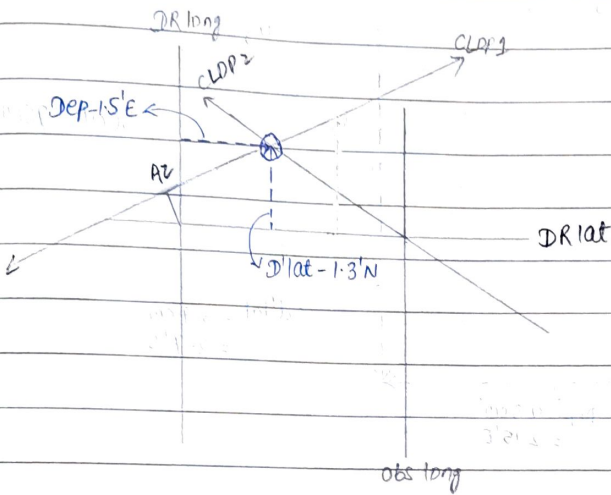
Intercept 1 :- 0.5' Towards

DR long : $179^\circ 59' E$

Obs long 1 : $179^\circ 55.4' W$

d'long : $0^\circ 5.6' E$

Using d'long - 5.6', lat - $48.4' N$, dep = 3.7M



DR lat : $48^\circ 24' N$ DR lat : $48^\circ 24' N$

d'lat : $1.3' N$ Fix lat : $48^\circ 25.3' N$

Fix lat : $48^\circ 25.3' N$ m'lat : $48^\circ 24.6' N$

Using m'lat : $48.4' N$ dep - $1.5' E$

d'long - $0^\circ 2.3' E$

DR long : $179^\circ 59.0' E$

d'long : $0^\circ 2.3' E$

Fix long : $179^\circ 58.7' W$

Answer : Lat : $48^\circ 25.3' N$ Long : $179^\circ 58.7' W$

Exercise-51

Graphical combination - simultaneous observations

No. 112

Date 11-03-2022

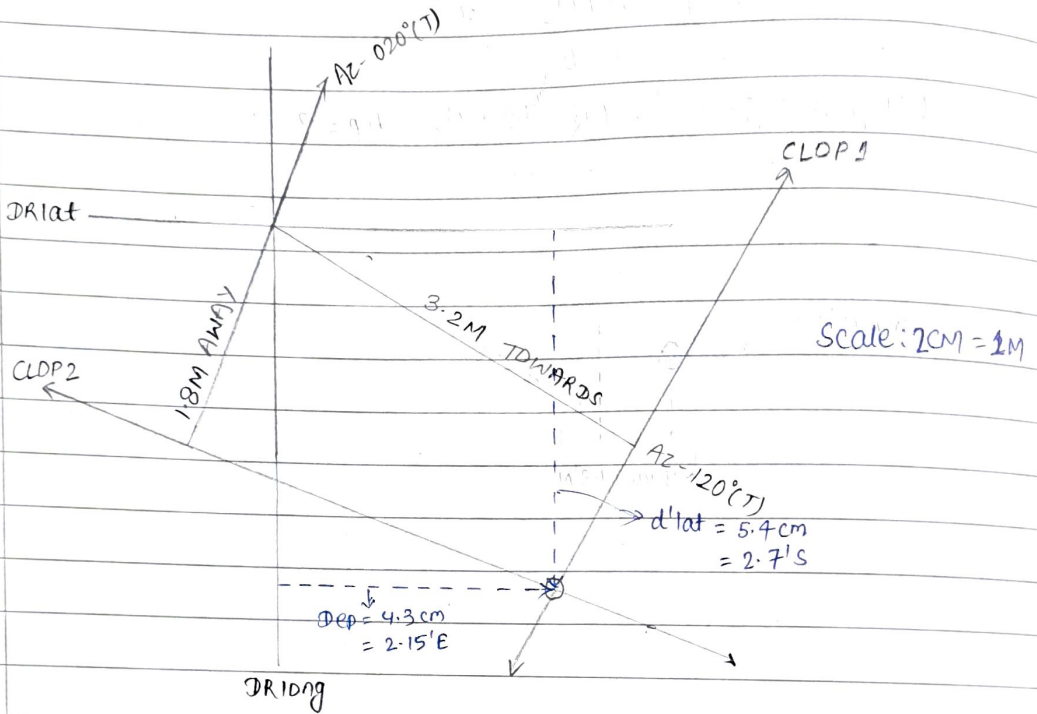
①

CLDP 1 : $Az \pm 90^\circ = 120^\circ \pm 90^\circ = 030^\circ - 210^\circ$

CLDP 2 : $Az \pm 90^\circ = 020^\circ \pm 90^\circ = 110^\circ - 290^\circ$

Intercept 1 : 3.2 M Towards

Intercept 2 : 1.8 M Away



DR lat : $36^\circ 18' S$ DR lat : $36^\circ 18' S$

d'lat : $2.7' S$ Fix lat : $36^\circ 20.7' S$

Fix lat : $36^\circ 20.7' S$ m'lat : $36^\circ 19.4' S$

Using m'lat - $36.3' S$ & dep - $2.15' E$

d'long - $0^\circ 2.7' E$

DR long : $93^\circ 27' E$

d'long : $0^\circ 2.7' E$

fix long : $93^\circ 29.7' E$

1.6

2

2.15

$2.0 + 0.7 = 2.7$

2.4

3

0.8

$\frac{1}{0.8} \times 0.55 = 0.7$

Answer: Lat : $36^\circ 20.7' S$ long : $93^\circ 29.7' E$

②

DR long : $147^\circ 44' E$

Obs long : $147^\circ 50.2' E$

d'long : $6.2' E$



DR long: $6.2'E$ Lat: $49.2'S$

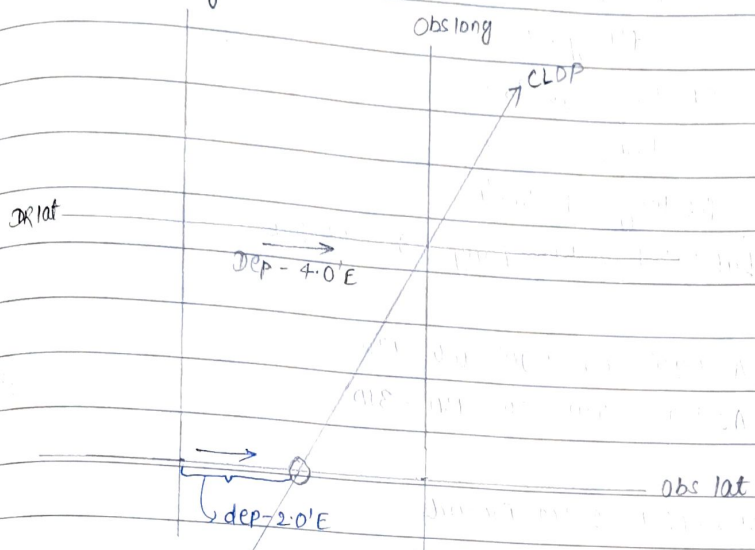
No. 113

Date 11-03-2022

CLDP: $Az \pm 90^\circ = 300^\circ \pm 90^\circ = 030^\circ - 210^\circ$
 dep - $4.0'E$
 DR lat: $49^\circ 11'S$

Obs lat: $49^\circ 14.5'S$

d'lat: $3.5'S$ & m'lat: $49^\circ 12.8'S$



Using m'lat: $49.2'S$ dep - $2.0'E$

d'long: $3.0'E$

DR long: $147^\circ 44'E$

d'long: $3.0'E$

fix long: $147^\circ 47.0'E$

Answer:-

Ship's position: $49^\circ 14.5'S$ $147^\circ 47.0'E$

DR lat: $60^\circ 00'N$

Obs lat: $59^\circ 58.4'N \rightarrow 002^\circ \pm 90^\circ = 92^\circ - 272^\circ$

d'lat: $1.6'S$

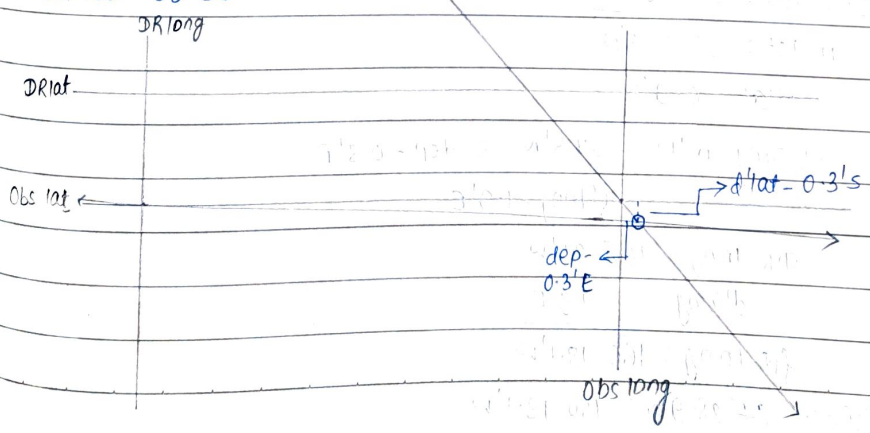
m'lat: $59^\circ 59.2'N$

DR long: $90^\circ 30'E$

Obs long: $90^\circ 38'E$

d'long: $8'E$

CLDP: $045^\circ \pm 90^\circ = 135^\circ - 315^\circ$



Obs lat : $59^{\circ} 58' 4'' N$

Obs lat : $59^{\circ} 58' 4'' N$

d'lat : $0.3'S$

fix lat : $59^{\circ} 58' 1'' N$

fix lat : $59^{\circ} 58' 1'' N$

m'lat : $59^{\circ} 58' 3'' N$

Using m'lat - $59^{\circ} 58' 3'' N$ dep - $0.3'E$

d'long - $0.6'E$

Obs long : $90^{\circ} 38'E$

d'long : $0.6'E$

fix long : $90^{\circ} 38' 6'' E$

Answer : Lat : $59^{\circ} 58' 1'' N$ Long : $90^{\circ} 38' 6'' E$

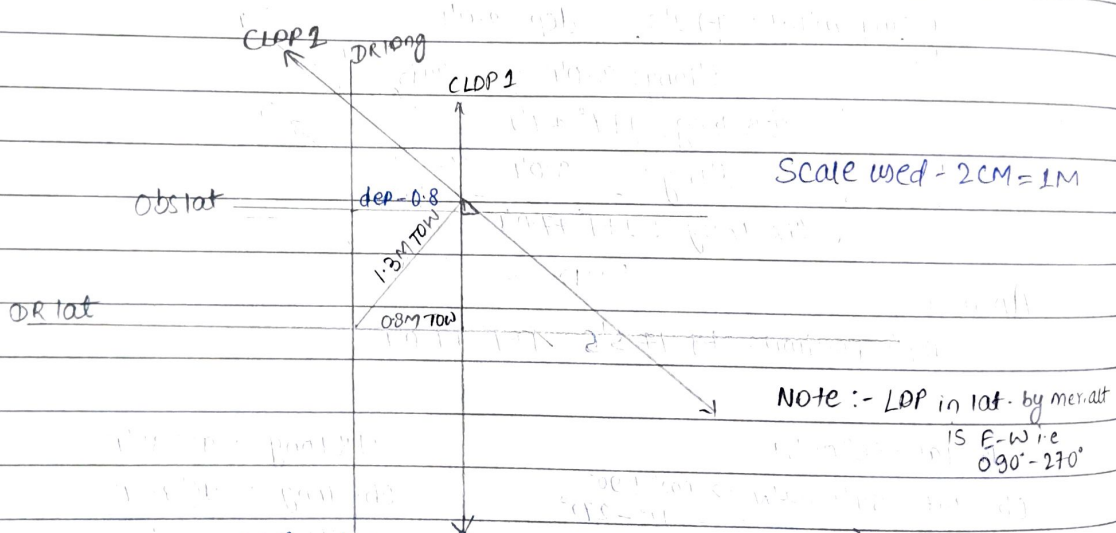
④

CLDP 1 : $Az \pm 90^{\circ} = 090^{\circ} \pm 90^{\circ} = 000^{\circ} - 180^{\circ}$

CLDP 2 : $Az \pm 90^{\circ} = 040^{\circ} \pm 90^{\circ} = 130^{\circ} - 310^{\circ}$

Intercept 1 : 0.8 M Towards

Intercept 2 : 1.3 M Towards



DR lat : $64^{\circ} 28' N$

Obs lat : $64^{\circ} 28' 9'' N$

m'lat : $64^{\circ} 28' 5'' N$

d'lat : $0.9' N$

Using m'lat - $64.5' N$ & dep - $0.8'E$

d'long - $1.9'E$

DR long : $160^{\circ} 20' W$

d'long : $1.9'E$

fix long : $160^{\circ} 18' 1'' W$

Ans :- $64^{\circ} 28' 9'' N$ $160^{\circ} 18' 1'' W$

Rough

	64	64.5	65
0.4		1	
0.8		1.8	0.8 - 2
0.9		2	1.9
0.5	1		
1	0.5		
0.4	0.5		

$\frac{1}{0.5} \times 0.4 = 0.8$



g : $75^{\circ} 39' W$
 : $75^{\circ} 42.7' W$
 d'long : $3.7' W$
 dep : $3.6' W$

DR long : $75^{\circ} 39' W$
 Obs long 2 : $75^{\circ} 38.1' W$
 d'long = $0.9' E$
 dep = $0.9' E$

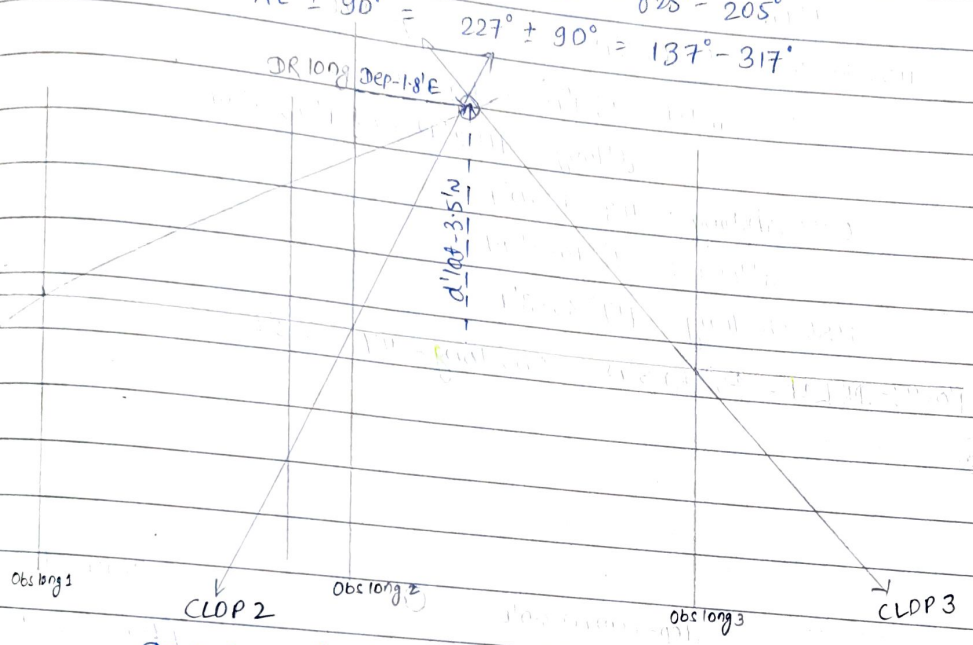
No. 115

Date 11.03.2022

DR long : $75^{\circ} 39' W$
 Obs long 3 : $75^{\circ} 32.8' W$
 d'long : $6.2' E$

By using lat - $15^{\circ} 02' N$
 & respective d'long

& dep = $6.0' E$
 CLOP 1 : $Az \pm 90^{\circ} = 331 \pm 90^{\circ} = 061^{\circ} - 241^{\circ}$
 CLOP 2 : $Az \pm 90^{\circ} = 115 \pm 90^{\circ} = 025^{\circ} - 205^{\circ}$
 CLOP 3 : $Az \pm 90^{\circ} = 227 \pm 90^{\circ} = 137^{\circ} - 317^{\circ}$



DR lat : $15^{\circ} 02' N$
 d'lat : $3.5' N$
 fix lat : $15^{\circ} 5.5' N$
 DR lat : $15^{\circ} 02' N$
 fix lat : $15^{\circ} 5.5' N$
 m'lat : $15^{\circ} 3.8' N$

Using m'lat - $15^{\circ} 3.8' N$ dep : $1.8' E$
 d'long : $1.8' E$
 Obs long 2 : $075^{\circ} 38.1' W$
 d'long : $1.8' E$
 fix long : $075^{\circ} 36.3' W$

Answer: Lat : $15^{\circ} 5.5' N$ Long : $075^{\circ} 36.3' W$

Fix By staggered CLDP's

Example 1:-

① 0800 HRS DR lat - $46^{\circ} 20' N$ Obs long - $118^{\circ} 46' E$
 CLDP 1: $150^{\circ} \pm 90^{\circ} = 060^{\circ} - 240^{\circ}$

② 1150 hrs :
 Ship's CO = $238^{\circ} - S 58^{\circ} W$ Distance steamed : $15 \text{ knots} \times 3 \text{ h } 50 \text{ m} = 57.5 \text{ M}$

Using Nories Table,

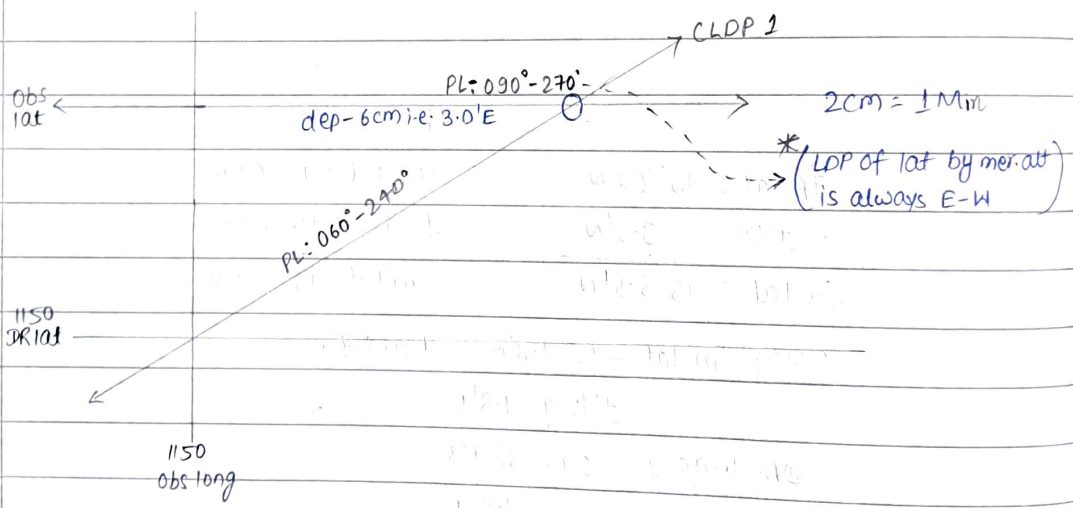
Dep - $48.8' W$ D'lat - $30.5' S$
 0800 dr lat : $46^{\circ} 20' N$ 0800 DR lat : $46^{\circ} 20' N$
 d'lat : $30.5' S$ 1150 DR lat : $45^{\circ} 49.5' N$
 1150 DR lat : $45^{\circ} 49.5' N$ m'lat : $46^{\circ} 04.8' N$

Using m'lat - $46.1' N$ dep - $48.8' W$
 d'long - $70.2' W$ i.e. $1^{\circ} 10.2' W$

0800 Obs long : $118^{\circ} 46.0' E$
 d'long : $1^{\circ} 10.2' W$
 1150 obs long : $117^{\circ} 35.8' E$

Posⁿ :- DR Lat - $45^{\circ} 49.5' N$ Obs long - $117^{\circ} 35.8' E$

③ Plot 1150 DR lat & Obs long



1150 DR lat : $45^{\circ} 49.5' N$

1150 fix lat : $45^{\circ} 51.2' N$ (given in question)

d'lat : $1.7' N$ & m'lat : $45^{\circ} 50.4' N$

Using m'lat - $45.8' N$ & dep : $3.0' E$

d'long = $4.3' E$

1150 Obs long : $117^{\circ} 35.8' E$

d'long : $4.3' E$

1150 fix long : $117^{\circ} 40.1' E$



Answer:

1150 fix - $45^{\circ} 51.2' N$ $117^{\circ} 40.1' E$

No. 117

Date 12.03.2022

Now find position at 1200 hrs

Course - $S 58^{\circ} W$ Distance steamed - 15 knots \times 10 min = 2.5M

d'lat - $1.3'S$

dep - $2.1' W$

1150 fix lat : $45^{\circ} 51.2' N$

1150 fix lat : $45^{\circ} 51.2' N$

d'lat : $1.3' S$

1200 lat : $45^{\circ} 49.9' N$

1200 lat : $45^{\circ} 49.9' N$

m'lat : $45^{\circ} 50.6' N$

Using m'lat - $45.8' N$ & dep - $2.1' W$

d'long - $3.0' W$

1150 fix long : $117^{\circ} 40.1' E$

d'long : $3.0' W$

1200 long : $117^{\circ} 37.1' E$

Answer: 1200 posⁿ: Lat : $45^{\circ} 49.9' N$ Long : $117^{\circ} 37.1' E$

Example 2 :- @ At 0500 HRS,

DR lat : $18^{\circ} 41' S$ DR long : $179^{\circ} 56' E$, Az - $083^{\circ} (T)$

CLDP 1 : Az $\pm 90^{\circ} = 083 \pm 90^{\circ} = 173^{\circ} - 353^{\circ} (T)$

⑤ At 1210 hrs,

COURSE	Distance	dep E W	d'lat N S
$083^{\circ} = N 83^{\circ} E$	8.4'	8.3'	1.0
$121^{\circ} = S 59^{\circ} E$	70	60.0	36.1
$224^{\circ} = S 44^{\circ} W$	10	6.9	7.2

Dep: $61.4' E$ d'lat: $42.3' S$

0500 DR lat : $18^{\circ} 41' S$ 0500 DR lat : $18^{\circ} 41' S$

d'lat : $42.3' S$

1210 EP lat : $19^{\circ} 23.3' S$

1210 EP lat : $19^{\circ} 23.3' S$

m'lat : $19^{\circ} 2.1' S$

Using m'lat - $19^{\circ} 2.1' S$ dep - $61.4' E$

d'long - $64.9' E$ i.e. $1^{\circ} 4.9' E$

0500 DR long : $179^{\circ} 56.0' E$

d'long : $1^{\circ} 4.9' E$

1210 EP long : $178^{\circ} 59.1' W$

Position :- 1210 EP -

Lat $19^{\circ} 23.3' S$ Long $178^{\circ} 59.1' W$

Now draw

Obs lat

Dep - 1.0' W

1210 EP lat

1210 EP lat : $19^{\circ} 23.3'S$

1210 fix lat : $19^{\circ} 14.9'S$

d'lat : $8.4' N$ & m'lat : $19^{\circ} 19.1'S$

Using m'lat - 19.3° & dep - 1.0' W

d'long = 1.1' W

1210 EP long : $178^{\circ} 59.1' W$

d'long : 1.1' W

1210 fix long : $179^{\circ} 00.2' W$

1210 fix position :-

Lat $19^{\circ} 14.9'S$ Long $179^{\circ} 00.2' W$

Now have to find 1200 hrs posn:

we have to go 10 mins back, so ship is $S 59^{\circ} E$

Reverse the course $N 59^{\circ} W$

Distance steamed in 10 min - 1.6M

Using $CO - 59^{\circ}$ & dist. - 1.6M, d'lat = $0.8' N$ dep = $1.4' W$

1210 fix - $19^{\circ} 14.9'S$

d'lat - $0.8' N$

1200 lat :

different from book
d'lat & dep is opposite



Exercise-52

No. 119

Date 24/04/2022

0600 HRS : DR lat : $01^{\circ} 20' N$ Obs long : $179^{\circ} 54' E$

CLDP1 : $062^{\circ} \pm 90^{\circ} = 152^{\circ} - 332^{\circ}$

1600 HRS : Vessel CO : $131^{\circ} (T) = 549^{\circ} E$

Distance steamed = $14 \text{ knots} \times 10 \text{ hrs} = 140 \text{ miles}$

using CO & dist, we can find dep & d'lat

$\sin CO = \frac{\text{dep}}{\text{dist}}$

$\tan CO = \frac{\text{dep}}{d'lat}$

$\sin 49^{\circ} = \frac{\text{dep}}{140}$

$\tan 49^{\circ} = \frac{105.7}{d'lat}$

$\text{dep} = 105.7$



$d'lat \Rightarrow 91.9 = 1^{\circ} 31.9' S$

0600 DR lat : $01^{\circ} 20' N$

0600 DR lat : $01^{\circ} 20' N$

d'lat : $1^{\circ} 31.9' S$

1600 DR lat : $00^{\circ} 11.8' S$

1600 DR lat : $00^{\circ} 11.8' S$

$\cos m'lat = \frac{\text{dep}}{d'long} \Rightarrow \cos 0^{\circ} 34.1' = \frac{105.7}{d'long}$

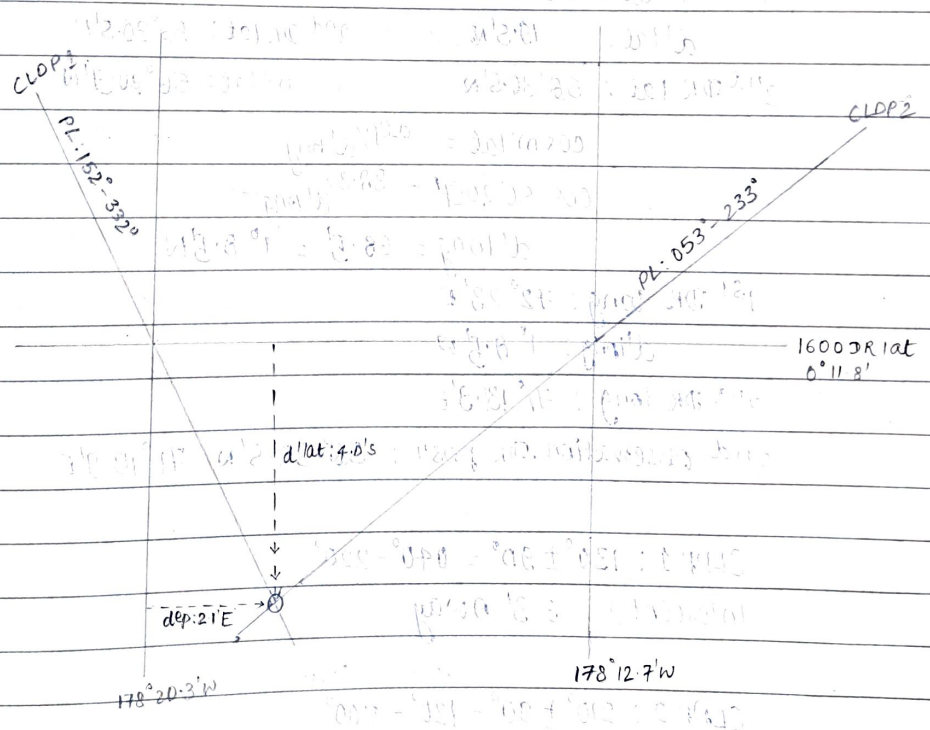
$\cos 0^{\circ} 34.1' = \frac{105.7}{d'long} \Rightarrow d'long \Rightarrow 105.7 = 1^{\circ} 45.7' E$

0600 Obs long : $179^{\circ} 54' E$

d'long : $1^{\circ} 45.7' E$

1600 Obs long : $178^{\circ} 20' 3' W$

CLD2 : $323 \pm 90^{\circ} = 053^{\circ} - 233^{\circ}$



1600 DR lat : $00^{\circ} 11' 8'' S$

1600 DR lat : $00^{\circ} 11' 8'' S$

d'lat : $4' 0'' S$

1600 fix lat : $00^{\circ} 15' 8'' S$

1600 fix lat : $00^{\circ} 15' 8'' S$

m'lat : $00^{\circ} 13' 8'' S$

$$\cos m'lat = \frac{dep}{d'long}$$

$$\cos 00^{\circ} 13' 8'' = \frac{2' 1''}{d'long}$$

$$d'long = 0^{\circ} 2' 1'' E$$

1600 obs long : $178^{\circ} 20' 3'' W$

d'long : $0^{\circ} 2' 1'' E$

1600 fix long : $178^{\circ} 18' 2'' W$

So, position of vessel at 1600 : $00^{\circ} 15' 8'' S \quad 178^{\circ} 18' 2'' W$

② 1st posⁿ :- DR lat : $56^{\circ} 11' N$ DR long : $72^{\circ} 23' E$

Ship's CO : $243^{\circ} (T) = 563^{\circ} W$

Distance steamed = 43 miles

Using CO & dist, we can get dep & d'lat

$$\sin CO = \frac{dep}{dist}$$

$$\tan CO = \frac{dep}{d'lat}$$

$$\sin 63^{\circ} = \frac{dep}{43}$$

$$\tan 63^{\circ} = \frac{38' 3''}{d'lat}$$

$$dep = 38' 3'' W \quad \Rightarrow$$

$$d'lat = 19' 5'' S$$

1st DR lat : $56^{\circ} 11' N$

1st DR lat : $56^{\circ} 11' N$

d'lat : $19' 5'' S$

2nd DR lat : $55^{\circ} 51' 5'' N$

2nd DR lat : $55^{\circ} 51' 5'' N$

m'lat : $56^{\circ} 1' 3'' N$

$$\cos m'lat = \frac{dep}{d'long}$$

$$\cos 56^{\circ} 1' 3'' = \frac{38' 3''}{d'long}$$

$$d'long = 68' 5'' = 1^{\circ} 8' 5'' W$$

1st DR long : $72^{\circ} 23' E$

d'long : $1^{\circ} 8' 5'' W$

2nd DR long : $71^{\circ} 14' 5'' E$

2nd observation, DR posⁿ : $55^{\circ} 51' 5'' N \quad 71^{\circ} 14' 5'' E$

CLDP 1 : $130^{\circ} \pm 90^{\circ} = 040^{\circ} - 220^{\circ}$

Intercept 1 : 6.3' Away

CLDP 2 : $210^{\circ} \pm 90^{\circ} = 120^{\circ} - 300^{\circ}$

Intercept 2 : 2.2' Towards

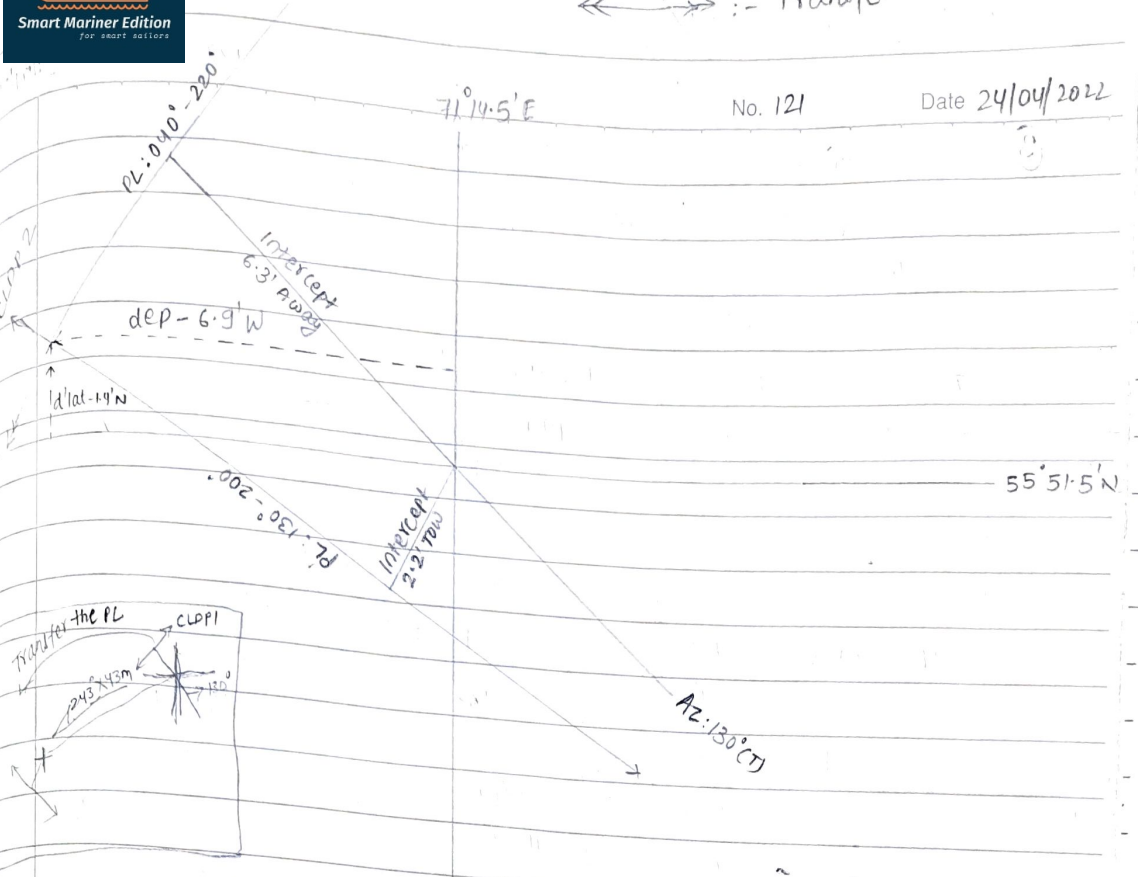


CLOP1
7

← → :- PL
← → :- Transferred PL

No. 121

Date 24/04/2022



2nd DR lat: 55° 51.5' N

d'lat: 1.4' N

2nd fix lat: 55° 52.9' N

2nd DR lat: 55° 51.5' N

2nd fix lat: 55° 52.9' N

m'lat: 55° 52.2' N

$$\cos m'lat = dep / d'long$$

$$\cos 55° 52.2' = 6.9 / d'long$$

$$d'long = 12.3'$$

$$= 0° 12.3' W$$

2nd DR long: 71° 14.5' E

d'long: 0° 12.3' W

2nd fix long: 71° 2.2' E

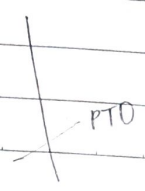
Hence, position of ship at 2nd observation are:-

55° 52.9' N 071° 2.2' E

At 1st observation: DR lat: 33° 18' S DR long: 000° 12.6' W

CLOP1: 241° ± 90° = 151° - 331°

Intercept: 4.2' Towards



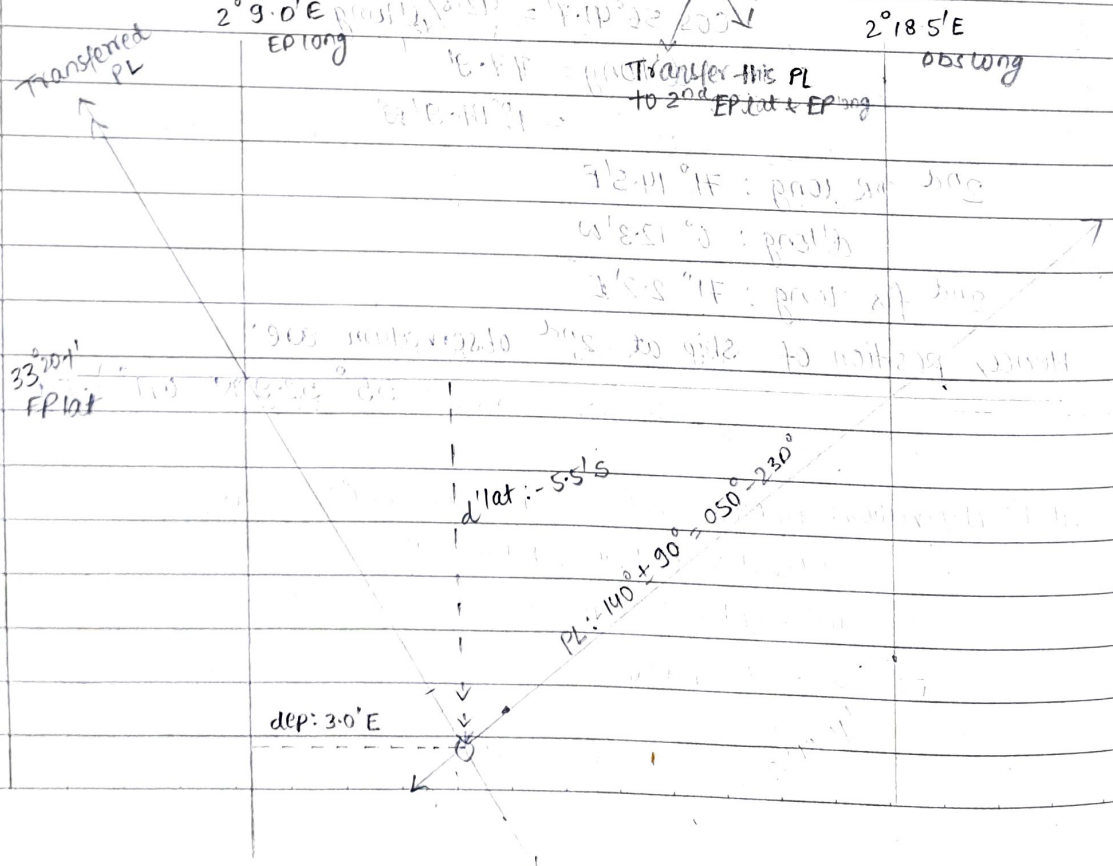
• CO: - $241^\circ = 561^\circ W$ Distance: 4.2
 $\sin CO = \frac{dep}{dist}$ $\tan CO = \frac{dep}{d'lat}$
 $\sin 61^\circ = \frac{dep}{4.2}$ $\tan 61^\circ = \frac{3.7}{d'lat}$
 $dep = 3.7 W$ $d'lat = 2.1'S$

• CO: - $090^\circ = E$ Distance: 122
 $\sin 90^\circ = \frac{dep}{122}$ $\tan 90^\circ = \frac{122}{d'lat}$
 $dep = 122'E$ $d'lat = 0$

Final $d'lat$: 2.1'S Final dep : 118.3'E
 1st DR lat: $33^\circ 18'S$ 1st EP lat: $33^\circ 18'S$
 $d'lat$: 2.1'S 2nd EP lat: $33^\circ 20.1'S$
 2nd EP lat: $33^\circ 20.1'S$ m'lat: $33^\circ 19.1'S$

$\cos m'lat = \frac{dep}{d'long}$
 $\cos 33^\circ 19.1' = \frac{118.3}{d'long}$
 $d'long = 141.6'$

1st DR long: $000^\circ 12.6' W$ = $2^\circ 21.6' E$
 $d'long$: $2^\circ 21.6' E$
 2nd EP long: $2^\circ 9.0' E$



No.

Date

$$2^{\text{nd}} \text{ EP lat} : 33^{\circ} 20.1'S$$

$$d'lat : 5.5'S$$

$$2^{\text{nd}} \text{ fix lat} : 33^{\circ} 25.6'S$$

$$2^{\text{nd}} \text{ EP lat} : 33^{\circ} 20.1'S$$

$$2^{\text{nd}} \text{ fix lat} : 33^{\circ} 25.6'S$$

$$m'lat : 33^{\circ} 22.9'S$$

$$\cos m'lat = \text{dep}/d'long$$

$$\cos 33^{\circ} 22.9' = 3/d'long$$

$$d'long = 3.6'E$$

$$2^{\text{nd}} \text{ DR long} : 2^{\circ} 09.0'E$$

$$d'long : 3.6'E$$

$$2^{\text{nd}} \text{ fix long} : 2^{\circ} 12.6'E$$

So, position of the ship at second observation is

$$33^{\circ} 25.6'S \quad 002^{\circ} 12.6'E$$

* Answer is not matching but calculation is correct. Just error in plotting.
If we do on graph paper it will be exact.

④ - At 1st observation, DR lat : $68^{\circ} 12.5'N$ Obs long : $47^{\circ} 10.6'W$

$$CLDP 1 : 281 \pm 90^{\circ} = 011^{\circ} - 191^{\circ}$$

$$\text{Ship's course} : 327^{\circ}CT = N33^{\circ}W$$

$$\text{Distance steamed} = 112M$$

$$\sin CO = \text{dep}/\text{dist}$$

$$\sin 33^{\circ} = \text{dep}/112$$

$$\text{dep} = 61'W$$

$$\tan CO = \text{dep}/d'lat$$

$$\tan 33^{\circ} = 61/d'lat$$

$$d'lat = 94' = 1^{\circ} 34'N$$

$$1^{\text{st}} \text{ DR lat} : 68^{\circ} 12.5'N$$

$$1^{\text{st}} \text{ DR lat} : 68^{\circ} 12.5'N$$

$$d'lat : 1^{\circ} 34.0'N$$

$$2^{\text{nd}} \text{ DR lat} : 69^{\circ} 46.5'N$$

$$2^{\text{nd}} \text{ DR lat} : 69^{\circ} 46.5'N$$

$$m'lat : 68^{\circ} 59.5'N$$

$$\cos m'lat = \text{dep}/d'long$$

$$\cos 68^{\circ} 59.5' = 61/d'long$$

$$d'long = 170.2' = 2^{\circ} 50.2'W$$

$$1^{\text{st}} \text{ Obs long} : 47^{\circ} 10.6'W$$

$$d'long : 2^{\circ} 50.2'W$$

$$2^{\text{nd}} \text{ Obs long} : 47^{\circ} 0.8'W$$

$$\text{DR lat} : 69^{\circ} 46.5'N$$

$$\text{Obs long} : 047^{\circ} 0.8'W$$

$$CLDP 2 : 358^{\circ} \pm 90^{\circ} = 088^{\circ} - 268^{\circ}$$



No. 124

Date 24/04/2022

dep. 1.3'E

obs long = 047° 08' W

69° 2nd DR
46.5' N lat

Obs lat: 69° 53.3' N

d'lat: 0.0

2nd fix lat: 69° 53.3' N

$$\cos m'lat = \frac{dep}{d'long}$$

$$\cos 69^{\circ} 53.3' = \frac{1.3}{d'long}$$

$$d'long = 3.8' E$$

2nd obs long: 047° 08' W

$$d'long: \frac{3.8' E}{}$$

2nd fix long: 047° 57.0' W

So, position of the ship at second observation is

69° 53.3' N 047° 57.0' W

⑤ 1st observation:-

Obs lat: 37° 00'S DR long: 110° 37'E

CLPP1: 090°-270° (mer. pass.)

• vessel co: 000°(T) = N

Distance steamed: 87M

$$\sin co = \frac{dep}{dist}$$

$$\sin 0^{\circ} = \frac{dep}{87}$$

$$dep = 0$$

$$\tan co = \frac{dep}{d'lat}$$

$$\tan 0^{\circ} = \frac{0}{d'lat}$$

$$d'lat = 87' N = 1^{\circ} 27' N$$

• vessel co: 270°(T)

Distance steamed: 101M



$$\cos CO = \text{dep}/\text{dist}$$

$$\sin 90^\circ \text{ or } 270^\circ = \text{dep}/101$$

$$\text{dep} = 101' \text{ W}$$

$$\text{Final } d' \text{ lat} : 1^\circ 27' \text{ N}$$

$$1^{\text{st}} \text{ obs lat} : 37^\circ 00' \text{ S}$$

$$d' \text{ lat} : 1^\circ 27' \text{ N}$$

$$2^{\text{nd}} \text{ obs lat} : 35^\circ 33' \text{ S}$$

No. 125 Date 24/04/2022

$$d' \text{ lat} = 0.0'$$

$$\text{Final } d' \text{ dep} : 101' \text{ W}$$

$$1^{\text{st}} \text{ obs lat} : 37^\circ 00' \text{ S}$$

$$2^{\text{nd}} \text{ obs lat} : 35^\circ 33' \text{ S}$$

$$\cos m' \text{ lat} = \text{dep}/d' \text{ long}$$

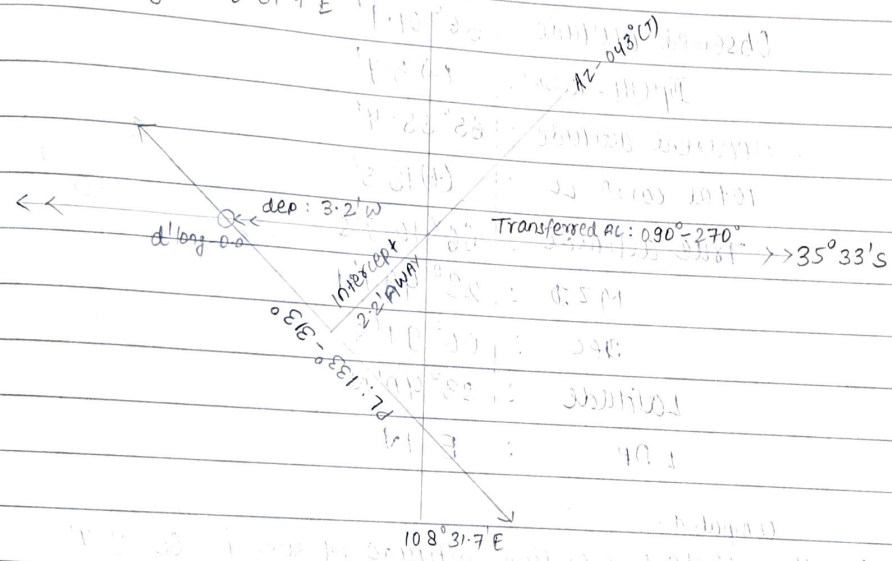
$$\cos 36^\circ 16.5' = 101/d' \text{ long}$$

$$d' \text{ long} \Rightarrow 125.3' = 2^\circ 5.3' \text{ W}$$

$$1^{\text{st}} \text{ DR long} : 110^\circ 37' \text{ E}$$

$$d' \text{ long} : 2^\circ 5.3' \text{ W}$$

$$2^{\text{nd}} \text{ DR long} : 108^\circ 31.7' \text{ E}$$



$$2^{\text{nd}} \text{ obs lat} : 35^\circ 33' \text{ S}$$

$$d' \text{ lat} : 0.0'$$

$$2^{\text{nd}} \text{ fix lat} : 35^\circ 33' \text{ S}$$

$$\cos m' \text{ lat} = \text{dep}/d' \text{ long}$$

$$\cos 35^\circ 33' = 3.2/d' \text{ long}$$

$$d' \text{ long} = 3.9' \text{ W}$$

$$2^{\text{nd}} \text{ DR long} : 108^\circ 30.7' \text{ E}$$

$$d' \text{ long} : 3.9' \text{ W}$$

$$2^{\text{nd}} \text{ fix long} : 108^\circ 27.8' \text{ E}$$

Position of ship at time of second observation:

35° 33' S 108° 27.8' E



Worked example 1 - mer alt sun

Soln:- Same as Lat by mer. alt sun (just reverse it)

LMT mer. pass: 23d 11h 52m

LIT(E): (-) 10h 48m

GMT mer. pass: 23d 01h 04m

Declination (23d 01h): 00° 9.0'S

d(1.0): (+) 0.1

Declination sun: 00° 9.1'S

First write the format & start entering values from downwards

Sextant altitude: ↑ 66° 3.4'

IE(Dn): (-) 2.3'

Observed altitude: 66° 01.1'

Dip (HE-10.5m): (-) 5.7'

Apparent altitude: 65° 55.4'

Total corrn LL: (+) 15.5'

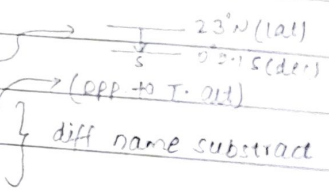
True altitude: 66° 10.9'S

MZD: 23° 49.1'N

Dec: 00° 9.1'S

Latitude: 23° 40'N

LDP: E-W



computed.

So, the sextant meridian altitude of sun is 66° 3.4'

Worked example 2: mer. alt moon.

(v) Approx LMT mer. pass: Aug 24d 05h 56m

Previous day LMT mer. pass: Aug 23d 04h 57m

Difference: 59m

Longitude correction: $\frac{\text{Longitude} \times \text{diff.}}{360^\circ}$

= $\frac{103.3 \times 59}{360}$

= 16.9

= 17m

Approx LMT mer. pass: Aug 24d 05h 56m

Longitude correction (Long E is): 17m

Correct LMT mer. pass: Aug 24d 05h 39m

LIT(E): (-) 06h 53m

GMT mer. pass: Aug 23d 22h 46m

Dec (23d 22h): $25^{\circ} 13.0' N$

d(7.0): (+) 5.4'

Declination Moon: $25^{\circ} 18.4' N$

Sextant altitude: $\uparrow 74^{\circ} 31.1'$

IE(0.1): (-) 1.6'

Observed altitude: $74^{\circ} 29.5'$

Dip(HE-12m): (-) 6.1'

Apparent altitude: $74^{\circ} 23.4'$

Main corr: (+) 25.4'

HP(59.2): (+) 5.8'

If UL then (-) 30'

True altitude: $74^{\circ} 54.6' N$

MZO : $15^{\circ} 5.4' S$ $15^{\circ} 5.4' S$

Dec : $25^{\circ} 18.4' N$

LAT : $10^{\circ} 13' N$

LDP : E-W

Worked example 3: POLARIS